# Cloud base height retrieval from multi-angle satellite data 

Christoph Böhm ${ }^{1}$, Odran Sourdeval ${ }^{2}$, Johannes Mülmenstädt ${ }^{2}$, Johannes Quaas ${ }^{2}$, and Susanne Crewell ${ }^{1}$<br>${ }^{1}$ Institute for Geophysics and Meteorology, University of Cologne, Cologne, Germany<br>${ }^{2}$ Institute of Meteorology, University of Leipzig, Leipzig, Germany<br>Correspondence to: Christoph Böhm (c.boehm@uni-koeln.de)


#### Abstract

Clouds are a key modulator of the Earth energy budget at the top of the atmosphere and at the surface. While the cloud top height is operationally retrieved with global coverage, only few methods have been proposed to determine cloud base heights ( $z_{\text {base }}$ ) from satellite measurements. This study presents a new approach to retrieve cloud base heights using the Multi-angle Imaging SpectroRadiometer (MISR) on the Terra satellite. It can be applied if some cloud gaps occur within the chosen distance of typically 10 km . The MISR cloud base height (MIBase) algorithm then determines $z_{\text {base }}$ from the ensemble of all MISR cloud top heights retrieved at a 1.1-km horizontal resolution in this area. MIBase is first calibrated using one year of ceilometer data from more than 1500 sites within the continental United States of America. The 15 th percentile of the cloud top height distribution within a circular area of 10 km radius provides the best agreement with the ground-based data. The thorough evaluation of the MIBase product $z_{\text {base }}$ with further ceilometer data yields a correlation coefficient of about 0.66 . For a three year period, the median $z_{\text {base }}$ is generated globally on a $0.25^{\circ} \times 0.25^{\circ}$ grid. It shows plausible results in particular over sea as well as for seasonal differences. The potential of the full 16 years of MISR data is demonstrated for the southeast Pacific revealing inter-annual variability in $z_{\text {base }}$ in accordance with reanalysis data.


## 1 Introduction

„Clouds and aerosols continue to contribute the largest uncertainty to estimates and interpretations of the Earth's changing energy budget" Boucher et al. (IPCC 5th assessment report, 2013). To describe the effect of clouds on the radiation energy budget, the geometric thickness, the vertical location of clouds and, therefore, the cloud base height $\left(z_{\text {base }}\right)$ are crucial parameters. Furthermore, long term observations of cloud heights would be beneficial to assess the contribution and the response of clouds to climate change. $z_{\text {base }}$ is a key parameter for the radiative energy budget at the Earth surface. $z_{\text {base }}$ may also have an impact on ecosystems which are supplied with water by the immersion of clouds (Van Beusekom et al., 2017). Aviation is another field which benefits from information on $z_{\text {base }}$.

Various methods to retrieve the $z_{\text {base }}$ have been proposed applying different physical concepts, such as active measurements, spectral methods, approaches using an adiabatic cloud model (e.g., Goren et al., 2018), and in-situ measurements.

From the ground, the most accurate and well-established method to derive $z_{\text {base }}$ is the backscatter information from a lidar ceilometer, also providing crucial information on visibility for aircraft safety. Thus, ceilometers are employed at airports. Their number has increased in particular in Europe and North America during the past couple of years. A dedicated web page hosted by the Deutscher Wetterdienst shows the distribution of ceilometer stations around the world (http://www.dwd.de/ceilomap).

Radiosondes provide in-situ measurements of thermodynamic variables. Costa-Surós et al. (2014) compare different methods to infer $z_{\text {base }}$ from radiosonde data. For the best of these methods, $67 \%$ of the considered profiles agree with the utilized reference data regarding number of cloud layers and height category (distinguished are low, middle and high). Cloud radar transmits microwave radiation to derive vertical profiles of radar reflectivity. However, this signal strongly depends on the particle size. Therefore, the occurrence of a few drizzle can mask cloud base. Radiosondes and cloud radars are even less frequent than ceilometers and no global coverage can be achieved from the ground today.

From space, active measurements are carried out by CALIOP (Cloud Aerosol Lidar with Orthogonal Polarization) on the CALIPSO (Cloud Aerosol Lidar and Infrared Pathfinder Satellite Observations) satellite (Stephens et al., 2002). A valid retrieval of the $z_{\text {base }}$ can only be ensured if the signal of CALIOP reaches the Earth's surface, which is only possible in case of low optical thickness. Optically thick clouds will lead to attenuation of the signal. The spatial coverage is limited to the narrow laser beam of CALIOP. The CALIOP cloud base determination has been revisited by Mülmenstädt et al. (2018). They developed an algorithm to extrapolate cloud base retrievals for thin clouds into locations where the CALIOP signal is attenuated within a thicker cloud before it reaches the cloud base.

Passive measurements in the near-infrared exploiting spectral information have been proposed by Ferlay et al. (2010). They suggest an approach to infer the cloud vertical extent from multi-angular POLDER (POLarization and Directionality of the Earth's Reflectances) oxygen A-band measurements. As they point out, the penetration depth of photons into a cloud, and, hence, the height of the reflector, depends on the cloud vertical extent and the viewing geometry. Exploiting the different viewing angles provided by POLDER, Desmons et al. (2013) apply this approach to infer the vertical position of clouds. Their comparison to retrievals from the cloud profiling radar on CloudSat and CALIOP shows that this method works best for liquid clouds over ocean with a retrieval bias of 5 m and a standard deviation of the retrieval differences of 964 m . However, this approach has not been carried out operationally yet. Moreover, an estimate of the cloud top height is required to retrieve the cloud base height from the cloud vertical extent, which introduces additional uncertainty.

Meerkötter and Zinner (2007) suggest a method to derive $z_{\text {base }}$ of convective clouds which are not affected by advective motions. An adiabatic cloud model incorporating measurements of cloud optical depth and effective radius is used to calculate the geometric extent of the cloud from the retrieved cloud top height. By introducing a subadiabatic factor, Merk et al. (2016) investigate the adiabatic assumption in more detail. By additionally introducing a factor into the calculations, they account for subadiabaticity due to entrainment of dry air through the cloud edges. As a reference, the cloud vertical extent is derived as the difference between $z_{\text {top }}$ (radar) and $z_{\text {base }}$ (ceilometer) from ground based measurements. The authors conclude that for their two year data set neither the assumption of an adiabatic cloud nor the assumption of a temporally constant subadiabatic factor is fulfilled.

Lau et al. (2012) suggest a new approach to determine $z_{\text {base }}$ utilizing the Multi-angle Imaging SpectroRadiometer (MISR) on the Terra satellite. For a preliminary case study they chose the observations from island Graciosa, Azores, Portugal, for which they compared cloud top height $(z)$ retrievals from MISR to collocated and coincidental Lidar measurements. Under the assumption that the cloud vertical extent varies horizontally within the cloud, they retrieve $z_{\text {base }}$ by identifying the lowest cloud top height in the height profile provided by MISR. The reference cloud base height ( $\hat{z}_{\text {base }}$ ) is retrieved from the Lidar signal by


Figure 1. Schematic depiction of a cloud field observed from different viewing angles during the satellite overpass. Ceilometers, here represented as cylindrical box, provide ground-based measurements of cloud base heights which can be used as reference.
visual inspection of the backscatter coefficient in a time-height cross section over a period of about five hours. They selected 12 cases which show a promising agreement between MISR and Lidar retrievals.

We build on the approach proposed by Lau et al. and develop an automatic retrieval method to derive $z_{\text {base }}$ from MISR measurements. Parameters employed in the retrieval scheme are derived from coincident ceilometer measurements over one year in the continental United States of America (USA). The performance of the $z_{\text {base }}$ algorithm is demonstrated by an evaluation with ceilometer over a longer time period and the potential for application on the global scale and for longer time series is explored.

The paper is structured as follows. In Section 2, the utilized data from MISR and from ceilometers are described. Section 3 introduces the new retrieval method along with a case study for illustration. In Section 4, the evaluation of the algorithm against the ceilometer measurements is shown and the effect of the cloud vertical extent on the performance of the algorithm is discussed. Section 5 includes two applications of the algorithm: the median $z_{\text {base }}$ is presented globally for a three-year period, and regionally over the southeast Pacific for a 16-year period. Finally, Section 6 concludes the study.

## 2 Data

### 2.1 MISR cloud product

MISR is carried on board the Terra satellite and provides sun-synchronous (equatorial overpass at around 10:30 a.m. LT) global products of cloud properties with a 1.1 km horizontal resolution. With an across-track swath width of 380 km , MISR takes two (poles) to nine (equator) days for repeated observations of the same site. The MISR Level 2TC Cloud Product (MIL2TCSP; Diner, 2012; Moroney and Mueller, 2012; Mueller et al., 2013) is used in this study to provide retrievals of cloud top height $z$ and a stereo-derived cloud mask. Three years of global data (2007-2009) are utilized here. The MISR Ancillary Geographic Product (Bull et al., 2011) is additionally used to assign corresponding spatial coordinates and the average scene elevation for

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Atmospheric
Manuscript under review for journal Atmos. Meas. Tech.
Measurement
Discussion started: 5 October 2018
each pixel. Here, we give a brief summary on how the operational MISR $z$ product is derived. More in-depth descriptions can be found in Moroney et al. (2002) and in Marchand et al. (2007).

A cloud field is schematically depicted in Fig. 1. MISR hosts cameras providing a total of nine viewing angles. Besides the nadir viewing camera $\left(0^{\circ}\right)$, there are four forward and four aftward viewing cameras set up at $26.1^{\circ}, 45.6^{\circ}, 60.0^{\circ}$ and $70.5^{\circ}$ angles, respectively. During an overpass, each camera of MISR records the reflected radiances at its particular viewing angle. A pattern matching routine which compares the radiances recorded at a wavelength of 670 nm identifies equal cloud features in the images of the different viewing angles. Pixels with the least deviation from each other are matched. This way, a detected cloud feature is observed from multiple satellite positions with its respective time and viewing angle. If at least three images can be attributed to the same cloud feature, the cloud motion vector along with the horizontal and vertical position of the cloud feature can be inferred geometrically. This process is not sensitive to absolute values of the radiances so that this retrieval method is not sensitive to calibration.

The cloud motion vector is determined at a 70.6 km resolution. For each of these coarser grid boxes, the cloud motion vector is then used to determine $z$ at 1.1 km resolution, which is carried out for two camera pairs individually: one pair (FWD) consisting of the nadir and $26.1^{\circ}$ forward viewing cameras and the other (AFT) consisting of the nadir and $26.1^{\circ}$ aftward viewing cameras. This way, two $z$ values for the same location are available and the mean of the two values yields the final $z$. In case only one camera pair provides a valid $z$, it is taken as the final $z$ at its specific location. To derive the stereo-derived cloud mask, the two individual $z$ values undergo the following comparison. The retrieval of each camera pair is classified as surface or cloud retrieval according to the threshold height $h_{\min }$ (Equation 1). This is Equation 59 in the Algorithm Theoretical Basis documentation by Mueller et al. (2013), where $H_{\mathrm{SDCM}}$ is $560 \mathrm{~m}, H$ is the terrain height and $\sigma_{\mathrm{h}}$ is the variance of the the terrain height listed in the Ancillary Geographic Product.
$h_{\text {min }}=H_{\mathrm{SDCM}}+H+2 \sigma_{\mathrm{h}}$

The use of two camera pairs allows to attribute a confidence level to the retrieved $z$. If the mean of the two values is above or below the threshold, the pixel will be classified as cloud or surface, respectively. If only one camera pair provides a valid retrieval, it is tested against the threshold and classified accordingly. In case only one camera pair provides a valid retrieval and in case of two valid retrievals which disagree upon their individual classification, the $z$ pixel is marked low confidence. If two retrievals are available which agree upon their individual classification, the $z$ pixel is marked high confidence. Any other case leads to a non-retrieval. Table 1 summarizes possible combinations of retrievals from the two camera pairs and their corresponding attribution within the stereo-derived cloud mask.

MISR $z$ is given in meters above the World Geodetic System 1984 (WGS 84) surface. To calculate the height above ground level, we subtract the average scene elevation which is provided within the Ancillary Geographic Product for each pixel.

Table 1. Classification scenarios of MISR retrievals. The cloud height obtained using the nadir and the $26.1^{\circ}$ forward viewing camera pair (denoted by FWD) and the cloud height obtained using the nadir and the $26.1^{\circ}$ aftward viewing camera pair (AFT) are tested against the threshold height $h_{\min }$ (Equation 1) individually and then compared to one another to determine the Stereo-Derived Cloud Mask (SDCM) attribute.

| condition | SDCM attribute |
| :--- | :--- |
| FWD and AFT above threshold | high confidence cloud |
| FWD and AFT disagree, mean(FWD, AFT) above threshold | low confidence cloud |
| only one camera pair, retrieval above threshold | low confidence cloud |
| FWD and AFT below threshold | high confidence surface |
| FWD and AFT disagree, mean (FWD, AFT) below threshold <br> only one camera pair, retrieval below threshold | low confidence surface <br> low confidence surface |

### 2.2 METAR data

Aerodrome routine meteorological reports (METAR) (WMO; World Meteorological Organization, 2013) contain weather observations at airports worldwide, including measurements of $z_{\text {base }}$. METARs from airports from the continental USA provide $z_{\text {base }}$ determined by the Automated Surface Observing System (ASOS; National Oceanic and Atmospheric Administration, 5 Department of Defense, Federal Aviation Administration, and United States Navy, 1998). ASOS utilizes ceilometers which have a vertical range of $12000 \mathrm{ft}(\approx 3700 \mathrm{~m})$. The ceilometer provides continuous measurements with temporal resolution of 30 seconds. These individual measurements are stored in different bins by rounding to the nearest $100 \mathrm{ft}(\approx 30 \mathrm{~m})$ for heights between the surface and $5000 \mathrm{ft}(\approx 1500 \mathrm{~m})$ and to the nearest $200 \mathrm{ft}(\approx 60 \mathrm{~m})$ for heights between $5000 \mathrm{ft}(\approx 1500 \mathrm{~m}), 10000 \mathrm{ft}$ $(\approx 3000 \mathrm{~m})$ and to the nearest $5000 \mathrm{ft}(\approx 1500 \mathrm{~m})$ for heights above $10000 \mathrm{ft}(\approx 3000 \mathrm{~m})$. If there are more than five bins filled with measurements during a 30 minute period, the cloud heights are clustered into layers until only five bins or cluster remain. Finally, all cluster heights are rounded according to the rules given in Tab. 2. The lowest three layers are passed on to the METAR message.

Table 2. The ceilometer $\hat{z}_{\text {base }}$ retrievals are rounded to different values depending on their height window according to the National Oceanic and Atmospheric Administration, Department of Defense, Federal Aviation Administration, and United States Navy (1998). The values are originally given in feet and are converted to meters here.

| height [ft] | rounded to <br> nearest value [ft] | rounded to <br> nearest value [m] |
| :---: | :---: | :---: |
| $<5000$ | 100 | 30.5 |
| 5000 to 10000 | 500 | 152 |
| $>10000$ | 1000 | 305 |



Figure 2. Locations of ceilometer stations utilized in this study across the continental United States of America. Data from these stations for the years 2008 and 2007 are used for the calibration of the $z_{\text {base }}$ retrieval algorithm and a subsequent evaluation, respectively. Blue shading indicates the number of valid coincidental retrievals from MISR and ceilometers which have been utilized for the calibration (year 2008) and are within the constraints described in the text.

We extract the ceilometer cloud base height $\hat{z}_{\text {base }}$ from METAR data for a total of 1510 ceilometer sites around the continental USA to benefit from the homogeneity of the automated measurements and the standardized reporting range. $\hat{z}_{\text {base }}$ serves as reference data to which the $z_{\text {base }}$ derived from the satellite cloud heights is compared. First, METAR data from 2008 are used to estimate parameters used in the $z_{\text {base }}$ retrieval algorithm to create the MISR Cloud Base height algorithm (MIBase). Second, to validate the "tuned" algorithm, METAR data from 2007 are applied for a statistically independent comparison. For a total of 1510 ceilometer stations, collocated and coincidental satellite-based $z_{\text {base }}$ retrievals could be found (see below for exact definition). A distribution of the locations can be seen in Fig. 2.

## 3 Cloud Base height retrieval

The MISR Cloud Base height retrieval (MIBase) algorithm, which derives $z_{\text {base }}$ from the MISR $z$ product, is developed and calibrated with collocated METAR data for defining the involved parameters and preconditions. The first section of this chapter introduces the retrieval principle on the basis of a case study. By comparison with ceilometer measurements (METAR) from 2008, parameters used within MIBase are estimated, namely the radius $R_{\mathrm{fv}}$ of the field of view, the minimum number of valid cloud pixel $N$ and the percentile $P$ of the $z$ distribution.


Figure 3. Flow chart of the $z_{\text {base }}$ retrieval algorithm. MISR's MIL2TCSP cloud product provides $z$ and the Stereo-Derived Cloud Mask (SDCM). MISR's Ancillary Geographic Product (MISR-AGP) provides the Average Scene Elevation (ASE) and the longitude and latitude coordinates for each pixel. Starting from these products, the depicted processing steps are undergone to derive $z_{\text {base }}$. The parameters which have been optimized during the calibration are highlighted in orange.

### 3.1 Method

We assume that the information on the $z_{\text {base }}$ is included in the distribution of the $z$ retrievals from the MISR cloud product for a specific area of limited size. This assumption is valid in a cloud scene with a homogeneous $z_{\text {base }}$ and a heterogeneous $z$ similar to the one schematically depicted in Fig. 1. Especially at the edge of a cloud where the cloud is thinner, $z$ can serve as a proxy for $z_{\text {base }}$. To ensure that the thinner part of the cloud is within the observed field of view, the considered area needs to be large enough. The inherent assumption of a homogeneous $z_{\text {base }}$ over a certain area presupposes a horizontally constant lifting condensation level. This is in particular given in a well mixed boundary layer or a homogeneous air mass away from the proximity of a frontal zone, where advective motion could introduce temperature or humidity gradients across the horizontal plane.

The MISR $z$ product is expected to be superior to $z$ products from other instruments. It does not depend on any auxiliary data and it is not sensitive to calibration, as mentioned in Section 2.1. Therefore, it is not granted that the application to $z$ from other satellite instruments would yield similar results.

In order to derive $z_{\text {base }}$ from the $z$ product, the following steps, which are outlined in Fig. 3, are undertaken. First, a field of view has to be defined. For the comparison to the ceilometer measurements, we consider a circular area with the radius $R_{\mathrm{fv}}$ around its midpoint at a ceilometer station. In order to estimate the magnitude of $R_{\mathrm{fv}}$, we consider the following: METAR $\hat{z}_{\text {base }}$ retrievals are representative for a time window of 30 minutes. Within this time window and at the estimated wind speed of approximately $10 \mathrm{~ms}^{-1}$, a cloud would shift its position about 20 km in the wind direction. Therefore, the magnitude of $R_{\mathrm{fv}}$ should be on the order of kilometers. The impact of $R_{\mathrm{fv}}$ on the retrieved $z_{\text {base }}$ and, therefore, the deviation from the ceilometer $\hat{z}_{\text {base }}$ is discussed below. When we apply the algorithm to retrieve a global estimate of $z_{\text {base }}$, we use a regular lat-lon grid of $0.25^{\circ}$ (cf. Section 5). This grid size corresponds to a meridional length of the grid boxes of about 28 km and a zonal length ranging between $25 \mathrm{~km}\left(25^{\circ} \mathrm{N}\right)$ and $18 \mathrm{~km}\left(50^{\circ} \mathrm{N}\right)$, taking the continental U.S.A. as an example. A greater field of view increases the chance of seeing the thinner part of the cloud. This could lead to a more realistic $z_{\text {base }}$ retrieval. In turn, for a smaller field of view the assumption of a homogeneous $z_{\text {base }}$ is more realistic.

For each grid box or circular field of view around the ceilometer station, the enclosed $z$ pixels are processed further. MIBase only selects those $z$ pixels which are high confidence cloud (hcc) pixels according to the stereo-derived cloud mask. A consideration of low confidence cloud pixels has shown a decrease of the correlation with the ceilometer $\hat{z}_{\text {base }}$. An example of a cloud field with $z$ pixels and the corresponding stereo-derived cloud mask for 21 August 2015 at the International Airport of Atlanta, Georgia, USA, is presented in Fig. 4 (left, middle).

For some scenes, the distribution of $z$ reveals extended height ranges with no $z$ retrievals between two or more local maxima. Such cases suggest multilayer cloud scenes if the apparent gap between adjacent $z$ retrievals is of sufficient size. If such a gap $h_{\text {gap }}$ is greater than 500 m , the algorithm distinguishes between the cloud layer above and below the gap (cf. Fig. 4 (right) for the aforementioned example). The value for this threshold has been chosen to be close to the specified accuracy of MISR $(560 \mathrm{~m})$. By evaluating different vertical cloud layers individually, a $z_{\text {base }}$ retrieval for each layer can be derived. Since for most application the lowest $z_{\text {base }}$ is of interest, the lowest detected cloud layer is processed here. For the comparison with $\hat{z}_{\text {base }}$, we restrict ourselves to scenes for which MISR detects only one cloud layer.

The occurrence of a broken cloud field is the basic assumption of MIBase. Therefore, at least one pixel labeled "high confidence surface" needs to be within the field of view. A complete cloud cover or a high rate of non-retrievals can prevent this criteria from being met. Both scenarios suggest doubtful $z_{\text {base }}$ retrievals. Hence, they are not considered.

For each grid box or circular area around the ceilometer station, $z_{\text {base }}$ is diagnosed from the height distribution of $z$ using a certain percentile $P$. In principle, $P$ should be as low as possible. However, as a certain measurement noise in the field of view is expected and a robust result should be achieved, a choice substantially larger than zero is necessary. Another parameter which describes the distribution of $z$ for each scene is the number of valid cloud pixels $n$. A higher $n$ implies a higher observed cloud cover within the field of view. In order to take a meaningful percentile of the $z$ distribution, a minimum $n>N$ is required. A cloud which is horizontally more extended (higher cloud cover) is more likely to pass over the ceilometer, so that there is a

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317


Figure 4. MISR observations within a 20 km radius within the vicinity of Atlanta, Georgia, USA (ICAO:KATL) on 21 August 2015 at around 16:30 UTC. Left: $z$. Middle: Corresponding Stereo Derived Cloud Mask (SDCM) distinguishing non-retrievals (NA), high confidence cloud (hcc), low confidence cloud (lcc), low confidence surface (lcs) and high confidence surface (hcs). Right: Density of $z$ measurements with illustration of certain parameters: height between two layers ( $h_{\text {gap }}$ ) which is the height difference between the highest retrieval of the bottom layer and the lowest retrieval of the next higher layer (dashed blue lines), upper cut-off height (dashed orange) for $z_{\text {base }}$ retrievals ( $h_{\max }$ ) which is based on the ceilometer granularity, lower cut-off height (dashed red), which is based on the MISR threshold height to distinguish between cloud and surface retrieval $\left(h_{\min }\right)$, and the ceilometer retrieval $\hat{z}_{\text {base }}$ from 16:52 UTC (dashed pink). $z_{\text {top }}$ and $z_{\text {base }}$ (dashed purple) are inferred by applying the 15th and 95th percentile to the distribution of $z$ of the lowest cloud layer, respectively. Heights are above sea level.
higher chance that both instruments observe the same cloud. Therefore, the deviation of $z_{\text {base }}$ from $\hat{z}_{\text {base }}$ is expected to decrease for a higher $n$. The impact of the threshold for $N$ is studied later on.

For certain applications, the cloud vertical extent $\Delta z$ might be of interest. Therefore, an estimate of the cloud top height $z_{\text {top }}$ is required. In principle, $P=100$ should yield the highest point of the cloud. However, analogously to the retrieval of $z_{\text {base }}$, a certain variability in the field of view is expected, so that $P$ is not the extreme value. Here, we choose $P=95$ to a meaningful choice for $z_{\text {top }}$.

### 3.2 Case study

One of the utilized ceilometer stations is located at the Hartsfield-Jackson Atlanta International Airport. To illustrate the functionality of the presented algorithm we investigate a particular MISR overpass over this station on 21 August 2015 at around 16:30 UTC. Figure 4 shows the $z$ retrievals for all pixels which are within the circular field of view $R_{\mathrm{fv}}$. Here, we exemplarily use $R_{\mathrm{fv}}=20 \mathrm{~km}$ with its midpoint at the ceilometer station. $z$ is given above the WGS 84 surface, which is approximately equal to sea level. The spatial distribution shows a low cloud layer with $z$ between 800 m and 2000 m , which covers most of the area. Another cloud layer appears between 5 km and 6 km . Some pixels with heights above 7 km indicate the presence of a third layer (Fig. 4, left). For a few pixels MISR was not able to determine $z$. This might be due to the viewing
geometry. A retrieval requires valid images from two different cameras, one camera viewing nadir and the other viewing at a $26.1^{\circ}$ angle. In the case studied here, the most missing retrievals are closely attached to high clouds which might lead to shading effects (Fig. 4, middle).

The density of the $z$ distribution shows the aforementioned three cloud layers. They are distinguished according to the
$B=\frac{1}{n} \sum_{i=1}^{n}\left(z_{\text {base }, i}-\hat{z}_{\text {base }, i}\right)$.
MISR can only detect clouds above the threshold height according to Equation 1. To prevent this obvious limitation from introducing a bias into the statistics, we only consider cloud scenes for which the ceilometer retrieval is above $h_{\text {min }}$. In addition, only $z_{\text {base }}$ retrievals below a maximum height $h_{\max }$ of 3000 m are considered to focus on a cloud range for which the ceilometer retrievals are granulated finer (below 10000 ft according to Tab. 2).

First, we investigate the influence of the field of view chosen to match MISR and ceilometer measurements. For this purpose, $R_{\mathrm{fv}}$ is varied between 5 and 30 km while the other parameters are set to the preliminary values $P=15$ and $N=10$. With a

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Atmospheric
Manuscript under review for journal Atmos. Meas. Tech.
Measurement
Discussion started: 5 October 2018

Table 3. Slope, intercept, correlation coefficient $r$, RMSE $E$, bias $B$ and number of samples $n_{s}$ resulting from comparing $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ retrievals for different radii of the MISR circular area around the ceilometer stations. These values are obtained for the year 2008 applying a required minimum number of cloud pixels of $N=10$ and the 15th percentile to the $z$ distribution.

| $R_{\mathrm{fv}}$ <br> $[\mathrm{km}]$ | slope | intercept <br> $[\mathrm{m}]$ | $r$ | $E$ <br> $[\mathrm{~m}]$ | $B$ <br> $[\mathrm{~m}]$ | $n_{\mathrm{s}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | 0.65 | 371 | 0.66 | 392 | -71 | 3059 |
| 10 | 0.62 | 412 | 0.66 | 404 | -75 | 5120 |
| 15 | 0.60 | 433 | 0.65 | 413 | -77 | 6140 |
| 20 | 0.58 | 464 | 0.63 | 423 | -74 | 6895 |
| 30 | 0.54 | 515 | 0.60 | 437 | -71 | 7772 |



Figure 5. Evaluation of minimum number of valid pixels $N$ within a cloud layer detected by MISR for the year 2008. Left: The normalized number of events $\frac{n_{\mathrm{s}}}{n_{\max }}$ for which $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ could both be retrieved. $n_{\max }$ is the maximum number of events, which is found for $N=1$. Middle: The linear correlation coefficient $r$ between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$. Right: The RMSE between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$. MISR $z_{\text {base }}$ is retrieved using the 15 th percentile of the $z$ distribution for a 10 km radius around the individual ceilometer measurements. The chosen value for $N$ is highlighted in orange. For further details see text.
decreased radius, the correlation between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ increases and $E$ decreases (Tab. 3). This is to be expected as the representativity should increase. However, for a lower $R_{\mathrm{fv}}$, the retrieval algorithm encounters more situations where at least one of the requirements (at least one high confidence surface pixel is visible, at least 10 valid cloud pixel per layer) cannot be fulfilled as the decrease in the total number of retrievals indicates. The better agreement between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ for lower
$5 R_{\mathrm{fv}}$ might be due to a relatively larger overlap of the measurement sampling areas of the two instruments and to a better fulfillment of the assumption of a homogeneous $z_{\text {base }}$ over smaller areas. For further evaluation, a radius of 10 km is chosen as a compromise between a good agreement in terms of $r^{2}$ and $E$ and without having to discard too many retrieval scenes.


Figure 6. Evaluation of the percentile $P$ which is applied to retrieve $z_{\text {base }}$ from the distribution of $z$ for the year 2008. Left: The linear correlation coefficient $r$ between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$. Right: The RMSE between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$. The chosen value for $P$ is highlighted in orange.

Second, the effect of the minimum number of of valid $z_{\text {base }}$ retrievals is studied which strongly limits the number of samples for the comparison (Fig. 5). With increasing $N$, initially a slight increase to $N=10$ improves the correlation between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ and $E$ significantly to a correlation coefficient of about 0.66 . A further increase only yields slight improvement of the correlation and $E$. This slight increase can be explained by the elimination of more complex scenes from the comparison. However, for a higher $N$ the trade off is a lower total number of $z_{\text {base }}$ retrievals. For instance, for $N=50$ only $80 \%$ of possible retrievals yield a valid $z_{\text {base }}$ (Fig. 5, left). Therefore, we select $N=10$.

Finally, we consider the percentile threshold used to diagnose $z_{\text {base }}$ from the $z$ distribution. Figure 6 shows an evaluation of different percentiles which are applied to derive $z_{\text {base }}$. Percentiles between the 10 th and the 15 th give the best correlation. The lowest $E$ is achieved for percentiles between the 15 th and the 25 th. Therefore, $P=15$ is chosen for further processing. The fact that very clear and localized minima (maxima) for $E(r)$ are found supports the hypothesis that the $z$ distribution contains information on $z_{\text {base }}$.

In summary, the comparison yields the estimated parameters for the field of view $R_{\mathrm{fv}}=10 \mathrm{~km}$, the minimum number $N=10$ and the percentile $P=15$. While the latter two are kept fixed in MIBase, $R_{\mathrm{fv}}$ is optimized for the intercomparison with point data, i.e. ceilometer measurements. The algorithm can also be applied to larger grids. However, no data for validating extended areas are available.

## 4 MIBase Evaluation

With the parameters $R_{\mathrm{fv}}, N=10$ and $P$ derived in the previous section, MIBase is applied to MISR retrievals which are coincident with ceilometer retrievals from the year 2007. These data have not been used for calibration. The joint density of $z_{\text {base }}$ retrieved from MISR and ceilometer is shown in Fig. 7. For lower $z_{\text {base }}$, MISR yields higher heights than the ceilometers. This can possibly be attributed to the threshold height (Equation 1) constraining $z$ base retrievals at the lower end of the height distribution. For $z_{\text {base }}$ greater than 1000 m , mean and median MISR heights are lower than the ceilometer. Overall, the bias $B$ is


Figure 7. Left: Joint density of $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ for the year 2008 (top) which is used to estimate parameters of the algorithm and for the year 2007 (bottom) which is used to validate the stability of the algorithm with the estimated parameters. For each ceilometer height bin the mean (red) and median (blue) of the MISR $z_{\text {base }}$ is shown. Right: Probability density functions of the residuals after a linear fit (red), the retrieval differences (blue) and a normal distribution with a standard deviation of 250 m (black).

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Atmospheric
Manuscript under review for journal Atmos. Meas. Tech.
Measurement
Discussion started: 5 October 2018

Table 4. Slope, intercept, correlation coefficient $r$, RMSE $E$, bias $B$ and number of retrievals $n_{\mathrm{s}}$ resulting from a comparison of $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ for data obtained 2008 (calibration) and 2007 (validation). These values are obtained with $N=10$ and $P=15$.

| data | pixel/grid <br> definition | slope | intercept <br> $[\mathrm{m}]$ | $r$ | E <br> $[\mathrm{m}]$ | B <br> $[\mathrm{m}]$ | $n_{\mathrm{s}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2008 | $R_{\mathrm{fv}}=10 \mathrm{~km}$ | 0.62 | 412 | 0.66 | 404 | -75 | 5120 |
| 2007 | $R_{\mathrm{fv}}=10 \mathrm{~km}$ | 0.61 | 419 | 0.66 | 385 | -59 | 6801 |
| 2007 | $0.25^{\circ} \times 0.25^{\circ}$ | 0.58 | 455 | 0.64 | 398 | -60 | 7970 |
| 2007 | $0.75^{\circ} \times 0.75^{\circ}$ | 0.49 | 579 | 0.55 | 446 | -56 | 10474 |

slightly negative (about 60 m ; cf. Tab. 4) and the density of the retrieval differences is shifted slightly towards negative values (Fig. 7, right). Thus, MISR $z_{\text {base }}$ retrievals are generally lower than the ceilometer retrievals. This could be due to the different fields of view. On the one hand, the ceilometer only records point measurements over a period of time, so that the measured sample of the cloud depends on the velocity of the wind. On the other hand, MISR observes the entire circular area defined by $R_{\mathrm{fv}}$ around the ceilometer location. Chances are that MISR can observe a cloud with a lower base which does not pass over the ceilometer.

The joint density and the density of the retrievals differences appear similar for both the 2007 and the 2008 data sets (Fig. 7). Slope, intercept, $r^{2}, E$, and $B$ resulting from the $z_{\text {base }}$ retrieval comparisons for the year 2008 (calibration) and the year 2007 (validation) appear very similar proving the stability of the algorithm with the chosen parameters (Tab. 4). Changing the field of view to a $0.25^{\circ} \times 0.25^{\circ}$ latitude longitude grid results in a slightly lower correlation coefficient accompanied by a higher $E$. An even coarser grid size of $0.75^{\circ} \times 0.75^{\circ}$, which is applied later for a comparison with ERA-Interim cloud heights, results in an even lower correlation and higher $E$. A decreasing agreement between $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ for a greater field of view has already been disclosed when studying the influence of $R_{\mathrm{fv}}$ (see discussion in Section 3.3).

To address the question whether the algorithm performs differently for different cloud types, a simple approach is carried out. $\Delta z$ as the difference of $z_{\text {top }}$ ( 95 th percentile) and $z_{\text {base }}$ ( 15 th percentile). $z_{\text {base }}$ retrievals for clouds with a lower $\Delta z$ are expected to include more stratiform cloud types which are typically thin in respect to their vertical extent. $z_{\text {base }}$ retrievals for clouds with higher $\Delta z$ are expected to include more convective clouds as these show stronger vertical development. For stratiform cloud types, $z$ is typically more uniform and such scenes are generally less broken, thus hiding the $z_{\text {base }}$. Therefore, these types might pose a more challenging scene to retrieve $z_{\text {base }}$. However, for thin clouds both forward and aft viewing cameras from MISR have a better chance to observe a cloud feature, and thereby the height retrieval is improved. For thicker clouds, one camera pair might not be able to see a lower cloud feature hidden by the cloud itself leading to a low confidence retrieval which is not considered by the algorithm.

The median $\Delta z$ of all cloud scenes for which a MISR and a ceilometer retrieval could be matched is about 727 m . The joint density of MISR and ceilometer $z_{\text {base }}$ retrievals for thinner clouds is narrower with the majority of the $z_{\text {base }}$ retrievals ranging



Figure 8. Joint density of $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ for the year 2007 for different ranges of the cloud vertical extent $\Delta z$. Here, $\Delta z$ is defined as the difference between the 95th and 15th percentile of the MISR $z$ distribution. Retrievals with a $\Delta z$ below (left) and above (right) 727 m are distinguished.
between 500 m and 1000 m (Fig. 8, left). Clouds with a $\Delta z$ greater than the median (Fig. 8, right) have a greater range of $z_{\text {base }}$ and a wider joint density. This behavior is also reflected in $E$, which is greater for clouds with a higher $\Delta z$ ( 446 m compared to $312 \mathrm{~m})$. The greater $E$ for clouds with a greater $\Delta z$ could be due to the termination of the $z_{\text {base }}$ range by the threshold height. The threshold height constitutes a lower bound to $z_{\text {base }}$ and thus limits $E$ in particular for lower clouds, such as stratiform clouds with a low $\Delta z$.

## 5 MIBase Application

### 5.1 Global cloud height distribution

MIBase has been applied for a three year period between 2007 and 2009 to determine the $z_{\text {base }}$ from MISR globally. Herein, $z$ data from each individual orbit have been sorted into a $0.25^{\circ} \times 0.25^{\circ}$ longitude by latitude grid. For each orbit and each grid box $z_{\text {base }}$ has been retrieved as described above and the median over the three year period has been calculated. Only cloud height retrievals below 5000 m are considered to exclude cirrus clouds from the statistics. $z_{\text {top }}$ is retrieved analogously to $z_{\text {base }}$ by applying the 95 th percentile on the $z$ distribution. Taking the difference between $z_{\text {top }}$ and $z_{\text {base }}$ for each observed cloud scene yields $\Delta z$. The medians of these measures are shown in Fig. 9.

A sharp and steep gradient of the $z_{\text {base }}$ can be seen at most coast lines with a higher $z_{\text {base }}$ over land. This seems plausible as boundary layers above oceans are known to be shallower. Exceptions to this rule are the Congo Basin and the Amazon Basin.

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Manuscript under review for journal Atmos. Meas. Tech.
Atmospheric
Discussion started: 5 October 2018
Measurement
(c) Author(s) 2018. CC BY 4.0 License.


Figure 9. Global distribution of median cloud heights for a 3-year period (2007-2009). Shown are $z_{\text {base }}(\mathrm{a}), z_{\text {top }}(\mathrm{b})$, and cloud vertical extent (d) on a $0.25^{\circ} \times 0.25^{\circ}$ longitude by latitude grid. $z_{\text {base }}$ and $z_{\text {top }}$ are above ground level (agl). $z_{\text {base }}$ and $z_{\text {top }}$ retrievals are only included in the statistic if they are below 5000 m . The number of retrievals $n_{\mathrm{S}}(\mathrm{c})$ represents the number of valid $z_{\text {base }}$ retrievals within this 3-year period.

These regions are moisture sinks characterized by high precipitation and excessive surface run-off. The maritime stratus cloud regions are clearly visible at the subtropical eastern boundaries of the Pacific, Atlantic and Indian ocean. These regions are characterized by prevailing high pressure due to the location at the subsiding branch of the Hadley circulation and cold ocean currents creating a temperature inversion on top of the boundary layer. For these regions cloud formation is limited to the well mixed maritime boundary layer. The Intertropical Convergence Zone (ITCZ) is clearly visible in particular for the tropical Pacific ocean with a higher $z_{\text {base }}$ and even higher $z_{\text {top }}$ yielding an overall higher. Over land, this phenomenon is not as clear. There, the diurnal cycle of surface heating becomes important. MISR on the Terra satellite has a morning overpass over the equator when cloud formation just begins. Taylor et al. (2017) show the diurnal cycle of cloud top temperature (CTT) derived from SEVIRI measurements indicating that the lowest $z_{\text {top }}$ occurs between 9 a.m. and 1 p.m. with the lowest mean CTT at 11 a.m. and the lowest median CTT at noon, close to the overpass time of MISR.

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Manuscript under review for journal Atmos. Meas. Tech.
Atmospheric
Discussion started: 5 October 2018
Measurement
(c) Author(s) 2018. CC BY 4.0 License.


Figure 10. Global distribution of seasonal median cloud heights for a 3-year period (2007-2009). Shown are $z_{\text {top }}(\mathbf{a}, \mathrm{b})$, and $z_{\text {base }}$ ( $\mathbf{c}$, d) for December, January, February (a, c) and June, July, August (b, d) on a $0.25^{\circ} \times 0.25^{\circ}$ longitude by latitude grid. $z_{\text {base }}$ and $z_{\text {top }}$ are above ground level (agl). $z_{\text {base }}$ and $z_{\text {top }}$ retrievals are only included in the statistic if they are below 5000 m . The red rectangle in (d) frames the region for which results over a 16-year period are presented in Fig. 11.

The sampling size (Fig. 9 (b)) shows higher number of retrievals in polar regions. This is expected for a polar orbiting satellite with more frequent MISR overpasses in this region. The highest sampling sizes are obtained in the Arctic. The smallest sampling sizes are obtained over subtropical continental areas, such as the Sahara desert, the Namib desert or Australia. These regions are characterized by a low frequency of cloud occurrence. Results should be interpreted with care as the number of samples is low.

To further investigate the plausibility of the seasonal variability of cloud heights, composites over the three year period are presented in Fig. 10. Distinguished are boreal winter season including December, January and February (DJF) and boreal summer season including June, July and August (JJA). Over land and between $30^{\circ} \mathrm{N}$ and $70^{\circ} \mathrm{N}, z_{\text {base }}$ and $z$ top are lower during winter, when stratiform clouds are prevailing. In contrast, $z_{\text {base }}$ and $z_{\text {top }}$ are higher during summer, when more convective clouds are typically present. Boundary layer clouds are also lower during winter season since the boundary layer is of lesser extent during the cold season. Over ocean an inverse pattern can be observed on both hemispheres. During winter $z_{\text {base }}$ and $z_{\text {top }}$ are


Figure 11. Median of $z_{\text {top }}(\mathrm{a}, \mathrm{b})$, and $z_{\text {base }}$ (c, d) over a 16-year period (2001-2016) for austral summer (DJF, (a) and (c)) and austral winter (JJA, (b) and (d)) on a $0.25^{\circ} \times 0.25^{\circ}$ longitude by latitude grid at the southeast Pacific. $z_{\text {base }}$ and $z_{\text {top }}$ are given above ground level (agl). The red rectangle (d) frames the region for which a time series of cloud heights is presented in Fig. 12.
higher than during the summer. Sea surface temperatures show less seasonal variation than higher tropospheric air due to the higher heat capacity of the water. This causes additional instability during winter enhancing convective cloud formation which can result in higher cloud heights. Additionally, the instability during winter can be attributed to storm tracks. During summer, the influence of high pressure systems can limit convection to the maritime boundary layer causing cloud heights to be lower.

## 5 5.2 Southeast Pacific

The southeast Pacific hosts one of the largest and most persistent stratocumulus cloud decks on Earth as shown by Wood (2012) using data from the combined land-ocean cloud atlas database (Hahn and Warren, 2007). In this region, cloud cover and cloud thickness have major impacts on the net cloud radiative effect, which raises the importance of studying the heights of these clouds.

Orographically induced fog at the coastal cliff ranging from Peru to northern Chile is the major source of moisture for this region (Pinto et al., 2006). $z_{\text {base }}$ and $z_{\text {top }}$ of the stratocumulus clouds near the coast determine the areas where fog can provide water to the environment at the coastal cliff. The cloud heights also effect the ability of the fog to be advected further inland across the cliff. Here, we apply the $z_{\text {base }}$ retrieval algorithm to determine the spatial and seasonal variability of $z_{\text {base }}$ and $z_{\text {top }}$

MISR data (2001-2016). Furthermore, we investigate how well the temporal changes are represented in the global reanalysis ERA-Interim.

### 5.2.1 Spatial and seasonal variability of $z_{\text {base }}$ and $z_{\text {top }}$

For the 16 -year period, the medians of $z_{\text {base }}$ and $z_{\text {top }}$ over the southeast Pacific are shown in Fig. 11. Distinguished are summer and winter season. Over ocean the median $z_{\text {base }}$ ranges from 600 m near the the coast to about 1200 m further west. During austral summer (DJF) the lowest $z_{\text {base }}$ is observed near the coast between $30^{\circ} \mathrm{S}$ and $35^{\circ} \mathrm{S}$. During austral winter the region of low $z_{\text {base }}$ shifts to the north between $20^{\circ} \mathrm{S}$ and $30^{\circ} \mathrm{S}$. This shift is coherent with the direction of the seasonal shift of the Hadley cell. It appears that the region of lowest $z_{\text {base }}$ corresponds to the strongest subsidence. During austral summer the highest $z_{\text {base }}$ clearly appear in the north, whereas during austral winter a north-south gradient is hardly visible between $120^{\circ} \mathrm{W}$ and $80^{\circ} \mathrm{W}$. Over land, $z_{\text {base }}$ is generally higher except for the coastal line north of $35^{\circ} \mathrm{S}$, where cloud heights are even lower than over ocean. There, the prevailing maritime stratocumulus clouds form orographic fog as they reach the coastal cliff. Similar spatial and seasonal patterns are apparent for $z_{\text {top }}$. Over ocean, the highest $z_{\text {top }}$ is about 2500 m , which is observed during austral summer in the northwest of the region. The lowest $z_{\text {top }}$ is about 1000 m , which is observed during winter and closer to the coast of northern Chile.

### 5.2.2 Cloud height comparison between MISR and ERA-Interim

In order to preliminarily assess how well clouds are represented in common reanalysis, we compare MISR derived $z_{\text {base }}$ and $z_{\text {top }}$ to cloud heights derived from ERA-Interim (Dee et al., 2011) which is provided by the European Centre for Medium-Range Weather Forecasts (ECMWF). Cloud heights are not a direct output variable of ERA-Interim. Therefore, the cloud liquid water content is used to infer the cloud base height $\tilde{z}_{\text {base }}$ and cloud top height $\tilde{z}_{\text {top }}$. For each grid point, the vertical column is scanned for model levels with a specific cloud liquid water content greater than $10^{-18} \frac{\mathrm{~kg}}{\mathrm{~kg}}(\approx 0)$. The bottom height of the lowest of such levels is taken as $\tilde{z}_{\text {base }}$. Moving higher in the column, $\tilde{z}_{\text {top }}$ is given by the bottom height of the next higher model level which has a cloud liquid water content equal to zero. We use data with a $0.75^{\circ} \times 0.75^{\circ}$ resolution, which is similar to the native grid of ERA-Interim, over a region between $20^{\circ} \mathrm{S}$ and $23^{\circ} \mathrm{S}$ and $74^{\circ} \mathrm{W}$ and $71^{\circ} \mathrm{W}$ as indicated by the red rectangle in Fig. 11. ERA-Interim data is provided 6-hourly. The comparison is performed using the 18 UTC output which corresponds to 14 Chile Standard Time (CLT). Note, MISR overpass times range around 10:51 CLT to 11:29 CLT for this particular region.

For each MISR overpass and ERA-Interim 18 UTC output, the median cloud heights are used to calculate the median cloud heights of each month over the whole 16-year period. The mean difference of the monthly cloud heights is roughly 500 m for both cloud base height and cloud top height, with ERA-Interim yielding lower cloud heights than MISR. That $\tilde{z}_{\text {base }}$ is lower


Figure 12. Time series of sea surface temperature (SST) (top), $z_{\text {top }}$ (middle), $z_{\text {base }}$ (bottom). Cloud heights are derived from MISR (green) and ERA-Interim (orange). SST is derived from ERA-Interim. Shown are the deviations from the mean over the entire period from 2001 through 2016.
than $z_{\text {base }}$ could be due to the threshold height used to determine the MISR stereo derived cloud mask (Equation 1) which leads to a cut-off of $z_{\text {base }}$ retrievals at $h_{\min }$. At the same time the same bias is found between $z_{\text {top }}$ and $\tilde{z}_{\text {top }}$. This could be an indicator that clouds are systematically placed too low by ERA-Interim. Hannay et al. (2009) mention several studies which conclude that models typically underestimate the height of the planetary boundary layer (PBL). This would cause boundary layer clouds to appear lower than observed. Their study compares the PBL height retrieved from in-situ measurements and remote sensing to different models. While the observations show a PBL height of 1100 m , the models produce a PBL height between 400 m and 800 m , hence an underestimation of 700 m to 300 m . This is in accordance with the bias found here.

To reveal the annual cycle of the cloud heights, we look at anomalies from the 16 -year mean of each time series (Fig. 12). These anomalies of $z_{\text {base }}$ and $\tilde{z}_{\text {base }}$ as well as $z_{\text {top }}$ and $\tilde{z}_{\text {top }}$ from their respective mean values agree rather well, thus the amplitude of the annual cycle appears very similar. Figure 12 also shows the anomaly of the Sea Surface Temperature (SST) from its 16year mean value. SSTs are taken from ERA-Interim as well. The peaks of the cloud heights correspond to the maxima of the

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Atmospheric
Manuscript under review for journal Atmos. Meas. Tech.
Measurement
Discussion started: 5 October 2018
(C) Author(s) 2018. CC BY 4.0 License.

SSTs. While the highest SSTs coincide with the highest cloud heights during austral summer, the lowest SSTs coincide with the lowest cloud heights during austral winter.

## 6 Conclusions

Here, we present a new method to determine $z_{\text {base }}$ over a spatial region from satellite based measurements. The MIBase algorithm derives $z_{\text {base }}$ from the high spatial resolution MISR cloud top height product $z$. Validation against 1510 ceilometer stations in the continental USA results in a correlation coefficient of 0.66 and a RMSE of 385 m for the validation data set (year 2007). The bias of -59 m even states that MISR sees a slightly lower $z_{\text {base }}$ on average. This is possibly due to the larger field of view which is set up for the retrievals from MISR as opposed to the point measurements provided by the ceilometer.

Very few attempts to derive $z_{\text {base }}$ from satellite have been performed and evaluated before. Desmons et al. (2013) retrieve $\Delta z$ from POLDER measurements. The standard deviation of the difference between their $\Delta z$ retrieval and reference data from CPR and CALIOP is about 964 m . However, their method is hard to compare to the MIBase algorithm, since they retrieve $\Delta z$ and make a distinction of different types of clouds which is not done in this study. The CBASE algorithm (Mülmenstädt et al., 2018) derives $z_{\text {base }}$ from CALIOP measurements even for optically thick clouds. Depending on the circumstances different retrieval uncertainties can be derived. Similar to the study presented here, they compare their $z_{\text {base }}$ retrievals with ceilometer data over the continental U.S.A. They obtain RMSEs between 404 m and 720 m depending on the concurrent local conditions of the individual retrievals. The RMSE we obtain for the MIBase algorithm is slightly lower. Even though the two studies make use of a similar reference data base, they measure cloud heights at different times of the day. While CALIOP has an afternoon overpass, MISR has a morning overpass, when more clouds of lesser extent are present. For a more in-depth comparison and validation of the presented algorithm, more cloud height reference observations would be desirable including observations in different climate zones.

An important strength of MIBase is the geometric approach which is applied to create the $z$ product from MISR measurements. Neither a calibration nor auxiliary data is necessary to obtain the $z$ product which is the starting point for the $z_{\text {base }}$ retrieval algorithm presented here. In consequence, retrievals are possible over all kinds of terrain even above ice. A disadvantage is the threshold height which MISR requires to create the stereo derived cloud mask. Therefore, depending on the terrain variability in the vicinity of the measurement, this new $z_{\text {base }}$ retrieval method is not capable to derive $z_{\text {base }}$ below at least 560 m (flat terrain).

The application of MIBase over a three-year period revealed plausible patterns in the global distribution and seasonal variability of $z_{\text {base }}$. A first analysis over the 16 -year MISR time series in the southeast Pacific shows the potential to investigate the inter-annual variability of $z_{\text {base }}$. This makes MIBase a promising tool for the evaluation of climate models in data sparse regions.


Figure A1. Joint density of $z_{\text {base }}$ and $\hat{z}_{\text {base }}$ for the year 2008 applying a lower threshold height $h_{\min }=300 \mathrm{~m}+H+2 \sigma_{\mathrm{h}}$ (Equation A1) for the distinction between surface and cloud pixels in contrast to Equation 1.

Data availability. Multiple archives providing METAR data are available. The data utilized here were downloaded from the Weather Underground archive (https://www.wunderground.com/history/airport/). The MISR Level 2TC Cloud Product data were downloaded from the NASA Langley Research Center Atmospheric Science Data Center (ftp://15ft101.larc.nasa.gov/MISR/MIL2TCSP.001/). ERA-Interim data were downloaded from the ECMWF data server via Web-API.

## 5 Appendix A: Sensitivity to threshold height $h_{\text {min }}$

The distinction between surface and cloud retrieval according to the threshold height described by Equation 1 introduces a constraint to the $z_{\text {base }}$ retrieval algorithm. Below a height of 560 m for flat terrain, or higher for more complex terrain, $z_{\text {base }}$ retrievals are not possible. As an attempt to lower this threshold height, we adjusted $H_{\text {SDCM }}$ in Equation 1, so that:
$h_{\text {min }}=300 \mathrm{~m}+H+2 \sigma_{\mathrm{h}}$
This modification results in a bimodal retrieval density clearly showing a mode consisting of surface retrievals (Fig. A1). Therefore, the original threshold height given by MISR has to be applied, in order to ensure that only cloud retrievals are utilized during data processing.

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Manuscript under review for journal Atmos. Meas. Tech.
Discussion started: 5 October 2018
(c) Author(s) 2018. CC BY 4.0 License.
$\begin{array}{r}\text { Atmospheric } \\ \text { Measurement } \\ \text { Techniques } \\ \hline \text { Discussions }\end{array}$
(c) (i)

Competing interests. The authors declare that they have no conflict of interest.

Acknowledgements. The MISR Level 2TC Cloud Product data were obtained from the NASA Langley Research Center Atmospheric Science Data Center (Mueller et al., 2013). We gratefully acknowledge financial support by the Collaborative Research Centre "Earth - Evolution at the dry limit" subproject A01 funded by the Deutsche Forschungsgemeinschaft (DFG).

Atmos. Meas. Tech. Discuss., https://doi.org/10.5194/amt-2018-317
Manuscript under review for journal Atmos. Meas. Tech.
Discussion started: 5 October 2018
(c) Author(s) 2018. CC BY 4.0 License.

## References

Boucher, O., Randall, D., Artaxo, P., Bretherton, C., Feingold, G., Forster, P., Kerminen, V.-M., Kondo, Y., Liao, H., Lohmann, U., Rasch, P., Satheesh, S., Sherwood, S., Stevens, B., and Zhang, X.: Clouds and Aerosols, in: Climate Change 2013: The Physical Science Basis. Contribution of Working Group I to the Fifth Assessment Report of the Intergovernmental Panel on Climate Change, edited by Stocker, T., Qin, D., Plattner, G.-K., Tignor, M., Allen, S., Boschung, J., Nauels, A., Xia, Y., Bex, V., and (eds.), P. M., chap. 7, pp. 571-657, Cambridge University Press, Cambridge, United Kingdom and New York, NY, USA, 2013.

Bull, M., Matthews, J., McDonald, D., Menzies, A., Moroney, C., Mueller, K., Paradise, S., and Smyth, M.: Data Products Specifications, Tech. Rep. JPL D-13963, Revision S, Jet Propulsion Laboratory, California Institute of Technology, 2011.

Costa-Surós, M., Calbó, J., González, J. A., and Long, C. N.: Comparing the cloud vertical structure derived from several methods based on radiosonde profiles and ground-based remote sensing measurements, Atmospheric Measurement Techniques, 7, 2757-2773, doi:10.5194/amt-7-2757-2014, https://www.atmos-meas-tech.net/7/2757/2014/, 2014.

Dee, D. P., Uppala, S. M., Simmons, A. J., Berrisford, P., Poli, P., Kobayashi, S., Andrae, U., Balmaseda, M. A., Balsamo, G., Bauer, P., Bechtold, P., Beljaars, A. C. M., van de Berg, L., Bidlot, J., Bormann, N., Delsol, C., Dragani, R., Fuentes, M., Geer, A. J., Haimberger, L., Healy, S. B., Hersbach, H., Hólm, E. V., Isaksen, L., Kållberg, P., Köhler, M., Matricardi, M., McNally, A. P., Monge-Sanz, B. M., Morcrette, J.-J., Park, B.-K., Peubey, C., de Rosnay, P., Tavolato, C., Thépaut, J.-N., and Vitart, F.: The ERA-Interim reanalysis: configuration and performance of the data assimilation system, Quarterly Journal of the Royal Meteorological Society, 137, 553-597, doi:10.1002/qj.828, https://rmets.onlinelibrary.wiley.com/doi/abs/10.1002/qj.828, 2011.

Desmons, M., Ferlay, N., Parol, F., Mcharek, L., and Vanbauce, C.: Improved information about the vertical location and extent of monolayer clouds from POLDER3 measurements in the oxygen A-band, Atmospheric Measurement Techniques, 6, 2221-2238, doi:10.5194/amt-6-2221-2013, http://www.atmos-meas-tech.net/6/2221/2013/, 2013.

Diner, D.: MISR Level 2 Cloud Heights and Winds HDF-EOS File - Version 1, NASA Langley Atmospheric Science Data Center DAAC, doi:10.5067/Terra/MISR/MIL2TCSP_L2.001, https://doi.org/10.5067/terra/misr/mil2tcsp_12.001, 2012.

Ferlay, N., Thieuleux, F., Cornet, C., Davis, A. B., Dubuisson, P., Ducos, F., Parol, F., Riédi, J., and Vanbauce, C.: Toward New Inferences about Cloud Structures from Multidirectional Measurements in the Oxygen A Band: Middle-of-Cloud Pressure and Cloud Geometrical Thickness from POLDER-3/PARASOL, J. Appl. Meteorol. Clim., 49, 2492-2507, http://dx.doi.org/10.1175/2010JAMC2550.1, 2010.

Goren, T., Rosenfeld, D., Sourdeval, O., and Quaas, J.: Satellite observations of precipitating marine stratocumulus show greater cloud fraction for decoupled clouds in comparison to coupled clouds, Gephys. Res. Lett., 45, 5126-5134, doi:10.1029/2018GL078122, https: //agupubs.onlinelibrary.wiley.com/doi/10.1029/2018GL078122, 2018.

Hahn, C. J. and Warren, S. G.: A gridded climatology of clouds over land (1971-96) and ocean (1954-97) from surface observations worldwide. Numeric Data Package NDP-026E ORNL/CDIAC-153, Tech. rep., CDIAC, Department of Energy, Oak Ridge, TN, doi:10.3334/CDIAC/cli.ndp026e, 2007.
Hannay, C., Williamson, D. L., Hack, J. J., Kiehl, J. T., Olson, J. G., Klein, S. A., Bretherton, C. S., and Köhler, M.: Evaluation of Forecasted Southeast Pacific Stratocumulus in the NCAR, GFDL, and ECMWF Models, Journal of Climate, 22, 2871-2889, doi:10.1175/2008JCLI2479.1, https://doi.org/10.1175/2008JCLI2479.1, 2009.

Lau, M. W., Yung, Y. L., and Wu, D. L.: Determining Cloud Base and Thickness from Spaceborne Stereoscopic Imaging and Lidar Profiling Techniques, Accepted by Caltech Undergraduate Research Journal, Spring Issue, http://web.gps.caltech.edu/~mlau/writeups/Cloud_Base_ from_Spaceborne_Sterescopic_Imaging.pdf, 2012.

Marchand, R. T., Ackerman, T. P., and Moroney, C.: An assessment of Multiangle Imaging Spectroradiometer (MISR) stereo-derived cloud top heights and cloud top winds using ground-based radar, lidar, and microwave radiometers, Journal of Geophysical Research: Atmospheres, 112, doi:10.1029/2006JD007091, https://agupubs.onlinelibrary.wiley.com/doi/abs/10.1029/2006JD007091, 2007.
Meerkötter, R. and Zinner, T.: Satellite remote sensing of cloud base height for convective cloud fields: A case study, Geophysical Research Letters, 34, n/a-n/a, doi:10.1029/2007GL030347, http://dx.doi.org/10.1029/2007GL030347, 117805, 2007.
Merk, D., Deneke, H., Pospichal, B., and Seifert, P.: Investigation of the adiabatic assumption for estimating cloud micro- and macrophysical properties from satellite and ground observations, Atmospheric Chemistry and Physics, 16, 933-952, doi:10.5194/acp-16-933-2016, http: //www.atmos-chem-phys.net/16/933/2016/, 2016.

Moroney, C. and Mueller, K.: Data Product Specification for the MISR Level 2 Cloud Product, Tech. Rep. JPL D-72327, Jet Propulsion Laboratory, California Institute of Technology, 2012.

Moroney, C., Davies, R., and Muller, J. P.: Operational retrieval of cloud-top heights using MISR data, IEEE Transactions on Geoscience and Remote Sensing, 40, 1532-1540, doi:10.1109/TGRS.2002.801150, 2002.

Mueller, K., Moroney, C., Jovanovic, V., Garay, M., Muller, J.-P., Di Girolamo, L., and Davies, R.: MISR Level 2 Cloud Product Algorithm Theoretical Basis, Tech. Rep. JPL D-73327, Jet Propulsion Laboratory, California Institute of Technology, 2013.

Pinto, R., Barría, I., and Marquet, P.: Geographical distribution of Tillandsia lomas in the Atacama Desert, northern Chile, Journal of Arid Environments, 65, 2006.

Stephens, G. L., Vane, D. G., Boain, R. J., Mace, G. G., Sassen, K., Wang, Z., Illingworth, A. J., O'connor, E. J., Rossow, W. B., Durden, S. L., Miller, S. D., Austin, R. T., Benedetti, A., and Mitrescu, C. a.: THE CLOUDSAT MISSION AND THE A-TRAIN, Bulletin of the American Meteorological Society, 83, 1771-1790, doi:10.1175/BAMS-83-12-1771, https://doi.org/10.1175/BAMS-83-12-1771, 2002.
Taylor, S., Stier, P., White, B., Finkensieper, S., and Stengel, M.: Evaluating the diurnal cycle in cloud top temperature from SEVIRI, Atmospheric Chemistry and Physics, 17, 7035-7053, doi:10.5194/acp-17-7035-2017, https://www.atmos-chem-phys.net/17/7035/2017/, 2017.

Van Beusekom, A. E., González, G., and Scholl, M. A.: Analyzing cloud base at local and regional scales to understand tropical montane cloud forest vulnerability to climate change, Atmospheric Chemistry and Physics, 17, 7245-7259, doi:10.5194/acp-17-7245-2017, http: //www.atmos-chem-phys.net/17/7245/2017/, 2017.

Wood, R.: Stratocumulus Clouds, Monthly Weather Review, 140, 2373-2423, doi:10.1175/MWR-D-11-00121.1, https://doi.org/10.1175/ MWR-D-11-00121.1, 2012.

World Meteorological Organization: Technical Regulations Volume II: Meteorological service for international air navigation, https://library. wmo.int/pmb_ged/wmo_49-v2_2013_en.pdf, 2013.

