



# Supplement of

# Characterization of tandem aerosol classifiers for selecting particles: implication for eliminating the multiple charging effect

Yao Song et al.

Correspondence to: Zhibin Wang (wangzhibin@zju.edu.cn)

The copyright of individual parts of the supplement might differ from the article licence.

### 1 1 Calculation of volume equivalent diameter

- 2 The fitted  $PNSD_{ae}$  for each experiment was converted to number volume-equivalent size ( $d_{ve}$ ) distribution
- 3 (PNSD<sub>ve</sub>). According to Eq. 26,  $d_{ve}$  is determined by,

4 
$$m = \frac{\pi}{6} \frac{Cc(d_{ae})\rho_0 d_{ae}^2 d_m}{Cc(d_m)},$$
 (S1)

5 
$$\frac{\pi}{6}\rho_m d_{ve,n}^3 = \frac{\pi}{6} \frac{Cc(d_{ae})\rho_0 d_{ae}^2 d_m}{Cc(d_{m,n})},$$
 (S2)

6 where  $d_{ve,n}$  is volume equivalence diameter,  $\rho_m$  is particle density, and  $\rho_m = 1.8$  g cm<sup>-3</sup> is used,  $d_{m,n}$  is the 7 corresponding electrical mobility diameter for particles with *n* charges. Assuming that all the particles have

- 8 the same electrical mobility as it classified by DMA, according to Eq. 1, the  $d_{m,n}$  of particles with single,
- 9 double and triple charges can be calculated, respectively. It should be noted that in Fig. 5b, three peaks have
- 10 the same  $d_{ae}$  range but different  $d_m$ . As a result, their  $d_{ve}$  ranges were different. The number concentration of
- 11  $dN/dlog(d_{ae})$  were converted to  $dN/dlog(d_{ve})$  using the calculated  $d_{ve}$  range.

## 12 2 Classification limitations of DMA-AAC



13

Figure S1: Variations of the critical  $D_{fm}$  as a function of classified  $d_m$  and  $d_{ac}$ . The following parameter set was employed for the calculations:  $\beta_{DMA} = 0.1$ ,  $\beta_{AAC} = 0.1$ . The background color coding denotes the critical  $D_{fm}$ . The background color coding denotes the critical  $D_{fm}$  of particles that DMA-AAC can select monodispersed particles.

# 17 **3** Determine the mode $d_{ae}$ and *m* of mobility selected particles



18

19 Figure S2: The number aerodynamic diameter distributions of particles selected by DMA at (a) *d*<sub>m</sub> of 150nm and

20 (b) 250 nm. The number mass distributions of particles selected by DMA at (c) *d*<sub>m</sub> of 150nm and (d) 250 nm.

### 21 4 Classification results for two sizes soot particles





Figure S3: (a) The transfer functions of DMA-CPMA when selecting 100 nm particles. The following parameter set was employed for the calculations:  $d_{m1} = 100$  nm,  $\beta_{DMA} = 0.1$ ,  $m_1 = 0.27$  fg,  $Q_{CPMA}=0.3$  L min<sup>-1</sup>,  $R_m = 8$ . (d) The transfer functions of DMA-CPMA when selecting 150 nm particles. The following parameter set was employed for the calculations:  $d_{m1} = 150$  nm,  $\beta_{DMA} = 0.1$ ,  $m_1 = 0.66$  fg,  $Q_{CPMA}=0.3$  L min<sup>-1</sup>,  $R_m = 8$ . The red solid line is the generated soot particle population. (b) and (e) are the aerodynamic size distributions of particles classified by

28 DMA-CPMA for 100 and 150 nm particles, respectively. The circles are data measured by AAC-CPC and the

black, green and red lines are log-normal fitted distributions of bulk, singly charged and doubly particle population. (c) and (f) are the contributions to light absorption of particles with single and double charges when

31 selecting 100 and 150 nm particles.



### 32 5 Classification limitations of DMA-CPMA

33

Figure S4: Variations of the slope of PP<sub>0</sub> as a function of classified  $d_m$  and m. The following parameter set was employed for the calculations:  $\beta_{DMA} = 0.1$ ,  $Q_{CPMA}=0.3$  L min<sup>-1</sup>,  $R_m = 8$ . The contour lines denote the slope of PP<sub>0</sub>, with values labeled on them. The data points are soot particles measured in the literature (Park et al., 2003; Rissler et al., 2013; Tavakoli et al., 2014; Ait Ali Yahia et al., 2017; Dastanpour et al., 2017; Forestieri et al., 2018; Pei et al., 2018; Kazemimanesh et al., 2019) and generated in this study (see details in Section 3.2). The  $D_{fm}$  values of these data points are listed in the legend. The data points become red when  $D_{fm}$  is smaller than the critical slope of PP0 in the background, i.e., the potential multiple charging effect may exist.

41