

Interactive comment on “Measuring Droplet Fall Speed with a High-Speed Camera: Indoor Accuracy and Potential Outdoor Applications” by C.-K. Yu et al.

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Anonymous Referee #1 Received and published: 4 February 2016
General comments:
The accurate knowledge of the terminal velocity of raindrops has high hydrological and meteorological relevance since it is a key microphysical parameter in, e. g., precipitation radar algorithms and precipitation models. It has been a long history of measuring techniques in this field since the beginning of the last century, but there is still a need for precise, accurate, and low cost measuring methods for determining drop fall speeds. The paper of Yu et al. describes an experimental setup utilizing a high speed video camera for terminal velocity measurements. However the setup itself seems to be very

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simple, there are a lot of difficulties and questions which have to be solved and worked out. The subject of the paper, i.e. the utilization of a relatively new technology for atmospheric measurements, suits to the scope of AMT and is of high interest to the atmospheric physics community. In general, the paper is clearly written, well organized and scientifically sounds and can be recommended for publication in Atmospheric Measurement Techniques. Nevertheless, I have some remarks and questions which can be taken into account for a revision before publication:

Response: We appreciate Reviewer#1's comments, which help us improve the manuscript. A set of responses to your comments is provided below.

Specific comments: line 135-137: The fall distance used in the present setup should also be compared to the results from the very recent paper of Chowdhury et al. (Atmospheric Research, Volume 168, 1 February 2016, Pages 158-168).

Response: Thanks to the reviewer for bringing the published article to our attention. In this revision, we have added a brief discussion for the comparison of our fall distance with the finding from Chowdhury et al. (2016).

Changes in the manuscript: This distance is close to the theoretical and experimental prediction of the distance required for large drops (greater than 2 mm) to reach the V_t from rest under atmospheric conditions of 1000 mb and 20 °C (Wang and Pruppacher 1977). However, the laboratory simulations from a recent study of Chowdhury et al. (2016) have also shown that the required fall distances to reach the V_t are slightly smaller than the theoretical values, with ~ 7 (10) m for a drop size of 2.6 (3.7) mm. These results suggest that the fall distance in our experimental setup should be adequate for studying the V_t .

line 144: How large is the "narrow focal zone"? If the depth of field is very narrow then the applicability of the HSC will be limited; if it is too large, drop size information will be lost.

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Response: The focal zone is roughly between ~ 1 and ~ 1.5 cm so it is actually not so narrow. This information has been mentioned in this revision.

Changes in the manuscript: Blurred images of water drops that fell outside the focal zone ($1 \sim 1.5$ cm) were excluded from this study.

line 165: The bright spot inside the drop image cannot be a specular reflection of the light source since it is located on the other side of the object. It is rather a lensing effect.

Response: We agree. For clarity, we have revised this part of descriptions.

Changes in the manuscript: Near the drop center there were also some changes in brightness, related to the bright-field illumination adopted in this study.

line 175: From Figure 3 the authors determine an optimal brightness (grey level) value of 26. I would rather say it is 26 ± 2 . What error should it cause in the drop size if you use 24 or 28 instead of 26? Further, why didn't you apply the method of Jones and Saylor (2009), where they calculate a histogram for the grey levels and calculate the optimal brightness value?

Response: If we use 24 or 28 as a threshold, it causes a rather minor difference in the drop size (within 1.5%) compared to that using the threshold value of 26. Therefore, the determination of the drop size is not very sensitive to the threshold we choose. This is one of the advantages for the proposed method. In addition, the threshold appears to have a consistent value for a wide spectrum of drop sizes. Because the threshold value adopted in Jones and Saylor (2009) was obtained by smoothing the histogram of brightness values for drop images, its uncertainty of determining drop size would be statistically larger, especially for smaller drops (< 1 mm), due to much fewer pixels constituting the drop. This potential drawback was not evaluated in Jones and Saylor, since they consider only larger drops ($> \sim 1.3$ mm) in their experiment.

Changes in the manuscript: It is noteworthy that if we use 24 or 28 as a threshold (cf.

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Fig. 3), it causes a rather minor difference in the drop size (within 1.5 %) compared to that using the threshold value of 26. The determination of the drop size is not very sensitive to the threshold we choose.

line 194: The deviation from the spherical shape is realistic. The question is rather how large the axis ratio is, and whether the axis ratio value realistic or not. It should anyway be given a comparison of the axis ratios of the drops to the literature values which could give another approximation of the quality of your size determination.

Response: For the small drop (~ 0.5 mm, Fig. 4b) mentioned in this statement, a more spherical shape (i.e., the axis ratio equal to 1) is expected based on theory and observation. However, the irregular distribution of pixels near the surface of the small drop with the criterion using the radial gradient of brightness value is obviously not realistic. This feature is in distinct contrast to a smoother drop surface identified by the brightness difference (Fig. 4a). For clarity, this part of the text has been reworded.

Changes in the manuscript: For the small ($D_e=0.5$ mm) water drop, the difference in D_e between the two methods became larger ($\sim 15\%$) (Fig. 4a, b). A smoother, reasonable drop surface was obtained with the brightness difference (Fig. 4a). In contrast, the criterion using the radial gradient of brightness value yielded a clear deviation of the drop outline from a spherical shape (Fig. 4b), which is obviously not realistic given the small size of the drop (i.e., ~ 0.5 mm).

line 206: I could not follow the estimation for the range of size error. Furthermore, the drop images shown in Fig.2a/b are very fuzzy, therefore the size error of ± 2 pixels seems to be unrealistic. A common method for HSC systems is to calibrate the size error of the camera with calibrated spheres, see, e.g., Chowdhury et al. (Atmospheric Research, Volume 168, 1 February 2016, Pages 158-168), please consider to apply it in your study.

Response: For clarity, a more detailed description about the estimation for the range of size error has been added in this revision. We agree that the size error of ± 2 pixels

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would be somewhat overestimated or underestimated, but considering all drops we studied, this size error, on average, can be still considered as a reasonable estimate for the uncertainty caused by the limitation of the image resolution. Thanks to the reviewer for bringing the method described in Chowdhury et al. (2016) to our attention. The authors agree that the spherical ball lenses are useful to determine the error of HSC-derived sizes. However, the size error is actually a function of drop size. Also, a wide range of drop sizes from ~ 0.2 to ~ 3 mm has been analyzed in this study. Hence, it is not practical to determine size errors over a wide spectrum of drop sizes using the calibrated spheres.

Changes in the manuscript: It is noteworthy that the method of detecting drop outline is generally not a key factor to influence the accuracy of size determination. Instead, relative dimension of the pixel size (i.e., image resolution) and drop size is more critical for the size determination. Given the pixel size of 0.028 mm, the minimum resolvable length for the drop image, it is reasonable to consider a potential uncertainty for determining each horizontal pixel row of the drop equal to 2 pixels. To obtain a maximum (minimum) possible drop size, all of the horizontal pixel rows constituting the drop are increased (decreased) with 2 pixels when integrating the drop volume from each horizontal pixel row. A range of size error may be evaluated by calculating the deviation of the originally estimated drop size from the calculated maximum/minimum drop size, which is equal to 0.040-0.045 mm.

line 215: In Figure 5 you indicate the drop size and velocity. It would be desired to know how large d and the corresponding time were.

Response: In this revision, the magnitudes of d and the corresponding time have been indicated in Fig. 5.

line 225: Can you provide here in the text an example for a velocity measurement and its error estimation? For example for the drop shown in Fig. 5. It would be easier for the reader to follow your consideration.

Response: In this revision, we have used the drop shown in Fig. 5 as an example to explain our error estimation.

Changes in the manuscript: It is noteworthy that the uncertainty of determining the geometric center of the drop due to the limitation of pixel resolution would mostly come from the positions of pixels constituting the drop outline instead of those interior pixels of the drop. Assuming that all pixels constituting the drop outline have a position error of the pixel size, the potential error in the drop's position may be approximated by multiplying the pixel size (i.e., 0.028 mm) by the ratio of the number of pixels within the drop outline and the number of pixels in the area of the entire drop because the geometric center of a drop is determined by a mean spatial coordinate of all pixels constituting the drop. For example, the ratio and the position error for the larger drop shown in Fig. 5 were calculated to be ~ 0.022 and ~ 0.0006 mm. With a recording frame rate of 3,600 fps adopted in this study, the position error yields a velocity error of ~ 0.002 m s⁻¹. For the size range of the studied drops, the ratio ranges from 0.02 to 0.38. This gives a position error of 0.00056~0.01 mm, corresponding to a velocity error of 0.002~0.036 m s⁻¹.

line 244-263: Why didn't you use the parameterization of Beard (1976) in which you can set all the relevant physical parameters specifically for your measurement conditions? This parameterization had been proven to work well also for drops with reduced surface tension, for instance (see Müller et al., Atmos Res, 2013).

Response: Thank the reviewer for the suggestion. The reason why we used Eq. (2) is that its expression is simpler and provides adequate accuracy in the context of our study. We have made comparisons of terminal velocities calculated based on Eq. (2) and that proposed by Beard (1976). The results indicate a rather minor difference, especially for larger drops (> 1 mm) with a velocity difference of 0.06-0.7 %. In this revision, we have cited Beard (1976) herein, along with a brief description, for reader's reference.

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Changes in the manuscript: The reason why we used Eq. (2) is that its expression is simpler and provides adequate accuracy. Compared to a more complicated formula of V_t proposed by Beard (1976), there was a very small difference, especially for larger drops (> 1 mm) with a velocity difference of only 0.06-0.7 %.

Fig. 6 and Fig. 10: Please add the error bars to the figures.

Response: The magnitudes of the error bars are typically only a few (tens) cm s^{-1} . Because the range of values (in Y-axis) for these two figures is from 0 to 10 m s^{-1} , the size of the error bars plotted on the figures become very small and is not clearly readable. Since the information about the errors/uncertainties has been indicated in Figs. 7 and 11, we choose to retain the original plot.

Fig. 6. Caption: please refer here to the Equation number for calculating V_t .

Response: Revised as suggested.

line 301: The size error considerations are only valid for rigid drops. But we know that large raindrops are oscillating also in asymmetric modes (see Szakáll et al., 2010, for instance), therefore the integration method may result in false sizes. What error would arise when considering the asymmetrical nature of raindrop shapes after collision, for instance (see Szakáll et al., 2014)? It should also be taken into account or at least mentioned as a source of error.

Response: Careful investigation on the drop images analyzed in this study indicates that there was no obvious evidence of raindrop oscillation. This characteristic is consistent with the fact that the drops captured by the HSC in our indoor experiment have actually reached terminal velocities with equilibrium-shaped status. But, we agree that asymmetric modes of large natural drops due to oscillation and collision can be a possible source of errors influencing the accuracy of the size determination. Thanks to the reviewer for bringing the two published articles to our attention. In this revision, we have cited these works and mentioned the uncertainty associated with the asymmetric

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modes

Changes in the manuscript: Shading in the figure represents the range of the velocity uncertainty [i.e., V_s in Eq. (6)] due to the size error of ΔD , 0.040-0.045 mm, as described in section 3. Note that the size error is exclusively related to the limitation of the image resolution and does not consider other sources of errors such as the asymmetric modes of large drops due to oscillation and collision (Szakáll et al. 2010; Szakáll et al. 2014). However, this uncertainty would be relatively minor because the drops captured by the HSC in the indoor experiment is expected to reach terminal velocities with equilibrium-shaped status.

Fig. 7: Axis labels cannot be read. Furthermore, please indicate in the figure caption what in Fig. 7a and Fig. 7b are plotted.

Response: We have rechecked Fig. 7 to ensure clarity.

line 307: The statement holds only if the theoretical values are correct. It would be interesting to see whether the same deviation can be seen when using the parameterization of Beard (1976).

Response: As explained in our response above, the velocity difference in velocity calculated from Eq. (2) and Beard (1976) is very small. The magnitudes of the V_e values and their corresponding percentages based on the formula of Beard (1976) are almost the same as those shown in Fig. 7.

line 348: I guess the focal plane itself was not longer (larger) but its distance to the camera has been increased. Was the depth of field in the outdoor experiments the same as in the indoor ones?

Response: This sentence has been reworded for clarity. Yes, the depth of field is roughly the same as in the indoor ones.

Changes in the manuscript: To retain the pixel resolution and to mitigate the splash problem, a teleconverter and three extension tubes were used, which allow a longer

distance (~ 4 m) of the focal zone from the lens of HSC.

line 371: Here, again, the Beard (1976) parameterization can be applied with the corresponding outdoor parameters.

Response: Please refer to our earlier responses concerning the Beard (1976) parameterization.

line 397: How realistic is to collect larger dataset of a rain event? The internal memory of the camera is limited, therefore the saved data should be transferred to a computer. This results in a relatively long idle time, isn't it?

Response: Thank the reviewer for the concern. The HSC technique is related to the time-consuming work during the experimental period, such as the visual and subjective selection of target drops for each recorded period of HSC and the data transfer of these selected drop images from the HSC's temporary storage memory to the hard disk drive of the working computer. These inherent constraints lead to a limited number of water drops that can be actually collected for post-analysis. However, fortunately this weakness can be mostly solved by developing an automatic procedure of judging whether the drops are inside the focal zone and/or by a suitable upgrade in the software/hardware to speed the process of data transfer. These improvements are expected to greatly help strengthen future applications of HSC to the statistical studies of natural DFSs. We are currently undertaking these research and testing works to increase the efficiency of data collection for HSC.

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