Response of the authors:

The authors would like to thank the editor and the reviewers for the time they invested to review this paper. We addressed the suggested points. The current version contains all changes according to the reviewer suggestions.

Referee#1	Response of the authors		
Point 1: There is a confusion about what are the main results of this study? Is it the positive trend in Table 1. Is it the map in Figure 10c? Or is it the map in 14c? I would say that Figure 10c is the most important result.	The goal of this research is to derive information about the PWV trends over Germany. The first candidate data set is of course from GNSS. However, two points are important here: first, the length of the time series and the second, the validation of the results. Therefore, other data sets are required. The first is the ERA-Interim. Climatologists suggest estimating the trends in periods of at least thirty years, in order to have reasonable information about the trends. The GNSS data (of interest) are available over different times, starting from 10 years to 19 years. In order to provide a mean value of the trend +/- sigma, the trend at all sites should be estimated over a specific common time window. This is also important for observing spatial features of the trend. For that reason, we chose to estimate the trend over the last 30-year norm defined by the climatologists (1991- 2020) or rather as long as the data are available (1991-2016). For that, we used the ERA-Interim data. For validation, we needed a data set, which is of course difficult to find. Therefore, we used the model of the dew-point temperature to obtain the PWV. We know of course that this is not a very precise way to get the PWV, but resources are limited here, and so far, the results from both data sets show an adequate agreement.		
Point 2: I would suggest to give a theoretical explanation for a correlation between a temperature change and a change in water vapor pressure e.g. derived from the Clausius Clapeyron equation. Often one can read that a 1 Kelvin change gives a 7% change in saturation vapor pressure (Held and Soden, 2000). If the relative humidity is constant then one can derive the expected increase in water vapour pressure too. Does this agree with your results of the trends in T and PWV? Is RH constant over the years? Held, I. M., and B. J. Soden, 2000: Water vapor feedback and global warming. Annual. Review of Energy and the Environment, 25, 441- 475	Thank you. We addressed this point in the current version of the paper by inserting the following: page 8 line 15 to 25, page 10 line 22 to 24, and figure 12.		
Point 3: You make a long statement about GPS PWV from mountain regions. I would consider results of this study:	Thank you for the suggestion, we added this reference, which agrees with our results.		

J. Morland, M. Liniger, H. Kunz, I. Balin, S. Nyeki, C. Mätzler, N. Kämpfer: Comparison of GPS and ERA40 IWV in the Alpine region, including correction of GPS observations at Jungfraujoch (3584 m), Journal of Geophysical Research, Atmospheres, vol.: 111, no.: D04102, pp.: 1-12, 2006 Point 4: - Colors in Figure 7 should have more contrast - title in Figure 15 a and c should be T rate instead of PWV rate Minor corrections:	Modified	
page 1 line 9: "deseasonalized" is clearer than "seasonally adjusted" line 13 it is unclear to what "the former" is related.	Modified This is a good hint, thank you. However, we do not	
In addition it is unprecise to say the trend is below a certain number. The trend should be equal to a mean value +/- the standard deviation.	consider it "right" to put the trend this way for the GNSS data because the trend is estimated for time series of different length. We did that for the other data sets.	
page 3: line 7: There was a study from the Netherlands which showed that PWV has the strongest correlation with the humidity at ca. 1.5 km altitude. Unfortunately I forgot the citation. Such a study demonstrates that surface data cannot be a full substitute for a PWV measurement.	Yes, we agree with the reviewer on that, and we said in the text that this is not the most accurate way to obtain PWV, but other data sources are limited, particularly when we need long history of data, that is why we relied on this method. Besides, we validated the time series by comparing them with ERA-Interim and radiosonde data (when available) and they showed a high agreement, which makes them suitable for further investigations. We rearranged the paper and modified the text to make this point clear. And according to our analysis, these times series at 227 stations show a very good agreement with the ERA-interim data, so we also used them for trend estimation.	
line 20 I would use "finally" instead of "ultimately"	Modified	
section 4.1 : this method looks a bit unorthodox. I would prefer a trend model and solving the equation system in one step for seasonal oscillation and the linear trend. For equal weighting of the data it would be good to have a complete series of monthly means before analysing the trend.	Indeed this method has widely been used in economy, and currently in climate research. Comparing this method with the Theil-Sen estimator assures that it is a proper method for trend estimation. We will consider your suggestion in future research.	
page 9 line 13 : are available in Figure 9 page 11 line 11 comparison instead of Comparison	Modified Modified	
line 15 "We found that the trend tends . It is not clear for me if it is just a result of ERA or if it comes from the GPS measurements too. Figure 10 a and c do not show such a horizontal gradient in the trend	It is not possible to look for spatial features of the trend, if it is estimated from time series of different length. Therefore, this is not possible considering the GNSS data since their length varies between 10 and 19 years. This gradient was observed when we analyzed 26-years time series from ERA- Interim and synoptic data. That is why we did not depend on GNSS alone to make conclusions.	

Figure 2 caption please define the "difference". Is it ERA-Interim - GNSS ? Figure 7 how is the mean difference defined?	Yes it is, caption modified (now figure 2). We meant the mean if the difference between two data sets. Text is modified to make it more understandable.	
Figure 14 and in general: I don't understand why you come up with the dew point-based PWV? Actually you have good and plenty of GNSS data of PWV. Don't you believe in the GNSS PWV trend map , e.g., Figure 10c?	Thank you for raising the question in this way. We believe in what we are doing, but it seems we need to explain it in a more obvious way to make the idea clear. We explained the narrative as an answer to your first point. The rate of PWV change depending on the starting and ending dates of the time series. In order to give specific conclusions about the trend, we should analyze all stations for a specific period, which should be thirty years according to climatologists. For GNSS, however, the sites are installed independently, so the length of the time series varies within 10-19 years. We still can estimate the trend using these time series. It might, however, be large, e.g. 2.3 mm/decade is a large value of the time series is short. If we double the length of the time series, this value will sink. Therefore, we showed that GNSS can be used to provide PWV trends, which was also validated using ERA-Interim data over the same period of time for each stations (Figure 12), however, reasonable values of the trend should be got from longer time series, which why we used the dew point-based PWV and ERA-Interim.	

Response of the authors:

The authors would like to thank the editor and the reviewers for the time they invested to review this paper. We addressed the suggested points. The current version contains all changes according to the reviewer suggestions.

Referee#2	Response of the authors	
ERA data, versus no clear gradient in the GNSS data. I recommend to do the ERA analysis for the same period as covered by GNSS in figure 10 c and d. It is unclear to which degree different time series are included in figure 10 c and d. From figure 8 it is clear that the large variations from year to year of the "trend component", means that differences in time extent risk leading to local variations in figure 10 c. Are there sites enough to do a "clean" figure 10 c, with all sites covering the same period?	Thank you for raising this question. We added figure 9, in which we estimate the trend from concurrent GNSS and ERA-Interim (over the same time window). There is a very good agreement between the two data sets with, expected, slight difference in the trend values. In space, the two data sets behave the same way.	
Put less emphasis on PWV from ground based meteorological measurements. Even if there is a relation, it is certainly not going to be the way in which we determine PWV variations and trends in the future.	We agree with the reviewer on the point that this is not the best way to obtain PWV. However, external data for validation are limited; therefore, we used these data, which are significantly long and prepared for climate studies. Moreover, we evaluated the time series and found they are suitable for further analysis. Now the paper is rearranged and modified, so that this point is more understandable.	
A few more detailed comments page 2. PWV trends are not similar in all regions, please detail if for example Bengtsson et al cover the same region as you. page 3 Specify already here the resolution of your vertical ERA profiles (when you finally give the number, you have already used the profile information several times).	Yes, that is right. Bengtsson et al. focused on the GPS network in Scandinavian region. Text added (page 3, line 26)	
page 4, line 13regression -> relation why not provide eq 6 and 7 already in connection with eq 5?	Modified Just because we discussed the results of the analysis of the different parameters.	
page 5. When assessing the short commings of finite ERA resolution, why not also check interpolated ERA data directly at the meteorological sites for a clean answer? page 6 line 21.	Yes, we also checked the pressure at the meteorological sites obtaining the same results with negligible difference. Since it is important to evaluate the pressure at the GNSS, we added the results at the GNSS sites to the paper rather than the meteorological site.	
The standard error of the PWV estimate was deduced against which data?	The standard error is conventionally obtained for each data set independently as given in Eq. 15	
Figures: In some of the figures PWV differences are shown, but the "sign" is not mentioned. Is it PWV_GNSS - PWV_ERA, or vice versa?	Text added to the caption, it is ERA-Interim-GNSS.	

Estimating trends in atmospheric water vapor and temperature time series over Germany

Fadwa Alshawaf¹, Kyriakos Balidakis², Galina Dick¹, Stefan Heise¹, and Jens Wickert^{1,2}

¹German Research Centre for Geosciences GFZ, Telegrafenberg, D-14473 Potsdam, Germany. ²Technische Universität Berlin, Institute of Geodesy and Geoinformation Science, Straße des 17. Juni 135, 10623 Berlin, Germany.

Correspondence to: Fadwa Alshawaf (fadwa.alshawaf@gfz-potsdam.de)

Abstract. Ground-based GNSS (Global Navigation Satellite Systems) have efficiently been used since the 1990s as a meteorological observing system. Recently scientists used GNSS time series of precipitable water vapor (PWV) for climate research. In this work, we compare the temporal trends estimated from GNSS time series with those estimated from European Center for Medium-Range Weather Forecasts Reanalysis (ERA-Interim) data and meteorological measurements. We aim at

- 5 evaluating climate evolution in Germany by monitoring different atmospheric variables such as temperature and PWV. PWV time series were obtained by three methods: 1) estimated from ground-based GNSS observations using the method of precise point positioning, 2) inferred from ERA-Interim reanalysis data, and 3) determined based on daily in situ measurements of temperature and relative humidity. The other relevant atmospheric parameters are available from surface measurements of meteorological stations or derived from ERA-Interim. The trends are estimated using two methods, the first applies least squares
- 10 to seasonally-adjusted deseasonalized time series and the second using the Theil-Sen estimator. The trends estimated at 113 GNSS sites, with 10 and to 19 year years temporal coverage, varies vary between -1.5 and 2-2.3 mm/decade with standard deviations below 0.25 mm/decade. These values results were validated by estimating the trends from ERA-Interim data over the same time windows, which show similar values. These values of the trend depend on the length and the variations of the time series. Therefore, to give a mean value of the PWV trend over Germany, we estimated the PWV trends using ERA-
- 15 Interim and surface measurements spanning from 1991 to 2016 (26 years) at synoptic 227 synoptic stations over Germany. The former shows ERA-Interim data show positive PWV trends below 0.5 of 0.33±0.06 mm/decade while the latter shows positive trends below 0.9 mm/decade with standard deviations with standard errors below 0.03 mm/decade. The estimated PWV trends correlate with the temperature trends.

The increment in PWV varies between 4.5% and 6.5% per degree Celsius rise in temperature, which is comparable to the the theoretical rate of Clausius-Clapeyron equation.

1 Introduction

Water vapor is considered the most active greenhouse gas that permanently affects the Earth's climate. Due to its high temporal and spatial variations, the precipitable water vapor (PWV) content in the atmosphere has to be regularly and accurately determined for meteorological and climatological purposes. PWV is the amount of water (in millimeters) that would result from

condensing a column of water vapor that extends from the measurement point to altitudes of about 12 km. Water vapor mainly resides in the lowest 3 km of the atmosphere and its content generally increases with increasing air temperatures in temperature. While other observation systems such as radiosondes and microwave radiometers provide PWV measurements that are limited in the temporal and (or) spatial resolutions, ground-based GNSS provide time series of accurate PWV estimates with 15 min-

- 5 utes (for this work) sampling at dense GNSS networks, without significant additional costs. Since *Bevis et al.* (1992) presented the Global Positioning System (GPS) as an efficient meteorological tool, GNSS data have been increasingly used for estimating atmospheric parameters, particularly precipitable water vapor (*Gendt et al.*, 2004; *Luo et al.*, 2008; *Jade and Vijayan*, 2008; *Bender et al.*, 2008; *Alshawaf et al.*, 2015). GNSS-based estimates of Zenith Total Delay (ZTD) or PWV have been used to improve-assimilated into numerical weather prediction (NWP) models (*Bock et al.*, 2005; *Bennitt and Jupp*, 2012) to improve
- 10 the quality of the output (*Bock et al.*, 2005; *Bennitt and Jupp*, 2012). They have also been used to improve the performance of high-resolution atmospheric models (*Pichelli et al.*, 2010). Besides meteorology, GNSS estimates of PWV have been employed over Scandinavia for Climatological Research (*Elgered and Jarlemark*, 1998; *Gradinarsky et al.*, 2002; *Nilsson and Elgered*, 2008). The authors found that PWV shows an increase of 1.2–2.4 mm per decade. *Haas et al.* (2003) used ground-based GPS, very long baseline interferometry, radiosonde, and microwave radiometer data to assess long-term trends in PWV time series
- 15 over Sweden. An increase of about 0.17 mm/year within the period 1980–2002 was observed. *Hausmann et al.* (2017) analyzed a decadal time series of PWV (2005–2015) from mid-infrared FTIR (Fourier transform infrared) measurements above mountain Zugspitze. For that time period, they did not observe statistically significant trend in PWV time series. The PWV time series from ground-based GNSS and the European Center for Medium-Range Weather Forecasts (ECMWF) Reanalysis (ERA-Interim) data might show temporal inconsistencies due to, for example, hardware replacement or inconsistent processing
- 20 methods (*Ning et al.*, 2016). Therefore, homogenization of the atmospheric data is indispensable for climatological research to properly estimate climatic long-term trends. *Vey et al.* (2009) and *Ning et al.* (2016) analyzed PWV time series estimated at global GNSS sites to detect and correct for inhomogeneities in the data. Atmospheric reanalysis models such as ERA-Interim have also been employed for climate research. The analysis fields are produced based on 4D-Var assimilation of regular and irregular meteorological data, including surface and upper-air atmospheric fields (*Dee et al.*, 2011).
- 25 *Bengtsson et al.* (2004) observed an increasing long-term trend with a slope of 0.16 mm per decade in the water vapor data set of ERA 40 within the period of 1958–2001. They suggested to apply applying corrections for the changes in the observing system when using the data for PWV analysis to achieve trend values comparable to GNSS. ERA-Interim and MERRA (Modern Era Retrospective-Analysis for Research and Applications) where also used for trend analysis (*Simmons et al.*, 2007; *Suarez et al.*, 2008).
- Typically, climate scientists consider a period of 30 years as an appropriate time over which necessary to average variations in weather and evaluate climatic effects for a particular site, as described by the World Meteorological Organization (*Arguez and Vose*, 2011). Data collected and averaged or summed in some way over 30 years are referred to as climate normals. A 30 year period is recommended, as it is sufficiently long to filter out the interannual variations or anomalies, but at the same time short enough to show climatic trends. It is then obvious that the GNSS temporal span is still too short for estimating
- 35 a reasonably proper climatic trends in this sense. The previous studies using GNSS-based PWV time series for assessing

the trends show highly variable estimates for different time windows as well as different research regions. In this paper, we present the PWV trends estimated using GNSS sites over Germany and compare them with the trends estimated from other data sets. The current climate normal period should cover the period from 1 January 1991 to 31 December 2020 (*Arguez and Vose*, 2011). So, we analyzed time series available from 1 January 1991 to June 2016 (26 years) to provide more robust

- 5 information about the climatic trends. These data sets are the ERA-Interim reanalysis and surface meteorological data from the German Meteorological Service (DWD). The former data set provides global PWV grids while the latter does not. However, different studies have used the dew point that is computed using surface measurements of temperature and relative humidity to approximate the total column PWV (*Reitan*, 1963; *Bolsenga*, 1965; *Smith*, 1966; *Tuller*, 1977). The formula presented to obtain the PWV from surface measurements are described in section 224. This empirical relation requires only information
- 10 that can accurately be determined on the ground. The accuracy of dew point-based PWV approximations depends of course on the atmospheric conditions and the variability of the moisture profiles. It is however obvious that PWV estimations based just on atmospheric conditions at the Earth's surface would not always be in complete agreement with, for example, PWV values from balloon soundings integrated through the atmosphere. Since the possibility for obtaining a data set with long time series and high spatial resolution for estimating PWV trends is very limited, we evaluated the potential of this method for climate
- 15 analysis. We first obtained the PWV based on dew point temperature measurements and evaluated the quality of the time series. Then we used them to estimate the PWV as well as temperature trends. In this work, we apply a preprocessing step to evaluate the quality and homogeneity of the time series ahead of the trend estimation. For checking the homogeneity of the time series, we use the ERA-Interim as a referencedata set. We apply the technique of the singular spectrum analysis to detect possible change points followed by t-test to identify the significance of them. The description of the approach for homogeneity check is
- 20 beyond the scope of this paper and details are found in (*Wang*, 2008; *Ning et al.*, 2016). In the following, we will present the results of comparing PWV from different data sets and the trend analysis.

This paper is organized as follows. In section 2, we describe the method for PWV determination using GNSS data and the comparison with ERA-Interim. The method to obtain PWV based on surface measurements of temperature and relative humidity is described in section ??. In section 3, we present the methods for estimating the atmospheric trends followed by the results of estimating the decadal rate of change in section 4. The Then, the conclusions of this research are ultimately presented.

25 re

2 Determination of atmospheric PWV from GNSS data

We used GPS data collected in central Europe, mainly in Germany as shown in Figure 1. The research region is well covered by 351 permanent GNSS sites with an average separation distance of 30 km. Homogeneous time series with length from 10 to 19 years are available from 119 sites. Besides GNSS The second data set we used is the ERA-Interim reanalysis with a

30 spatial resolution of 79 km in longitude and latitude, 60 vertical levels with the model top at 0.1 hPa (about 64 km), and 6 hours temporal resolution. Besides, there are 326 meteorological stations operated by the German Meteorological Service (DWD) with data profiles spanning more than 60 years at a temporal rate of 1 hour. The climate data center created by the DWD provides long homogeneous time series for climate studies (http://www.dwd.de/EN/climate_environment/cdc/cdc_node. html). They provide surface measurements of temperature, pressure, water vapor pressure, precipitation, snow cover and other meteorological parameters for climate research. We also used the ERA-Interim reanalysis data with a spatial resolution of 79 km in longitude and latitude directions and 6 hours temporal resolution. In this section, we briefly describe the methods for PWV determination using GNSS phase observations and a comparison between the different data sets.

- 5 Based on the method of precise point positioning (*Zumberge et al.*, 1997), GNSS observations are processed to produce site-specific atmospheric ZTD. The ZTD is an estimate of the total propagation delay caused by the dry gases and water vapor of the atmosphere. Employing meteorological data measured directly at the GNSS site or interpolated from the adjacent meteorological station, the zenith hydrostatic delay (ZHD) is calculated. For each GNSS site, the nearest meteorological station triangle is used to interpolate the measurements at that site (*Gendt et al.*, 2004). The ZHD, in meters, at the GNSS site is then
- 10 calculated according to the model of *Saastamoinen* (1973) reported in (*Davis*, 1986, pp. 51):

$$ZHD = \frac{0.002277P}{1 - 0.0026\cos 2\phi - 0.00028H} \tag{1}$$

where *H* is the orthometric height in km and ϕ is the latitude of station. *P* is the corresponding air pressure at the station in hPa. The air pressure *P* at the GNSS site in Eq. 1 is obtained by vertically interpolating the surface pressure *P_s* using the barometric formula:

15
$$P = P_s \left(\frac{T_s - L(z - z_s)}{T_s}\right)^{\frac{qM}{RL}}$$
(2)

where T_s is the surface air temperature at the meteorological station in [K], z and z_s are respectively the altitude in [km] of the GNSS and meteorological station above mean sea level (AMSL), L is the temperature lapse rate in [K/km], R is the universal gas constant (8.31447 J/mol K), M is the molar mass of Earth's air (0.0289644 kg/mol), and g is the average Earth's gravitational acceleration (9.80665 m/s²). The In the lower atmosphere, the temperature is related to the elevation change using

20 the following linear regressionrelation:

$$T = T_s - L(z - z_s) \tag{3}$$

By analyzing ERA-Interim temperature profiles over Germany, we found that the Lapse rate changes between summer and winter and in space. The value of *L* varies between 3 and 7 K/km for this research region. These values result in 2 mm change in the ZHD at altitude difference of 1 km. Similarly, the change in PWV is below 0.2 mm, which can be neglected. Once the
25 ZHD is calculated, the zenith wet delay (ZWD) is obtained by:

$$ZWD = ZTD - ZHD \tag{4}$$

and it is converted into PWV using the empirical factor Π (*Bevis et al.*, 1994),

$$PWV = \Pi \cdot ZWD \tag{5}$$

For more details on the GNSS data processing, the reader is referred to (Gendt et al., 2004) and (Bender et al., 2011).

We compared the PWV obtained from GNSS with ERA-Interim data. Figure 2 shows the results for three sites at different altitudes as well as the mean and standard deviations of the time series difference. ERA-Interim grid provides values of PWV at grid points separated by about 79 km in longitude and latitude. The ECMWF provides a software to horizontally interpolate the current ERA-Interim grid at different locations of the GNSS stations as described in (*Heise et al.*, 2009). We did not account

- 5 for altitude difference, which have significant impact in mountainous areas. For the sites located in flat terrain, the two data sets show strong correlation with a mean difference the bias values below 1 mm and uncertainty values standard deviation of less than 2 mm (Figure 2). The mean difference bias between the data sets increases for sites in mountainous regions. The time series of the site 0285 (Garmisch, Germany, 1779 m AMSL), for example, show a larger bias between GNSS and ERA-Interim data, which is explained as follows: we average PWV of four distant grid points around the GNSS site. With the rough spatial
- 10 resolution, the variability of surface topography is not well captured in the reanalysis data, which significantly increases the height difference between GNSS and the model, and hence the PWV difference. Besides, the daily mean in ERA-Interim is obtained by averaging four PWV values/day, while using GNSS there are 96 PWV estimates/day. We should bear in mind that GNSS estimates of PWV in mountainous regions might be less accurate because of shadowing effects. Due to the presence of mountains, the visibility of satellites might be limited. Also, there might be multipath effects in the observed signal. This will
- 15 have an impact on the estimated tropospheric parameters. This positive bias was also observed by *Morland et al.* (2006) when comparing ERA40 and GPS in the Alps for the site Jungfraujoch at 3584 m AMSL.

For accurate determination of the PWV from GNSS measurements, it is required to have measurements of mainly air pressure and temperature at the GNSS sites or within a short spatial range. In the absence of meteorological measurements, would the interpolation of pressure and temperature from reanalysis data be a good replacement? To answer this question, we

- 20 compared the PWV time series extracted from the ZTD by using both measurements at the meteorological stations and ERA-Interim data. To calculate the ZHD, the in situ measured pressure and temperature are horizontally interpolated to the GNSS site and then vertically interpolated to the GNSS antenna phase center. For GNSS sites below the lowest ERA-Interim level, the pressure and temperature are extrapolated at the site altitude as described in (*Heise et al.*, 2009). The ZWD is then extracted and converted into PWV. Figure 3 shows the scatterplots of PWV obtained using surface measurements and ERA-Interim data.
- 25 We found that in regions of smooth topography, the ERA-Interim data and the measurements provide almost the same values of PWV and pressure. In regions of steep topographic gradients, however, the ERA-Interim data show slightly different results, which is mainly related to the pressure data as observed from Figure 3. The deviations between the measured pressure and the ERA-Interim pressure increase in mountainous regions, which affects the calculation of the ZHD and hence the obtained PWV.

Besides station pressure, an important factor for an accurate determination of PWV is the conversion factor Π , which should

30 be calculated using measurements of surface temperature. *Askne and Nordius* (1987) determined the conversion factor Π as follows:

$$\Pi = \frac{10^6}{\rho_w R_w \left(\frac{k_3}{T_m} + k_2'\right)} \tag{6}$$

where ρ_w is the density of water and R_w is the specific gas constant of water vapor [461.5 J/kg·K]. In our research, we used the values of the physical constants k_3 and k'_2 given by Bevis et al. (1994), T_m was given by Davis et al. (1985) as

$$T_m = \frac{\int_z \frac{P_{wv}}{T} dz}{\int_z \frac{P_{wv}}{T^2} dz}$$
(7)

5

where T is the air temperature and P_{wv} water vapor pressure at vertical levels. Davis et al. (1985) suggested the use of water vapor pressure and temperature profiles from radiosondes; however, it is easier to get these profiles from numerical atmospheric models. In this work, we obtained T_m as described in (*Heise et al.*, 2009) using the ERA-Interim model that covers 60 vertical levels extending from the Earth's surface up to 0.1 hPa. T_m can be well approximated based on air surface temperature by the following formula (Bevis et al., 1992):

$$T_m \approx 70.2 + 0.72T_s,$$
 (8)

- 10 where T_s is the surface temperature in [K]. For our research region, we compared T_m obtained from both methods (7) and (8) as shown by the scatterplot of Figure 4. The surface temperature and vertical profiles of water vapor pressure and temperature in Eq. 7 from ERA-Interim were employed. The difference between the T_m calculated from both methods at the GNSS site 0522 (Pirmasens, Germany, 399 m AMSL) has a mean value of 0.97 K and a standard deviation (STD) of 2 K. Repeating the calculations for the site 0285 (Garmisch, Germany, 1779 m AMSL), the mean difference bias increases to 3.02 K and the
- 15 STD is 1.83 K. Not only surface pressure grids are inaccurate in mountainous regions (Figure 3 d), but also pressure profiles, which might be related to the coarse grid of ERA-Interim. Also, the temperature profiles have inaccuracies, however, less than those for the pressure. By using the integration in Eq. 7, the accumulated error in the calculated T_m will be higher; and the bias between this T_m and that calculated using only the surface temperature will increase, as observed from the right plot in Figure 4. However, by computing the PWV using the two different values of T_m , the results show a mean difference bias of
- 0.048 mm for site 0522 and -0.083 mm for site 0285. Hence, Eq. 8 will be used to calculate T_m since it only requires the 20 measured surface temperature.

3 **Determination of PWV based on surface meteorological measurements**

It is not possible to accurately determine the total column water vapor using surface meteorological observations alone. However, it was shown in the 1960s that it is possible to approximate the atmospheric PWV based on dew point temperature

25 measurements, which is considered an indicator of the amount of moisture in the air (Reitan, 1963). The dew point temperature in turn is determined based on the air temperature and relative humidity. Reitan (1963) presented a basic relationship between the mean monthly PWV and mean monthly surface dew point temperature by the following regression form:

 $PWV = \exp(bT_d + a)$

where PWV is in cm and T_d is the dew point temperature in °F. a and b are estimated to have the values of -0.981 and 0.0341 30 (Reitan, 1963). The standard error in the PWV estimate was 0.18 cm. Following the same procedure, Bolsenga (1965) obtained

slightly different estimates for a and b using hourly and mean daily observations. *Smith* (1966) obtained a similar regression equation with the coefficient a not being constant. It rather depends on the vertical distribution of the atmospheric moisture, i.e.,

$$PWV = \exp\left(\underbrace{0.0393}_{b}T_{d} + \underbrace{[0.1133 - \ln(\lambda + 1)]}_{a}\right)$$

5 with the value of λ dependent on the site latitude and the season of year (*Smith*, 1966). The surface measurements of relative humidity are necessary to determine the dew point temperature T_d , which can be related as presented by *Lawrence* (2005) using the following formula:

$$T_{d} = \frac{B_{1} \left[\ln \frac{rh}{100} + \frac{A_{1}T}{B1 + T} \right]}{A_{1} - \ln \frac{rh}{100} - \frac{A_{1}T}{B1 + T}}$$

where rh is the relative humidity in percentage and T is the surface air temperature. Both T and T_d are given in degrees 10 Celsius. The coefficients A_1 and B_1 have the values 17.625 and 243.04 °C, respectively.

In this work, we estimated the coefficients a and b at each meteorological station by fitting the curves in Eq. 19 to the ERA-Interim PWV data. Figure **??** (a) shows an example of the fitting at station Lindenberg and the estimated a and b at 227 stations in (b). The estimated a values tend to show higher variability at higher altitudes (above 700 m), while the coefficient b shows lower change with the altitude. The median values for a and b using daily PWV are -1.346 and 0.039, which are close

15 to the values -1.249 and 0.0427 presented by *Bolsenga* (1965). For monthly PWV, the median values are -1.224 and 0.037 for *a* and *b*, respectively.

To evaluate this method, we used the temperature and relative humidity measurements at the meteorological station Lindenberg (14°6'E, 52°12'N) to determine the PWV using Eq. 19. We compared the obtained PWV values with the radiosonde measurements of PWV at 12:00 UTC, as shown in Figure **??**. The time series have a 91% correlation, a mean difference of 0.04 mm and

- 20 a difference STD of 3.2 mm. To evaluate the daily PWV time series for the whole network, we used the ERA-Interim data. The PWV value at the meteorological station is computed by applying bilinear interpolation to ERA-Interim PWV at four grid points around that station. The altitude difference was not accounted for. Figure 10a shows the bias and standard deviation values of daily PWV for 227 stations as well as the mean difference against the altitude difference of the two data sets (ERA-Interim height – station height). The mean difference is centered around 0.15 mm and the standard deviation around
- 25 2.5 mm. From Figure 10b we observe that the higher the altitude difference, the larger is the mean PWV difference.

3 Decadal variability in time series of atmospheric variables

3.1 Estimating the trend using least squares regression

Econometricians developed reasonably simple models that are capable of interpreting, testing hypotheses, and forecasting economic data. The method was to decompose the time series into a trend, a seasonal, a cyclic, and an irregular component

5 (*Enders*, 1995). The trend component represents the long-term behavior of the time series, while the seasonal and the cyclic components represent the regular and periodic movements. The time series also contain a stochastic irregular component. Time series of PWV and temperature, for example, have different temporal variations that can be reasonably modeled using this approach. Here holds an additive model, such that the time series y_t can be extended as:

$$y_t = T_t + S_t + I_t \tag{9}$$

- 10 where T_t is a deterministic trend component with slow temporal variations, S_t represents the seasonal component with known periodicity (e.g., 12 months for PWV and temperature), and I_t represents the irregular (stationary) stochastic component with short temporal variations. We did not observe a regular signal that lasts longer than one year, so we excluded the cyclic component for the model. The presence of seasonality might mask the small changes in the linear trend. Therefore, for proper trend analysis, the seasonal component has to be estimated and removed from the time series, which is known by seasonal
- 15 adjustment (*Enders*, 1995). The deseasonalized data are useful for extracting the long-term trend and exploring the irregular component of a time series.

The seasonal adjustment is applied as an iterative procedure as follows. To best estimate the seasonal component, the linear trend has first to be estimated and removed from the time series. There are different methods to estimate the trend such as using moving average or parametric trend estimation. Here, we used the method of moving average with a window length of

20 one year that is able to smooth out seasonal and irregular signals. We employ time series of PWV and temperature with daily values (the GNSS-based estimates of PWV have a temporal resolution of 15 minutes, but we average them to get mean daily values for climatological studies). The trend is estimated as follows:

$$\hat{T}_t = \frac{y_{t-q} + y_{t-q+1} + \dots + y_{t+q-1} + y_{t+q}}{d} \tag{10}$$

Since the time series are daily and the seasonal signal is annual, the value of d is 365 and q = (d-1)/2. For d = 366, q = d/225 and the trend is estimated from:

$$\hat{T}_t = \frac{0.5y_{t-q} + y_{t-q+1} + \dots + y_{t+q-1} + 0.5y_{t+q}}{d} \tag{11}$$

The estimated trend component is subtracted from the original time series and the detrended signal is averaged to estimate the seasonal component \hat{S}_t as follows. We first obtain:

$$w_t = \frac{1}{\text{number of summands}} \sum_{\frac{q-t}{d}}^{\frac{n-q-t}{d}} (y_{t+jd} - \hat{T}_{t+jd})$$
(12)

with n the number of data samples. Then w_t is centered, i.e., we derive a seasonal signal with a zero mean.

$$\hat{S}_t = w_t - \frac{1}{d} \sum_{k=1}^d w_k, \qquad t = 1, 2, \cdots, d$$
(13)

For an additive model, \hat{S}_t should fluctuate around zero to avoid any influence from the trend. The estimated seasonal component is subtracted from the original time series to obtain a seasonally-adjusted time series dy_t , i.e.,

$$5 \quad dy_t = y_t - \hat{S}_t \tag{14}$$

Figure 5 shows an example of the trend, seasonal, and irregular components of PWV time series at site 0896 in Berlin. To estimate the slope of the trend, we fit a straight line $\hat{T} = \hat{b} + \hat{m}t$ to the trend component produced by the moving average step. The standard deviation of the estimated slope (called standard error) is calculated as (*Wigley et al.*, 2006):

$$s_{\hat{m}}^2 = \frac{\frac{1}{n-2} \sum_{1}^{n} (y_i - \hat{y})^2}{\sum_{1}^{n} (t_i - \bar{t})^2}$$
(15)

10 where n-2 is the degree of freedom for n data points. The approximate 95% confidence interval is expressed as $\hat{m} \pm 2 s_{\hat{m}}$. Weatherhead et al. (1998) presented another way to calculate the standard deviation of the estimated slope.

$$s_{\hat{m}}^* = \frac{\sigma_I}{n_y^{3/2}} \sqrt{\frac{1+\phi_I}{1-\phi_I}}$$
(16)

where σ_I denotes the standard deviation of the irregular component and n_y denotes the number of years of the data. ϕ_I represents the 1-Lag autocorrelation of the irregular component.

15 3.2 Estimating the trend using Theil-Sen estimator

The Theil-Sen estimator presented by *Theil* (1950) and *Sen* (1968) aims to robustly find the linear fit of a data set despite containing outliers. If $(t_1, y_1), \ldots, (t_n, y_n)$ represent the data points, then the Theil-Sen estimator determines the slope of the line that connects each data pair. The median among the slopes of all pairs in the slope of the fit, i.e.,

$$\hat{m} = \text{median} \left\{ \frac{y_j - y_i}{t_j - t_i} \right\} \qquad \text{for } i < j \le n$$
(17)

20 The standard error of the estimated slope is calculated as in (15).

We compared the two methods of trend estimation using PWV time series at the site Lindenberg (14°6'E, 52°12'N), where GNSS, ERA-Interim, synoptic and radiosonde data are available, as shown in Figure 6. The mean difference bias between PWV from synoptic data and GNSS is 0.04 mm, while their to the ERA-Interim is -0.21 mm. The mean difference bias of both GNSS and synoptic PWV to the radiosonde PWV is 0.95 mm, which is because the former are daily values while the

25 radiosonde provides an instant measurement (at 12:00 UTC). This, however, does marginally affect the estimation of the trend. For the least squares method, we estimate and remove the seasonal component and filter out the irregular component to provide the trend shown in Figure 6 (b). Table 1 shows the slope of the linear trend estimated at the site Lindenberg using the PWV time series in Figure 6 computed using the least squares and Theil-Sen methods. Applying both methods to three different data sets shows a positive trend of about 0.5 mm/decade with standard deviation of 0.04 mm/decade.

5 We also analyze the change in PWV in relation to the change in temperature. As temperature rises, the air capacity to hold moisture increases at the Clausius-Clapeyron rate. The water vapor pressure e is related to temperature T as follows:

$$\frac{e_2}{e_1} = \exp\left(\frac{\Delta H_v}{R} \left(\frac{1}{T_1} - \frac{1}{T_2}\right)\right) \tag{18}$$

where ΔH_v is enthalpy of vaporization and R is the universal gas constant. This relationship indicates that 1°C rise in the temperature increases the vapor pressure by 7%. Based on this formula, the change in the PWV can theoretically be

- 10 related to the change in the temperature. The PWV is linearly related to the vapor pressure as presented in (*Tuller*, 1977), i.e., *PWV* = 2.3*e*. By substituting this into (18), the increment in PWV should, in theory, be the same as the increment in the vapor pressure (approximately 7%) per degree Celsius rise in temperature. This was also observed by analyzing the temperature, water vapor pressure, and PWV data sets. We obtained the change in PWV and vapor pressure per one degree rise in temperature as shown in Figure 12. The increase in the water vapor pressure at 227 stations is in the range of 4.5% and
- 15 6.5%, which is close to the Clausius-Clapeyron rate. We observed a similar rate of change for the PWV with the temperature, or more precisely, $\frac{PWV_2}{PWV_1} = 1.003\frac{e_2}{e_T}$.

4 Results

4.1 Estimating the trends using GNSS-based PWV

In this section, we show the estimated trends using three data sets, GNSS, ERA-Interim, and synoptic data of PWV and 20 temperature. First, we estimated the trends of PWV at 351 GNSS sites with time series of length 4 to 19 years long and the 20 corresponding standard deviations of the estimated slope as shown in Figure 7-(a, b). The size of the marker is proportional to 21 the length of the time series (small squares indicate short time series and larger ones indicate longer time series). As observed 22 from the figure, there are high trend values, particularly at sites with short time series. Therefore, in Figure 7-(c, d8 (a), we 23 eliminated all sites with time series shorter than 10 years. At the remaining 119 sites the PWV trend varies between -1.5 to

25 2-2.3 mm/decade (except for six sites) with precision of the estimated trends below 0.20.25 mm/decade. To validate these estimates, we analyzed ERA-Interim data over the same times where GNSS data are available, Figure 8 (c). The results from concurrent ERA-Interim time series show high similarity in the trend values and the variations of the trend in space.

4.2 Estimating the trends using longer time series

Since the trend is estimated from GNSS time series of different length, it is reasonable to provide a mean value for the whole region or observe spatial features of the trends. Therefore, and in order to get more insight and more reasonable conclusions about the long-term temporal variations of PWV, it is necessary to analyze longer time series time series spanning one predefined period for all stations. Since the last climate normal extends from 1991 to 2020, we analyzed time series of 26 years

- 5 (January, 1991–June, 2016) from ERA-Interim and synoptic data. We investigated time series at 227 meteorological stations where the ERA-Interim is horizontally interpolated at the synoptic station using bilinear interpolation. Figure 9 shows the estimated trends using ERA-Interim PWV time series by applying, first the least squares to the seasonally-adjusted data and second using the Theil-Sen method. Both methods show similar values of the trend, positive and below 0.5positive with values of 0.34±0.06 mm/decade. The standard deviations (errors) of the estimated trends using the Theil-Sen method are higher. As
- 10 observed from the Figure 9, the trend tends to increase in the direction to northeastern Germany.

25

30

Using the method of *Reitan* (1963), the PWV can be obtained based on surface measurements of dew point temperature. The potential of this data set is the length of the time series that might go back to the beginning of the twentieth century. The DWD checks the quality and homogeneity and provides time series. In order to validate these results, it is necessary to have a long data set, which is not available for this research. However, DWD provides surface measurements of atmospheric parameters that are

- 15 accurate and homogenous so that they are proper for climate studies. We used the surface measurements of temperature It is not possible to accurately determine the total column water vapor using surface meteorological observations alone. However, it was shown in the 1960s that it is possible to approximate the atmospheric PWV based on dew point temperature measurements, which is considered an indicator of the amount of moisture in the air (*Reitan*, 1963). The dew point temperature in turn is determined based on the air temperature and relative humidityto obtain the PWV-. *Reitan* (1963) presented a basic relationship
- 20 between the mean monthly PWV and mean monthly surface dew point temperature by the following regression form:

$$PWV = \exp(bT_d + a) \tag{19}$$

where *PWV* is in cm and T_d is the dew point temperature in °F. *a* and compared the results with the ERA-Interim before the trend estimation. The difference between the data sets is displayed in Figure 10. Next, we estimated the trends using the time series of PWV, which are presented in Figure ??. The trends estimated at the sites in the northeastern part of Germany show higher values; however, we do not observe the gradient, with the same consistency, shown by the ERA-Interim data, for example, in Figure 9 (a).Considering these differences, we have to keep in mind that the synoptic data are point measurements that are affected by the local environment (surroundings) of the meteorological station and weather conditions. Also, the parameters *b* are estimated to have the values of -0.981 and 0.0341 (*Reitan*, 1963). The standard error in the PWV estimate was 0.18 cm. Following the same procedure, *Bolsenga* (1965) obtained slightly different estimates for *a* and *b* using hourly and mean daily observations. *Smith* (1966) obtained a similar regression equation with the coefficient *a* not being constant. It rather depends on the vertical distribution of the atmospheric moisture, i.e.,

$$PWV = \exp\left(\underbrace{0.0393}_{b} T_d + \underbrace{[0.1133 - \ln(\lambda + 1)]}_{a}\right)$$
(20)

with the value of λ dependent on the site latitude and the season of year (*Smith*, 1966).

In this work, we estimated the coefficients *a* and *b* at each meteorological station by fitting the curves in Eq. 19 might result in slight spatial variations. Such small scale effects can not be represented by to the ERA-Interim data due to the coarse spatial resolution. Therefore, we attempted to reduce these small scale effects from the data by curve fitting, where a cubic polynomial

5 is applied along the longitude and latitude. Figure ?? shows an example of PWV data. The median values for *a* and *b* using daily PWV are -1.346 and 0.039, which are close to the values -1.249 and 0.0427 presented by *Bolsenga* (1965). For monthly PWV, the median values are -1.224 and 0.037 for *a* and *b*, respectively.

We used measurements of surface dew point temperature to obtain the daily PWV and time series for the whole network are evaluated using the ERA-Interim data. The PWV data at value at the meteorological station is computed by applying bilinear

- 10 interpolation to the ERA-Interim PWV at four grid points around that station. The altitude difference was not accounted for. Figure 10 (a) shows the bias and standard deviation values of daily PWV for 227 stations and the fitted PWV. The fitting is applied in the longitude direction and the fitted PWV is subtracted from the original data and the fitting is applied to the residuals along the latitude. The final fitted PWV is the sum of both fittings along the longitude and latitude. Applying the 1D polynomial regression sequentially over the longitude and latitude leads to better fitting than applying 2D polynomial to the
- 15 data in longitude and latitude. Figure ?? shows the trends estimated using the filtered data set. In this stations as well as the bias against the altitude difference of the two data sets (ERA-Interim height-station height). The bias is centered around 0.15 mm and the standard deviation around 2.5 mm. From Figure 10 (b) we observe that the higher the altitude difference, the larger is the mean PWV difference.

Next, we estimated the trends using the time series of dew point-based PWV after removing local environment effects,

- 20 which are presented in Figure 11. The trend values vary in the range 0.48±0.13 mm/decade over the research region. From the figure, we observe the increase in the estimated trend when moving towards northeastern Germany. The color gradient in this figures is similar to that shown by ERA-Interim in Figure 9. However, the values of the slopes estimated from ERA-Interim and synoptic data are different, which is not surprising. First because of the coarse resolution of the ERA-Interim data and second due to altitude difference, which might result in different trends. In order to justify these results, a data set with a higher
- 25 spatial resolution than that of ERA-Interim is required.

The same procedure is applied to the temperature estimate the trends from temperature and dew point temperature time series. The estimated temperature trends from surface measurements at 227 stations are shown in Figure ??. We observed that the 13 (a) fluctuate in the range 0.39 ± 0.1 K/decade. In Figure 13 (c) the trend estimated for dew point temperature time series, in the range 0.48 ± 0.11 , are shown. We calculated the change in PWV per one degree rise in temperature, and the results are

30 shown in Figure 12. The increment in PWV is in the range of 4.5% and 6.5%, which is comparable to the theoretical rate of Clausius-Clapeyron equation.

Also, the estimated trend in PWV is correlated with that from the <u>dew point</u> temperature, which is exhibited in Figure <u>2213 (c)</u>. Using ERA-Interim temperature and dew point temperature leads to the same observation; however the trend values are slightly different. We also observed that the trends of dew point temperature are almost in the same range as those for PWV, which makes time series of the dew point temperature proper to provide reasonably adequate information about PWV trends.

5 Conclusions

In this paper, we aimed at analyzing the climate evolution in Germany using time series of precipitable water vapor and surface air temperature. We first compared PWV time series obtained from GNSS, ERA-Interim, and synoptic observations to check the quality thereof. The data sets show strong correlation with uncertainty values below 1 mm.

By comparing the GNSS-based PWV with those from ERA-Interim, the results show strong agreement in flat terrain while a bias of about 0.6 mm is observed in mountainous regions. This might be due to the coarse is mostly caused by the coarse spatial resolution of the ERA-Interim data and hence the lack inability to properly represent the topography. In the absence of

10 pressure and temperature measurements, ERA-Interim data is an appropriate replacement for extracting PWV from the GNSS path delay, particularly in flat terrain.

Considering long term evolution, PWV trends have a physical meaning only when the time series have to be adequately long. Therefore, we used time series from ERA-Interim and synoptic stations. Using dew point temperature, we could produce PWV time series at 227 stations with an average bias below 1.2 mm to the ERA-Interim data. To evaluate the temporal evolution of

- 15 PWV and temperature, we modeled the time series with an additive model that contains trend, seasonal, and stochastic irregular components. The time series are seasonally adjusted to remove the periodic signal, and the trend component is then analyzed after filtering out the irregular component caused mainly by weather variations. The Comparison comparison of this method with the Theil-Sen estimator shows insignificant differences. The GNSS-based estimated PWV trends change between -1.5 and 22.3 mm/decade for time series that are 10 to 19 years long. Since the PWV time series at different GNSS sites are not
- 20 concurrent, we could not draw specific conclusions about the mean trend or spatial features of the trend over the whole research region. Considering long term evolution, PWV trends have a physical meaning only when the time series are adequately long, we analyzed time series from ERA-Interim and synoptic stations. Using dew point temperature, we could produce PWV time series at 227 stations with an average bias below 1.2 mm to the ERA-Interim data. By analyzing time series of 26 years from ERA-Interim and filtered synoptic datathe synoptic data, the PWV trends are observed to be positive and below 0.9 in the range
- 25 of 0.34±0.06 and 0.48pm0.13 mm/decade, respectively. The ERA-Interim PWV shows lower trend values of the trend. We found that the trends trends estimated, over 26 years for each station, tend to show a positive gradient when moving from southwestern to northeastern Germany. The PWV trends correlate with the trends of the temperaturewhile the increment in PWV varies between 4.5% and 6.5% per degree Celsius rise in temperature, which is comparable to the theoretical rate of Clausius-Clapeyron equation. The magnitude of the PWV trend slightly differs from that of the dew point temperature. Hence,
- 30 we can consider the trends estimated from the dew point temperature as a measure for the PWV trends in case of lack of observations.

It would be illuminating to validate the results of this research using a data set that has a higher spatial resolution than the ERA-Interim.

Acknowledgements. The authors would like to thank the ECMWF for making publicly available the ERA-Interim data. Thanks also go to the German Meteorological Service (DWD) for providing us with hourly meteorological measurements.

References

5

25

- Alshawaf, F., S. Hinz, M. Mayer, and F. J. Meyer (2015), Constructing accurate maps of atmospheric water vapor by combining interferometric synthetic aperture radar and GNSS observations, *Journal of Geophysical Research: Atmospheres*, 120, 1391–1403.
- Arguez, A., and R. S. Vose (2011), The definition of the standard WMO climate normal: The key to deriving alternative climate normals,
- Askne, J., and H. Nordius (1987), Estimation of tropospheric delay for microwaves from surface weather data, *Radio Science*, 22(3), 379–386.
 - Bender, M., G. Dick, J. Wickert, T. Schmidt, S. Song, G. Gendt, M. Ge, and M. Rothacher (2008), Validation of GPS slant delays using water vapour radiometers and weather models, *Meteorologische Zeitschrift*, *17*(6), 807–812.
- 10 Bender, M., G. Dick, M. Ge, Z. Deng, J. Wickert, H.-G. Kahle, A. Raabe, and G. Tetzlaff (2011), Development of a gnss GNSS water vapour tomography system using algebraic reconstruction techniques, *Advances in Space Research*, 47(10), 1704–1720.
 - Bengtsson, L., S. Hagemann, and K. I. Hodges (2004), Can climate trends be calculated from reanalysis data?, *Journal of Geophysical Research: Atmospheres*, *109*(D11).

Bennitt, G. V., and A. Jupp (2012), Operational assimilation of GPS zenith total delay observations into the met office numerical weather

15 prediction models, *Monthly Weather Review*, *140*(8), 2706–2719.

Bulletin of the American Meteorological Society, 92(6), 699–704.

- Bevis, M., S. Businger, T. A. Herring, C. Rocken, R. A. Anthes, and R. H. Ware (1992), GPS Meteorology: Remote sensing of atmospheric water vapor using the global positioning system, *Journal of Geophysical Research: Atmospheres*, 97(D14), 15,787–15,801.
- Bevis, M., S. Businger, S. Chiswell, T. A. Herring, R. A. Anthes, C. Rocken, and R. H. Ware (1994), GPS Meteorology: Mapping Zenith Wet Delays onto Precipitable Water, *Journal of Applied Meteorology*, 33(3), 379–386.
- 20 Bock, O., Keil, C., Richard, E., Flamant, C., and Bouin, M.-N.: Validation of precipitable water from ECMWF model analyses with GPS and radiosonde data during the MAP SOP, Quarterly Journal of the Royal Meteorological Society, 131, 3013–3036, 2005.
 - Bolsenga, S. J. (1965), The relationship between total atmospheric water vapor and surface dew point on a mean daily and hourly basis, *J. Appl. Meteor.*, *4*, 430–432.

- Davis, J. L. (1986), Atmospheric propagation effects on radio interferometry, NASA STI/Recon Technical Report N, 87, 23,855.
- Dee, D., S. Uppala, A. Simmons, P. Berrisford, P. Poli, S. Kobayashi, U. Andrae, M. Balmaseda, G. Balsamo, P. Bauer, et al. (2011), The ERA-Interim reanalysis: Configuration and performance of the data assimilation system, *Quarterly Journal of the Royal Meteorological Society*, 137(656), 553–597.
- 30 Elgered, G., and P. O. Jarlemark (1998), Ground-based microwave radiometry and long-term observations of atmospheric water vapor, *Radio Science*, 33(3), 707–717.
 - Enders, W. (1995), Applied Econometric Time Series, Wiley, New York.
 - Gendt, G., G. Dick, C. Reigber, M. Tomassini, Y. Liu, and M. Ramatschi (2004), Near real time GPS water vapor monitoring for numerical weather prediction in germany, *J. Meteor. Soc. Japan*, 82(1B), 361–370.
- 35 Gradinarsky, L., J. Johansson, H. Bouma, H.-G. Scherneck, and G. Elgered (2002), Climate monitoring using GPS, *Physics and Chemistry of the Earth, Parts A/B/C*, 27(4), 335–340.

Davis, J., T. Herring, I. Shapiro, A. Rogers, and G. Elgered (1985), Geodesy by radio interferometry: Effects of atmospheric modeling errors on estimates of baseline length, *Radio Science*, 20(6), 1593–1607.

- Haas, R., G. Elgered, L. Gradinarsky, and J. M. Johansson (2003), Assessing long term trends in the atmospheric water vapor content by combining data from VLBI, GPS, radiosondes and microwave radiometry, in *Proceedings of the 16th Working Meeting on European VLBI* for Geodesy and Astrometry, edited by W. Schwegmann and V. Thorandt, Bundesamt für Kartographie und Geodäsie, Frankfurt/Leipzig, pp. 279–288.
- 5 Hausmann, P., R. Sussmann, T. Trickl, and M. Schneider (2017), A decadal time series of water vapor and d/h isotope ratios above mt. zugspitze: transport patterns to central europe, Atmospheric Chemistry and Physics Discussions, 2017, 1–35, doi:10.5194/acp-2016-1029.
 - Heise, S., G. Dick, G. Gendt, T. Schmidt, and J. Wickert (2009), Integrated water vapor from IGS ground-based GPS observations: initial results from a global 5-min data set, *Ann. Geophys*, 27(7), 2851–2859.

Jade, S., and M. Vijayan (2008), GPS-based atmospheric precipitable water vapor estimation using meteorological parameters interpolated from NCEP global reanalysis data, *Journal of Geophysical Research: Atmospheres*, *113*(D3).

- Lawrence, M. G. (2005), The relationship between relative humidity and the dewpoint temperature in moist air: A simple conversion and applications, *Bull. Amer. Meteor. Soc.*, 86(2), 225–233, doi:10.1175/BAMS-86-2-225.
 - Luo, X., M. Mayer, and B. Heck (2008), Extended neutrospheric modelling for the GNSS-based determination of high-resolution atmospheric water vapor fields, *Boletim de Ciencias Geodesicas*, 14(2), 149–170.
- 15 Morland, J., M. Liniger, H. Kunz, I. Balin, S. Nyeki, C. Mätzler, and N. Kämpfer (2006), Comparison of GPS and era40 iwv in the alpine region, including correction of GPS observations at jungfraujoch (3584 m), *Journal of Geophysical Research: Atmospheres*, 111(D4).

Nilsson, T., and G. Elgered (2008), Long-term trends in the atmospheric water vapor content estimated from ground-based gps data, *Journal* of Geophysical Research: Atmospheres, 113(D19).

- Ning, T., J. Wickert, Z. Deng, S. Heise, G. Dick, S. Vey, and T. Schöne (2016), Homogenized time series of the atmospheric water vapor
 content obtained from the GNSS reprocessed data, *Journal of Climate*.
- Pichelli, E., R. Ferretti, D. Cimini, D. Perissin, M. Montopoli, F. S. Marzano, and N. Pierdicca (2010), Water vapor distribution at urban scale using high-resolution numerical weather model and spaceborne SAR interferometric data, *Natural Hazards and Earth System Science*, *10*(1), 121–132.

Reitan, C. H. (1963), Surface dew point and water vapor aloft, J. Appl. Meteor., 2, 776-779.

10

Saastamoinen, J. (1973), Contributions to the theory of atmospheric refraction, *Bulletin Géodésique (1946-1975)*, *107*(1), 13–34.
 Sen, P. K. (1968), Estimates of the regression coefficient based on Kendall's tau, *Journal of the American Statistical Association*, *63*, 1379–1389.

Simmons, A., S. Uppala, D. Dee, and S. Kobayashi (2007), ERA-Interim: New ECMWF reanalysis products from 1989 onwards, ECMWF newsl., 110, 29–35.

30 Smith, W. L. (1966), Note on the relationship between total precipitable water vapor and surface due dew point, J. Appl. Meteor., 5, 726–727. Suarez, M. J., M. Rienecker, R. Todling, J. Bacmeister, L. Takacs, H. Liu, W. Gu, M. Sienkiewicz, R. Koster, R. Gelaro, et al. (2008), The GEOS-5 data assimilation system-documentation of versions 5.0. 1, 5.1. 0, and 5.2. 0.

Theil, H. (1950), A rank-invariant method of linear and polynomial regression analysis, 1, 2, and 3:, *Nederl. Akad. Wentsch Proc.*, 53, 386–392.

- 35 Tuller, S. E. (1977), The relationship between precipitable water vapor and surface humidity in New Zealand, Archiv für Meteorologie, Geophysik und Bioklimatologie, Serie A, 26(2-3), 197–212.
 - Vey, S., R. Dietrich, M. Fritsche, A. Rülke, P. Steigenberger, and M. Rothacher (2009), On the homogeneity and interpretation of precipitable water time series derived from global GPS observations, *Journal of Geophysical Research: Atmospheres*, 114(D10).

Wang, X. J. (2008), Maximizing correlation in the presence of missing data, Applied Mathematical Sciences, 2(54), 2653–2664.

- Weatherhead, E. C., G. C. Reinsel, G. C. Tiao, X.-L. Meng, D. Choi, W.-K. Cheang, T. Keller, J. DeLuisi, D. J. Wuebbles, J. B. Kerr, et al. (1998), Factors affecting the detection of trends: Statistical considerations and applications to environmental data, *Journal of Geophysical Research*, 103(D14), 17–149.
- 5 Wigley, T. M., B. Santer, and J. Lanzante (2006), Appendix a: Statistical issues regarding trends, *Temperature trends in the lower atmosphere: steps for understanding and reconciling differences*, pp. 129–139.
 - Zumberge, J., M. Heflin, D. Jefferson, M. Watkins, and F. Webb (1997), Precise point positioning for the efficient and robust analysis of GPS data from large networks, *Journal of Geophysical Research*, *102*(B3), 5005–5017.

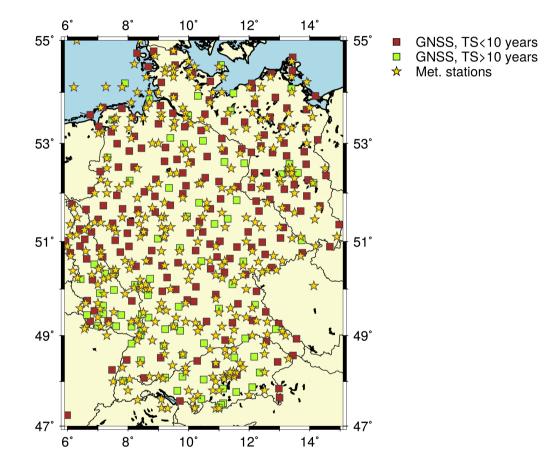


Figure 1. The location of the GNSS and meteorological sites within the research region. 119 GNSS sites of 351 have time series of 10 to 19 years long.

The coefficients a and b in Eq. 19 estimated using ERA-Interim PWV data (1991–2016), interpolated at 227 German synoptic

10 stations.

Comparison of PWV time series obtained using Eq. 19 and those measured by radiosonde at the site Lindenberg (14°6'E, 52°12'N) at 12:00 UTC. The correlation coefficient is 0.91, mean difference of 0.04 mm, difference STD of 3.2 mm.

(a) Mean and standard deviation of the PWV time series difference (1991–2016) from ERA-Interim and synoptic data at 227 stations. (b) Mean difference against the altitude difference.

(a) Estimated trends using dew point-based PWV at 227 synoptic stations and the corresponding standard deviations of the slope (b).

5 Trends of PWV, temperature and dew point temperature from ERA-Interim data (a) and surface measurements (b). The change in PWV is correlated with the change in temperature. The trend of dew point temperature can be considered an as adequate measure for PWV trend.

Method	Radiosonde	Dew point-based	ERA-Interim
Least squares	0.533	0.503	0.461
Theil-Sen	0.512	0.533	0.482

Table 1. Comparison between the estimated trends (mm/decade) from radiosonde, dew point-based, and ERA-Interim PWV time series at site Lindenberg. The standard error of the estimated trend is ≈ 0.04 mm/decade.

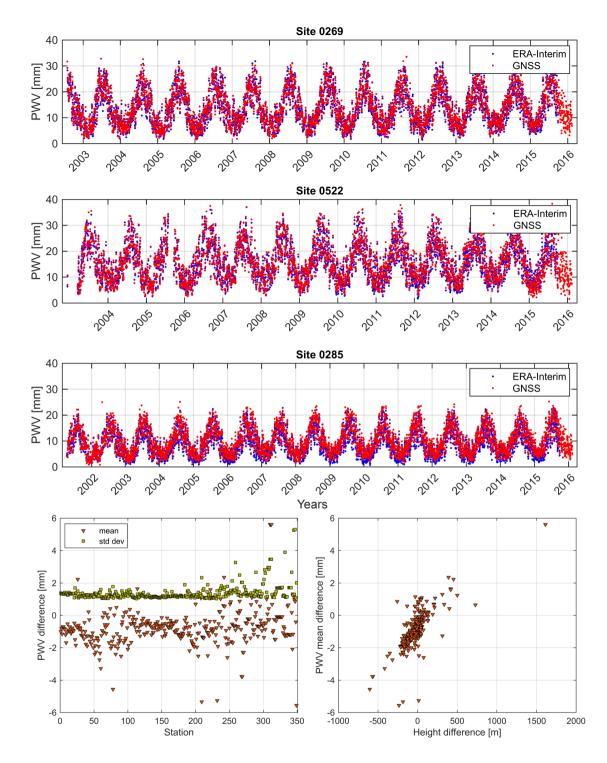


Figure 2. PWV estimated at three GNSS sites (site 0269 in Wertach, Germany at altitude of 907 m AMSL, site 0522 in Pirmasens, Germany at altitude of 399 m AMSL, and site 0285 in Garmisch, Germany at altitude of 1779 m AMSL) and the corresponding PWV from ERA-Interim. The bottom figure shows the mean of PWV difference (ERA-Interim - GNSS) and standard deviation at all sites.

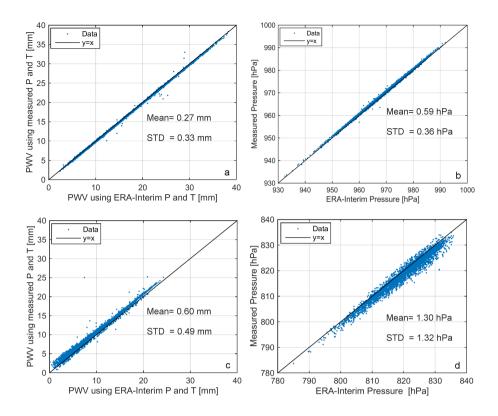


Figure 3. (a, c) show PWV determined using interpolated pressure and temperature from surface measurements and ERA-Interim and the corresponding pressure values for the GNSS site 0522. Similarly in (b, d) for the GNSS site 0285.

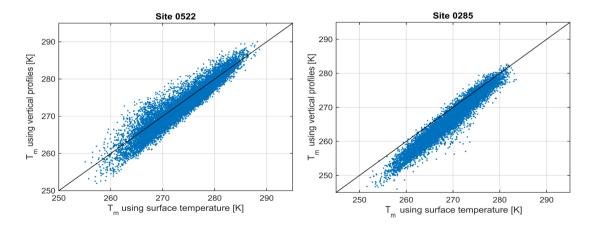


Figure 4. Mean atmospheric temperature, T_m determined once using surface temperature and vertical atmospheric profiles from ERA-Interim at the sites 0522 (399 m AMSL) and 0285 (1779 m AMSL). The mean difference bias is 0.97 K for the first site and 3.02 for the second, and the STD is 2 K for the first and for the second 1.83 K.

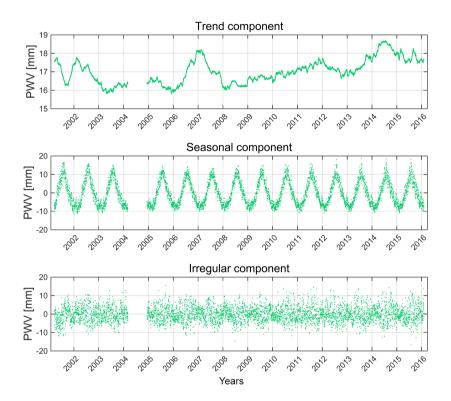


Figure 5. Trend, seasonal, and irregular components of PWV time series estimated from GNSS observations (2001–2016) at the site 0896 (Berlin, Germany, 68.37 m AMSL).

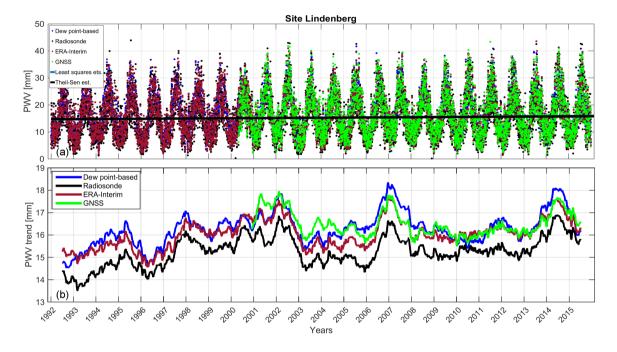


Figure 6. (a) Daily mean PWV time series at site Lindenberg from GNSS, ERA-Interim, and synoptic data (1992–2015). The PWV measured by a radiosonde at 12:00 UTC is also shown. The trend extracted by removing the seasonal and irregular components are shown in (b).

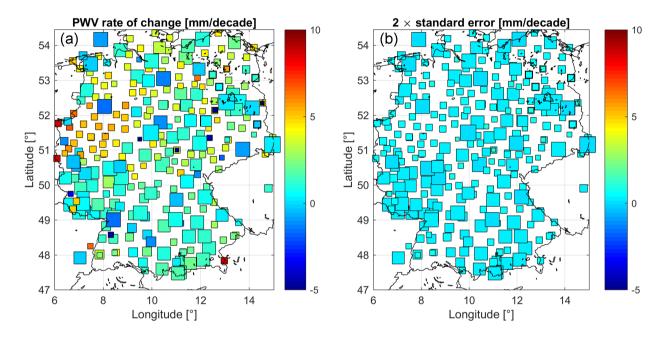


Figure 7. The estimated PWV trend <u>using at 351</u> GNSS <u>sites</u> and the corresponding uncertainty in the estimated trend using Theil-Sen estimator. The size of the marker indicates the length of the PWV time series, i.e., the larger the marker, the longer time series. (a, b) show the estimated trends at all sites and the corresponding STD, while (c, d) show the results at sites with times series of at least 10 years length.

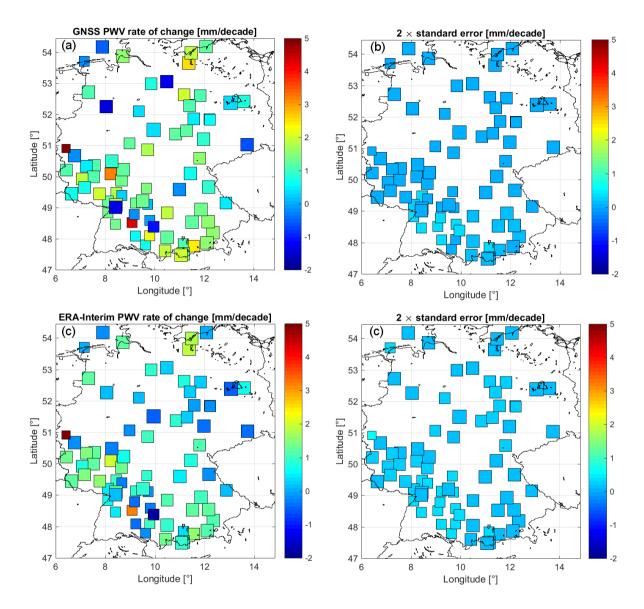


Figure 8. Validation of the PWV trend estimated from GNSS and ERA-Interim data using time series of at least 10 years length.

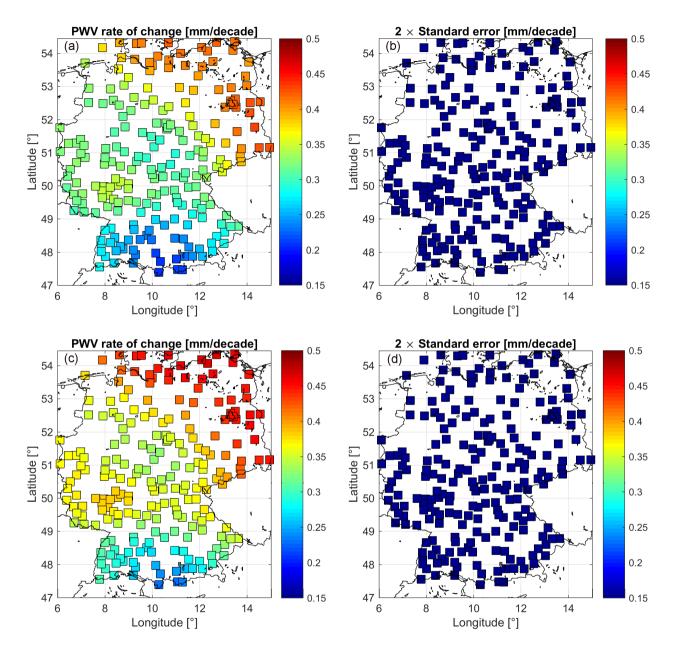


Figure 9. The estimated PWV trend using (2m) ERA-Interim data by applying least squares regression to the seasonally-adjusted time series (a) and Theil-Sen estimator (c). The standard errors of the estimated trends are shown in (b,d).

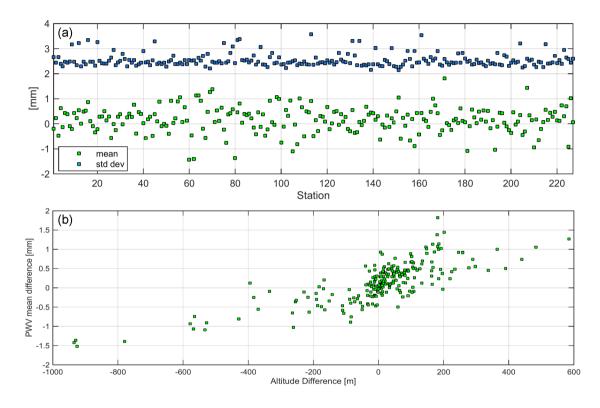


Figure 10. Fitting 3rd degree polynomial to PWV along longitude (a) Mean and to standard deviation of the residuals along latitude PWV time series difference (b1991–2016). The original from ERA-Interim and the fitted synoptic data at 227 stationsin. (eb) are shown on the map in Mean of PWV difference (d.eERA-Interim – synoptic) against the altitude difference.

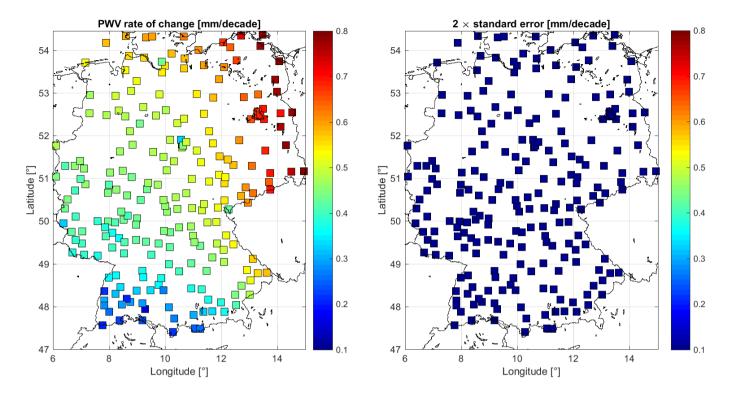


Figure 11. Estimated trends using dew point-based PWV after filtering the spatially short scale variations and the corresponding standard error of the estimated slope.

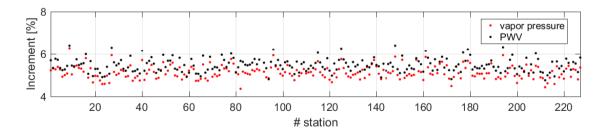


Figure 12. The increase in atmospheric water vapor pressure and PWV per one degree rise in temperature using data at 227 stations.

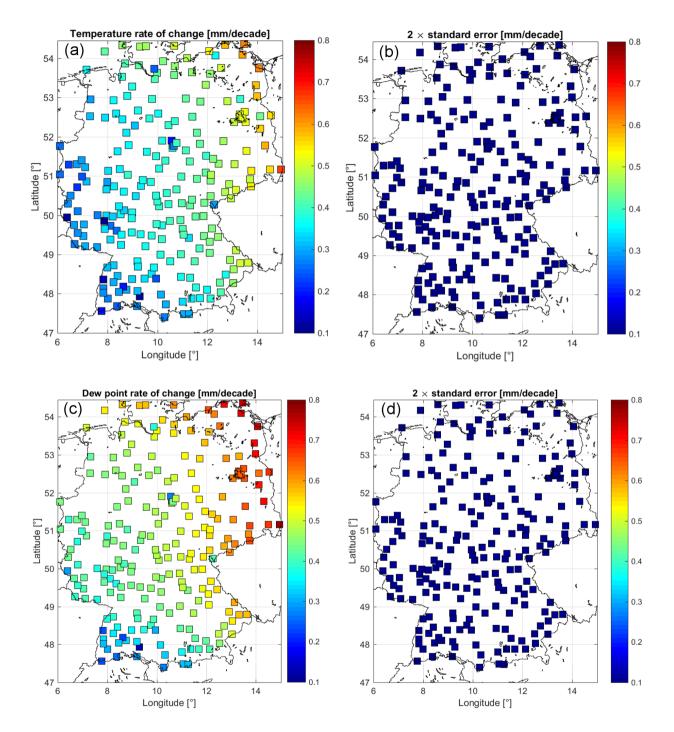


Figure 13. Estimated temperature trends using surface measurements $\underline{of}_{(a)}$ before and temperature (c) after spatially short scale variations dew point temperature, and the corresponding standard error of the estimated slope (b, d).