The design and performance of a new system for studying turbulent effect on cloud microphysics under short timescales up to a few seconds is presented, the LACIS-T system. CFDC simulations using large eddy simulations are also performed to help interpret the system’s performance and experimental results. This is an important contribution to the atmospheric science community given the lack of experimental systems to directly study the effects of turbulence. I recommend it for publication, and make a few suggestions to further improve the manuscript below.

We thank referee 1 for his/her remarks/comments/suggestions. They are addressed below and we have revised the manuscript accordingly.

While the system’s design and characterization are nicely presented in great detail, it stuck me that a discussion of how finely the relevant parameters can be adjusted and controlled in LACIS-T was not really presented. This would be a valuable addition to the paper.

The accuracy for flow rate, temperature and dew-point temperature adjustments have been added in section 2 where the corresponding devices are described (changes are given in bold here). For example, the accuracy of the temperature adjustments in the humidification system and heat exchangers as well as of their monitoring is +/- (0.03°C +0.0005 x T) with T being the actual temperature (in °C). Note that, the accuracy for monitoring the set dew-point with the dew-point mirror is ≤ ±0.1 K with a reproducibility of ≤ ±0.05 K. The Huber thermostats used in the humidification system and connected to the heat exchangers feature a temperature stability of +/- 0.01 K at -10°C. The volume flow rate is monitored by means of ultrasonic flow meters each of which features an accuracy of 1.5% of the reading. The relative measurement uncertainty of the Hot-wire anemometer is about 3%.

In the introduction, more elaboration on the importance of atmospheric turbulence and its effects on important properties and phenomena such as cloud microphysics and particle deliquescence/growth and the resulting rather complex and intriguing size distributions is warranted. This will be the results presented in better context.

A respected paragraph has been inserted which is marked in bold:

"Turbulence drives processes such as entrainment and mixing, leading to strong fluctuations in aerosol particle concentration, temperature, water vapor, and consequently supersaturation which affects having implications for cloud droplet activation, growth and decay (Siebert et al., 2006; Siebert and Shaw, 2017; Chandrakar et al., 2016). Indeed, it has been shown that representation of unresolved fluxes in large-eddy simulations influence properties of simulated stratocumulus clouds (Shi et al., 2018), and that the range of scales captured in direct numerical simulations of cloud entrainment influence the width of the droplet size distribution (Kumar et al., 2018). Even without the presence of strong entrainment, fluctuations in supersaturation can influence the functional form of the cloud droplet size distribution (e.g., McGraw and Liu, 2006; Chandrakar et al., 2016; Saito et al., 2019; Chandrakar et al., 2019). Turbulence also influences particle collision rates and is therefore thought to be central to precipitation formation (Shaw, 2003; Wang and Grabowski, 2009). These processes, in turn, can have buoyancy and drag effects on turbulence and influence cloud dynamic processes up to the largest scales (Stevens et al, 2005; Malinowski et al., 2008; Bodenschatz et al., 2010)".

Line 91: Is there a reference for the "Göttingen type" of wind tunnel?
The Göttingen wind tunnel goes back to Prandtl and Betz. It is a closed-loop wind-tunnel with a measurement section. A citation was added to the text: Randers-Pehrson (1935) which gives a review about wind tunnels of that time. There it is written: “With the construction of the first wind tunnel at Göttingen we are approaching modern times. This was the first return-flow tunnel, built by Dr. Ludwig Prandtl for Motorluftschiffstudiengesellschaft and completed in July 1908. This tunnel was superseded in 1916-17 by a much larger tunnel with open jet and return flow, which is now called the Göttingen type.”

Lines 205-210: To make this more accessible to those less familiar with CFD simulations, please explain "periodic boundary conditions" and the significance and utility of the Courant–Friedrich–Lewy (CFL) number.

The following sentences have been added to the manuscript:

“[...] At the front and back of this section, periodic boundary conditions are used. Periodic boundary conditions in one or more space directions imply that any fluid field is periodically continued across the domain size in this direction, e.g. the temperature field is periodic in x if \(T(x+L,y,z,t) = T(x,y,z,t)\) with the box length \(L\) in x. [...]”

“[...] it is adjusted automatically to ensure a CFL number below 0.95. The CFL number is a parameter for the numerical solution of partial differential equations. The discrete time step width \(\Delta t\) in numerical simulations has to be chosen depending on the local velocity magnitude \(U\) in the mesh cells and their local widths \(\Delta x\) to guarantee the stability of the numerical method. In detail, it should hold that \(\Delta t \leq \Delta x/U\). The CFL number is the corresponding dimensionless quantity, \(C = \Delta t U/\Delta x\). In our case, \(C\) should be smaller than 1. [...]”

Line 225: What is the relevant particle size range and fluid velocity range being considered when evaluating the particle Reynolds number?

We have re-written this part of the manuscript including a statement about the relevant particle size range and fluid velocity:

“[...] being the particle’s density and diameter. The coefficient \(C_D\) depends on particle Reynolds number \(Re_p\) and is usually calculated according to Stokes (1851) for low \(Re_p\), and for higher \(Re_p\) according to Schiller and Naumann (1933):

\[
C_D = \begin{cases} 
\frac{24}{Re_p} & \text{for } Re_p < 0.5 \\
\frac{24}{Re_p} \left(1 + 0.15 Re_p^{0.687}\right) & \text{for } Re_p \geq 0.5 
\end{cases}
\]  

(5)

\(Re_p\) is calculated with the current values of \(D_p\) and the slip velocity \(|U_f - U_p|\) at every Lagrangian time step:

\[
Re_p = \frac{D_p |U_f - U_p|}{v_f},
\]

(6)

with \(v_f\) being the kinematic viscosity of the fluid. As the particles/droplets are rather small \((1\cdot10^{-7} \text{ m} < D_p < 1\cdot10^{-5} \text{ m})\), they are assumed to follow the advecting flow field nearly perfectly, i.e., the slip velocity is small compared to the fluid velocity. Thus, \(Re_p\) is assumed to be small.

\(C_{LS}\) is calculated [...]”
Fig. 1: Please indicate the air flow direction in the various channels.

The air-flow direction was added to the figure.

Figure 1. A schematic of LACIS-T including photos of individual components (© by Ingenieurbüro Mathias Lippold, VDI; TROPOS). The red arrows indicate the flow direction.

References


Randers-Pehrson, N.: Pioneer wind tunnels, Smithsonian Miscellaneous Collections, 93, 1935.


Referee 2

General Comment: This manuscript presents the newly developed turbulent moist-air wind tunnel, called the Turbulent Leipzig Aerosol Cloud Interaction Simulator (LACIST). LACIS-T is able to study different cloud processes taking into account interactions between turbulence and cloud microphysical processes. Additionally, the authors complemented their LACIS-T experiments with Computational Fluid Dynamics (CFD) simulations to explain their observations. The behavior of the LACIS-T was tested by performing deliquescence and hygroscopic growth as well as droplet activation and growth experiments using NaCl particles. This is as well written manuscript, with a very detailed descriptions of this newly developed turbulent moist-air wind tunnel. The LACIS-T is a great and valuable instrument for the cloud physics community that can be used to fulfill many gaps in knowledge. Given the lack of instruments like this, LACIS-T can have a huge impact in the near future. I congratulate the authors for developing such a great instrument and for the careful characterization. I only have one “Major Comment”. The manuscript can be accepted after the following minor comments are added to the revised manuscript.

We thank referee 2 for his/her remarks/comments/suggestions. They are addressed below and we have revised the manuscript accordingly.

Major Comment: It would have been nice to add a reference experiment, especially for the droplet activation experiments. I mean, is it possible to run a droplet activation experiment under steady conditions, i.e., without any turbulence? This will show how monodisperse is the droplet size distribution (DSD) in comparison to the DSD shown in Figure 12.

We agree that such a reference experiment would be very valuable. Therefore, as kind of a benchmark, we want to evaluate how the droplet size distribution would look like without turbulence affecting droplet formation and growth. Therefore, utilizing the above described numerical model, two additional cases have been investigated, a) a case without grid induced turbulence (i.e., the grid was removed from the numerical simulation) and b) an idealized case based on time-averaged flow fields without turbulent fluctuations. In these simulations, the formation and growth of NaCl particles, with \( D_{p,dry} = 100 \) nm for the temperature difference of \( \Delta T = 16K \) was considered. The simulation results are shown in Fig. 13 for \( z_8 = 80cm \) together with measurement results, for which the turbulence grid remains included as shown in Fig. 12.

![Figure 13](image_url)

**Figure 13.** Comparison between different model calculations for the particle formation and growth on NaCl particles with \( D_{p,dry} = 100 \) nm at \( z_8 = 80cm \) for \( \Delta T = 16K \). Left figure: LES with turbulence grid (as shown in lower right plot of Fig. 12). Middle figure: LES but without turbulence grid. Right figure: simulation with averaged fields used as frozen flow fields, and transient particle calculation. In all plots, the measurement results, for which the turbulence grid is included (as shown in Fig. 12), are shown for reference.
It turns out that the removal of the turbulence grid does not lead to laminar conditions. We still observe inherent turbulent conditions due to wall effects and the high Reynolds number (order of $10^6$) for the set velocity. But the turbulence intensity and therefore the strength of turbulent fluctuations is decreased. The power spectra obtained for the configuration without grid further suggest that the turbulence is anisotropic in this case (not shown). As a consequence, we still obtain a broad droplet size distribution (see middle plot in Fig. 13) which is however narrower compared to the measurement/simulation with turbulence grid. We further observe a significant number of particles close to $D_p = 300$ nm.

Laminar conditions, which would lead to a very narrow droplet size distribution (see right plot in Fig. 13), can only be simulated if averaged fields are used as frozen flow fields in the simulations, which is not realizable in the real experiment. In other words, measurements without turbulence are not executable inside LACIS-T and the flow regime is best controlled in presence of the turbulence grid. Furthermore, these simulations clearly indicate the distinct influences of turbulence on the droplet size distributions, and consequently, on the formation and growth of droplets inside LACIS-T.

The text marked in bold as well as Fig. 13 have been added at the end of section 5.2.

**Minor Comments:**

*L19: Add a reference after “Earth”.*

Lamb and Verlinde (2011) has been added to the text.

*L20: Add a reference after “interactions”.*

Mason and Ludlam (1951), Hobbs (1991), and Kreidenweis et al. (2019) have been added to the text.

*L24: Add a reference after “scales”.*

The sentence has been connected with the followed-up sentence in order to avoid citing the same reference twice.

Atmospheric clouds are often non–stationary, inhomogeneous, intermittent, and cover an enormous range of spatial (micrometers to hundreds of kilometers) and temporal (microseconds to hours and days) scales. Cross–scale with cross–scale interactions between turbulent fluid dynamics and cloud microphysical processes influence cloud behavior and cloud development (Bodenschatz et al., 2010).

*L28: I suggest to add other references in addition to Siebert et al. (2006).*

The sentence has been changed slightly and additional references have been added: Turbulence drives processes such as entrainment and mixing, leading to strong fluctuations in aerosol particle concentration, temperature, water vapor, and consequently supersaturation which affects with implications for cloud droplet activation, growth and decay (Siebert et al., 2006; Chandrakar et al., 2016, Siebert et al., 2017).

*L28: “It links to phase transition processes”. Do the authors refer to “turbulence”?”*

Yes, this is right. However, due to a comment by reviewer 1, the sentence has been
Turbulence also influences particle collision rates and is therefore thought to be central to precipitation formation (Shaw, 2003; Wang and Grabowski, 2009) and it links to phase transition processes of water as well as particle collisions and breakup (Shaw, 2003) […]”.

L34: Add a reference after “undertaking”.
Stratmann et al. (2009) has been added.

L37: I suggest to add other references in addition to Stratmann et al. (2009).
List et al. (1986) and Kreidenweis et al. (2019) have been added.

L40: How about Cziczo et al. (2017)?
The citation Cziczo et al. (2017) has been added to the text.

L44-49: I do not think it is necessary to cite all this previous papers.
We agree. Now in almost all cases, two papers are cited per particle type/species.

L50: I think “those of the other” should be “those of other”.
We agree, it has been changed accordingly.

L51: Add a reference after “interactions”.
Chang et al. (2016) has been added to the text.

L62-73: Much of the information provided here can go into methods.
This part has been written in order to get a first impression about the set-up and benefits of LACIS-T as well as answering the question what distinguishes this wind tunnel from other facilities like the PI chamber. Therefore, we would like to leave the main part here only deleting the last sentence of this paragraph.

L104: “to remove aerosol particles”. In the particle-free air?
The sentences have been re-written:
Two radial blowers (NICOTRA-Gebhardt, Germany) separately drive the two particle-free, dry air flows (flow branches ‘A’ and ‘B’). Flow rates of up to 6.000 l/min in each flow branch are possible. Afterwards, each flow passes a particle filter (Filter class U16; TROX GmbH, Germany) to remove aerosol particles. Subsequently, a defined amount of water vapor can be added to each of the now particle-free air flows by means of a humidification system.
L137: “Condensational” should be “Condensation”.
Done.

L140: Delete "and" before 200.
Done.

L259-260: “Large Eddy Simulations” should be “LES”.
Done.

L302: I suggest to change it to “Figs. 5a-c”
Done.

L333 and 335: “RMS” should be in lowercase?
Done.

L398: “size-selected” should be “size-selected”.
Done.

References


Characterization and first results from LACIS-T: A moist-air wind tunnel to study aerosol-cloud-turbulence interactions

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Abstract. The interactions between turbulence and cloud microphysical processes have been investigated primarily through numerical simulation and field measurements over the last ten years. However, only in the laboratory we can be confident in our knowledge of initial and boundary conditions, and are able to measure under statistically stationary and repeatable conditions. In the scope of this paper, we present a unique turbulent moist-air wind tunnel, called the Turbulent Leipzig Aerosol Cloud Interaction Simulator (LACIS-T) which has been developed at TROPOS in order to study cloud physical processes in general and interactions between turbulence and cloud microphysical processes in particular. The investigations take place under well-defined and reproducible turbulent and thermodynamic conditions covering the temperature range of warm, mixed-phase and cold clouds (25°C > T > −40°C). The continuous-flow design of the facility allows for the investigation of processes occurring on small temporal (up to a few seconds) and spatial scales (micrometer to meter scale) and with a Lagrangian perspective. The here presented experimental studies using LACIS-T are accompanied and complemented by Computational Fluid Dynamics (CFD) simulations which help us to design experiments as well as to interpret experimental results.

In this paper, we will present the fundamental operating principle of LACIS-T, the numerical model as well as results concerning the thermodynamic and flow conditions prevailing inside the wind tunnel combining both characterization measurements and numerical simulations. Finally, first results are depicted from deliquescence/hygroscopic growth as well as droplet activation and growth experiments. We observe clear indications of the effect of turbulence on the investigated microphysical processes.

1 Introduction

Clouds are important players in both weather and climate. They are the source of precipitation and significantly contribute to the radiative budget of the Earth (Lamb and Verlinde, 2011). Extensive research activity during the last decades has been carried out in order to understand cloud processes and related interactions (Mason and Ludlam, 1951; Hobbs, 1991; Kreidenweis et al., 2019). As a consequence, the quantitative knowledge has increased tremendously in the past decades but many of the
occurring interactions and their influence on weather and climate are still poorly understood and ill quantified (Quaas et al., 2009; Seinfeld et al., 2016; Kreidenweis et al., 2019).

Atmospheric clouds are often non–stationary, inhomogeneous, intermittent, and cover an enormous range of spatial (micrometers to hundreds of kilometers) and temporal (microseconds to hours and days) scales. Cross-scale with cross-scale interactions between turbulent fluid dynamics and cloud microphysical processes influence cloud behavior and cloud development (Bodenschatz et al., 2010). Turbulence drives processes such as entrainment and mixing, leading to strong fluctuations in aerosol particle concentration, temperature, water vapor, and consequently supersaturation which affects cloud droplet activation, growth and decay (Siebert et al., 2006; Chandrakar et al., 2016; Siebert and Shaw, 2017). Indeed, it has been shown that representation of unresolved fluxes in large-eddy simulations influence properties of simulated stratocumulus clouds (Shi et al., 2018), and that the range of scales captured in direct numerical simulations of cloud entrainment influence the width of the droplet size distribution (Kumar et al., 2018). Even without the presence of strong entrainment, fluctuations in supersaturation can influence the functional form of the cloud droplet size distribution (e.g., McGraw and Liu, 2006; Chandrakar et al., 2016; Saito et al., 2019; Chandrakar et al., 2019). Turbulence also influences particle collision rates and is therefore thought to be central to precipitation formation (Shaw, 2003; Wang and Grabowski, 2009). It links to phase transition processes of water as well as particle collisions and breakup (Shaw, 2003). These processes, in turn, can have buoyancy and drag effects on turbulence and influence cloud dynamic processes up to the largest scales (Stevens et al., 2005; Malinowski et al., 2008; Bodenschatz et al., 2010).

The remote location (high above the ground) and transience of clouds makes comprehensive characterization of clouds and their environment very difficult. Moreover, the intermittent nature of clouds requires the observation of a large number of clouds before statistics will converge. The study of atmospheric clouds is therefore an ambitious, expensive and technically challenging undertaking (Stratmann et al., 2009). In order to better understand and quantify the behavior of clouds in general, and the interactions between turbulence and cloud microphysical processes in particular, atmospheric observations alone are far from sufficient, and intensive laboratory investigations under well-defined and reproducible conditions form an irreplaceable part of cloud research (List et al., 1986; Stratmann et al., 2009; Kreidenweis et al., 2019).

A number of laboratory facilities for aerosol and cloud research, such as aerosol–cloud chambers, continuous flow systems, wind tunnels, and electrodynamic balances have been developed and used over the last decades for atmospheric research (a detailed compilation of, and references for, atmospheric chambers and facilities is given in Chang et al. (2016) and Cziczo et al. (2017)). At TROPOS, we developed the laminar flow tube LACIS (Leipzig Aerosol Cloud Interaction Simulator, Stratmann et al., 2004; Hartmann et al., 2011) which has been applied for the investigation of aerosol–cloud interaction processes under controllable and reproducible conditions in a continuous-flow setting. Investigations using LACIS comprised the consistent descriptions of both hygroscopic growth and droplet activation for various inorganic (Wex et al., 2005; Niedermeier et al., 2008) (Wex et al., 2006) and organic materials such as HULIS (HUmic LIke Substances, Wex et al., 2007; Ziese et al., 2008), secondary organic aerosol (Wex et al., 2009; Petters et al., 2009) and soot particles (Henning et al., 2010; Stratmann et al., 2010). Further, LACIS has been used for the investigation and quantification of the immersion freezing behavior of various mineral dust (Niedermeier et al., 2010; Augustin-Bauditz et al., 2014; Hartmann et al., 2016) (Niedermeier et al., 2011;
These results and those of other laboratory chambers and facilities have been fundamental in filling gaps in the big puzzle of understanding aerosol–cloud interactions (Chang et al., 2016). However, the investigations at LACIS and many of those at other facilities were carried out having average and/or slowly changing thermodynamic conditions in the vicinity of the particle/droplet, i.e., neglecting possible influences of turbulent fluctuations in these properties. Only very few experimental set-ups are available so far for laboratory investigations of aerosol–cloud–turbulence interactions due to the demanding experimental requirements regarding the accuracy and reproducibility of the experimental parameters (e.g. temperature, humidity, particle properties, turbulence parameters). One example is the Pi chamber which is a turbulent aerosol–cloud reaction chamber studying cloud processes on time scales of minutes to hours (Chang et al., 2016).

In the scope of this paper, we introduce a turbulent moist-air wind tunnel, called LACIS-T (Turbulent Leipzig Aerosol Cloud Interaction Simulator), which has been developed at TROPOS in order to study cloud physical processes in general and interactions between turbulence and cloud microphysical processes, such as droplet / ice crystal formation, in particular. The investigations take place under well-characterized and reproducible turbulent and thermodynamic conditions covering the temperature range of warm, mixed-phase and cold clouds ($25^\circ\text{C} > T > -40^\circ\text{C}$). The continuous-flow design of the facility allows for the investigation of processes occurring on small temporal (up to a few seconds) and spatial scales (micrometer to meter scale) and with a Lagrangian perspective, in contrast to other facilities like the Pi chamber. A specific benefit of LACIS-T is the well-defined location of aerosol particle injection directly into the turbulent mixing zone as well as the precise control of the respective initial / boundary flow velocity and thermodynamic conditions. The size and number concentration of aerosol and cloud particles can be measured at different defined locations below the aerosol injection.

The experimental studies using LACIS-T on aerosol–cloud–turbulence interactions are accompanied and complemented by Computational Fluid Dynamics (CFD) simulations which help us to design experiments, i.e., obtain suitable experimental parameters, as well as to interpret experimental results. The simulations are performed in OpenFOAM® for modeling flow, heat and mass transfer as well as particle and droplet dynamics. In that context we formulated an Eulerian–Lagrangian approach so that the growth of individual cloud particles can be tracked along their trajectories through the simulation domain (see e.g. Kumar et al., 2018).

In the following, LACIS-T and the currently available instrumentation will be described (Sect. 2). The numerical model and boundary conditions as well as the numerical particle tracking method are explained in detail in Sect. 3. Afterwards, we present results concerning the thermodynamic and flow conditions prevailing in LACIS-T combining both characterization measurements and numerical simulations (Sect. 4). First results from deliquescence / hygroscopic growth as well as droplet activation and growth experiments are depicted in Sect. 5. Finally, we will close with a summary as well as an outlook concerning cloud microphysical processes we will address with LACIS-T in the near future.
The objective of the wind tunnel design is to generate a locally-homogeneous and isotropic turbulent air flow into which aerosol particles can be injected, and in which the water vapor saturation is precisely controlled. Under suitable conditions, aerosol particles act as cloud condensation nuclei (CCN) or ice-nucleating particles (INP) and cloud droplet formation or heterogeneous ice nucleation and subsequent growth within a turbulent environment is observed. The turbulent flow is created as air flows past passive grids, as described in more detail later in this section. The primary novelty of the wind tunnel is the existence of two parallel paths through which air flows and is humidified, which are combined in the turbulent flow region. Because of the nonlinearity of the saturation water vapor pressure on temperature (Clausius–Clapeyron equation), the resulting mixture can be supersaturated. Specifically, supersaturated environment is created through the generally known process of isobaric mixing (Bohren and Albrecht, 1998). The exact humidity within the turbulent region depends on the temperatures and humidities within the two streams, as well as the location within the turbulent mixing layer zone in the wind tunnel.

LACIS-T is a closed-loop wind tunnel (Göttingen type) (Randers-Pehrson, 1935) which has been designed and built up at TROPOS in collaboration with engineering offices “Ingenieurbüro Dr.-Ing. W. Lorenz-Meyer”, and “Ingenieurbüro Mathias Lippold, VDI, Windkanalkonstruktion und Windkanaltechnik”. A schematic of the construction is shown in Fig. 1. The main components are radial blowers, particle filters, valves, flow meters, the humidification system, heat exchangers, turbulence grids, the measurement section and the adsorption dehumidifying system. These components are applied in order to generate the two particle-free air flows each of which is conditioned to a certain temperature and water vapor concentration. These two conditioned particle-free air flows are turbulently mixed inside the measurement section and aerosol particles are injected into the mixing zone of the two particle-free air flows enabling studies of aerosol–cloud–turbulence interaction performed at ambient pressure. The mean velocity inside the measurement section can be varied between 0.5 and 2 m/s. The detailed description of LACIS-T’s design and its functionality will be given in the following, including the adjustment procedure in terms of the thermodynamic — mainly temperature and water vapor concentration — and flow conditions.

Two radial blowers (NICOTRA-Gebhardt, Germany Witt & Sohn AG, Germany) separately drive the two particle-free, dry air flows (flow branches ‘A’ and ‘B’). Flow rates of up to 6,000 l/min in each flow branch are possible. Afterwards, each flow passes a particle filter (Filter class U16; TROX GmbH, Germany) to remove aerosol particles. Subsequently, a defined amount of water vapor can be added to each of the now particle-free air flows by means of a humidification system. For each flow branch, it consists of three humidifiers made of Nafion (FC600-7000, Permapure Inc., USA) being surrounded by water jackets and a bypass where the air remains unhumidified. A pump (Grundfos GmbH, Germany) circulates water through the three Nafion humidifiers (150 l/min each), and a reservoir compensates the water loss due to water vapor transport through the Nafion tubes humidifying the particle-free air flow. Heat exchangers, being connected with thermostats (Huber unistat 510, Peter Huber Kältemaschinenbau AG, Germany), keep the temperature of the water-jackets at a defined value (the temperature accuracy is $\pm (0.03^\circ C + 0.0005 \times T)$ with $T$ being the actual temperature (in $^\circ C$) and the stability of the thermostats is $\pm 0.01$ K at -10$^\circ$C). The humidifiers are used in a counter flow fashion. Pneumatically driven valves (Valtek MaxFlo 3, Flowserve Essen GmbH, Germany) are used to adjust the respective volume flows through the bypass and the humidifiers and...
ultrasonic flow meters (Prosonic Flow, Endress+Hauser AG, Switzerland) are applied to measure the respective volume flow rate with an accuracy of 1.5% of the reading. Due to the setup it is possible to a) ensure measurements under dry conditions by-passing the humidifiers and b) to mix dry and humidified air in order to reach dew-point temperatures below 0°C since the functionality of the Nafion tubes is limited to a temperature range above the melting point of ice. The dew point temperature of each branch is monitored downstream of the humidification system by means of dew point mirrors (DPM, MBW 973, MBW Calibration, Switzerland), which feature an accuracy of ≤ ±0.1 K and a reproducibility of ≤ ±0.05 K.

Then, the two air streams are re-directed and passed through diffusers, changing the cross section from circular to rectangular. This is needed for the entrance into the heat exchangers (Wätas Wärmetauscher Sachsen GmbH, Germany). Each heat exchanger contains a coolant, the temperature of which can be adjusted to a defined temperature using thermostats (Huber unistat 915, Peter Huber Kältemaschinenbau AG, Germany, (temperature stability of 0.01 K at -10°C) ). The temperature can be adjusted between −40°C and 25°C with an accuracy of ± (0.03°C + 0.0005 × T) and T being the actual temperature (in °C) . The dimension of the heat exchangers has been chosen to be able to cool the air flows down to −40°C without any significant undercooling of the cooling liquid which would lead to condensation/deposition of water vapor at the inner walls and therefore to a loss of water vapor.

Downstream of the heat exchangers, both particle-free air flows are precisely conditioned in terms of volume flow rate, water vapor content and temperature. Before entering the measurement section, the air flows pass passive square-mesh grids (mesh length of $M = 1.9$ cm, rod diameter $d_{\text{rod}} = 0.4$ cm and a blockage of $\sigma_b = 30\%$) which are situated 20 cm above the
measurement section (see Fig. 2). This configuration has been chosen to create turbulence that is approximately isotropic in the center-region of the measurement section and is homogeneous in transverse planes.

**Figure 2.** A sketch of the measurement section is shown including its dimensions as well as the position of the turbulence grids, the cutting edge and the aerosol inlet (© by Ingenieurbüro Mathias Lippold, VDI; TROPOS). The red arrow marks the location where the particles are injected. The picture in between the sketches of the measurement section shows a formed cloud which is illuminated by a green laser light sheet.

At the inlet of the measurement section, the two conditioned particle-free air flows are merged and turbulently mixed. A wedge-shaped “cutting edge” separates both air flows right above the inlet of the measurement section (see right picture in Fig. 2). Three rectangular feed-throughs, which represent the aerosol inlet (20 mm x 1 mm each, 1 mm separation between feed-throughs) are located in the center of this cutting edge. Here, the aerosol flow is introduced into the mixing zone of the two particle-free air flows. Size-selected, quasi monodisperse aerosol particles of known chemical composition can be injected. Size selection is conducted via a DMPS-System (Differential Mobility Particle Sizer) which includes a DMA (Differential Mobility Analyzer, Knutson and Whitby (1975), type “Vienna medium”) for selecting a narrow dry particle size fraction and a CPC (Condensation Particle Counter, TSI 3010, TSI Inc, USA) to obtain the particle concentration. The particles themselves, which can serve as CCN and/or INP, are generated by means of an Atomizer (TSI 3075, TSI Inc., USA) or a Fluidized Bed Generator (TSI 3400A, TSI Inc., USA).

The measurement section itself is a rectangular prism and 200 cm long, 80 cm wide, and 20 cm deep (Fig. 2). It features various instruments for characterizing the prevailing thermodynamic, turbulence, and microphysical properties. This includes measurements of temperature, mean water vapor concentration, flow velocity, turbulence intensity, and dissipation rate as well as cloud particle size distributions at various locations. A summary of the instrumentation available so far is given in Table 1.
Table 1. Available instrumentation for the generation of defined aerosol particles, for the determination of the respective flow, air and dew-point temperature as well as for measuring cloud particle sizes and numbers inside the measurement section.

<table>
<thead>
<tr>
<th>Instrumentation</th>
<th>Application</th>
</tr>
</thead>
<tbody>
<tr>
<td>Atomizer</td>
<td>Generation of aerosol particles from a solution or suspension</td>
</tr>
<tr>
<td>Fluidized Bed Generator (TSI 3400A)</td>
<td>Generation of aerosol particles from a dry reservoir</td>
</tr>
<tr>
<td>Differential Mobility Particle Sizer (DMPS)</td>
<td>Generation and counting of size-selected monodisperse aerosol particles</td>
</tr>
<tr>
<td>Hot-wire anemometer (Dantec Dynamics Inc.)</td>
<td>Measurement of flow velocity (mean and fluctuations) at various locations (measurement uncertainty of about 3.0%)</td>
</tr>
<tr>
<td>Cold-wire anemometer (Dantec Dynamics Inc.)</td>
<td>Measurement of temperature fluctuations at various locations (standard deviation due to noise ≤10 mK)</td>
</tr>
<tr>
<td>Pt100 (1/10 class B, DIN EN 60751) resistance thermometers</td>
<td>Measurement of mean temperature at various locations (accuracy of ± (0.0300° C +0.0005 × T); reproducibility of ±0.01 K)</td>
</tr>
<tr>
<td>Dew-point mirror (DPM, MBW 973, MBW Calibration)</td>
<td>Measurement of mean dew-point temperature at various locations (accuracy of ≤ ±0.1 K; reproducibility of ≤ ±0.05 K)</td>
</tr>
<tr>
<td>Promo 2000 with welas 2300 aerosol spectrometer (PALAS GmbH)</td>
<td>Determination of cloud particle size and number at various locations</td>
</tr>
</tbody>
</table>

The design of the measurement section ensures flexibility in terms of instrument mounting. That means the windows shown in the schematic drawing of the measurement section in Fig. 2 can be replaced by panels with defined positions for access ports as well as customized optical windows. Please note that the measurement section is currently not heat insulated. However, as shown in Sect. 4, wall effects have a negligible influence on the processes occurring in the mixing zone for the experiments carried out so far.

After passing through the measurement section, the entire flow is dried and heated by means of an adsorption dehumidifying system (Marquardt & Schaupp Luftentfeuchtungssysteme GmbH, Germany). Then the flow splits up again into two branches and the whole cycle starts again.
In summary, we are able to separately adjust and control volume flow rate, temperature and dew-point temperature of each flow branch so that different experimental configurations are possible. This is an important requirement for the experimental studies performed at LACIS-T especially with regard to our first investigations about deliquescence / hygroscopic growth as well as droplet activation and growth experiments which will be presented in Sect. 5. Two different settings have been applied for these experiments which will be briefly introduced in the following. In the first, isothermal setting, both particle-free air flows feature the same conditions in terms of flow rate, temperature and dew-point temperature. The temperature and dew-point temperature of the aerosol flow are adjusted independently of the two particle-free air flows such that microphysical processes like deliquescence and hygroscopic growth of aerosol particles can be studied. In the second, non-isothermal setting, the two particle-free air flows are differently conditioned in terms of temperature and dew-point temperature, i.e., there is a temperature difference $\Delta T$ between both air-flows. If the relative humidities in both air flows are sufficiently high, supersaturation is achieved when both flows are mixed.

3 Numerical simulations

As mentioned above, measurements of flow, thermodynamic and cloud particle properties are performed at various locations inside the measurement section. However, it is challenging to determine a comprehensive picture of, for example, the instantaneous parameter fields. Therefore, the experimental investigations are accompanied and complemented by CFD simulations performed in OpenFOAM®. The simulations will further be very helpful for the design of experiments, i.e., obtaining suitable experimental parameters, as well as for the interpretation of experimental results. The simulations will also aid in development of physically-sound parameterizations concerning aerosol–cloud–turbulence interaction. In the following the numerical setup for flow and particle dynamics simulations will be presented.

3.1 Computational domain and numerical grid

As already shown, the measurement section is a rectangular prism being 200 cm long, 80 cm wide, and 20 cm deep. For the simulations, the computational domain comprises only a part of the wind tunnel upstream the aerosol injection, including the turbulence grid in order to reduce computational effort. It covers the upper 80 cm of the measurement section, and it is 11.5 cm wide and 20 cm deep (Fig. 3). This is the region of interest for the measurements carried out so far. This domain is decomposed into a grid with approximately $7.6 \times 10^6$ cells. Multi region support, i.e., a coupled simulation of solid and fluid regions, is necessary for non-isothermal setups, as the region between the walls above the aerosol inlet is a solid and thus conducts heat, so that the wall temperature is not fixed, but actually depends on the behavior of fluid and solid temperature at the walls. The solid region was decomposed into approximately 30,000 grid cells.

3.2 Fluid flow and heat / mass transfer simulations

For an isothermal (i.e., the temperature in both flow branches A and B is identical, $T_A = T_B$), unhumidified (i.e., dry) setup, as will be described in Sect. 4.1, OpenFOAM®’s solver “pimpleFoam” is used, which is a finite volume solver for incom-
Figure 3. Boundaries of the computational domain with detailed view of the aerosol inlet region between the two air flow branches (c.e. stands for cutting edge).

pressible, transient, turbulent flows. Regarding non-isothermal \(T_A \neq T_B\) and humidified flows, we use an adapted version of OpenFOAM®'s “chtMultiRegionFoam”, which is able to simulate multi region heat transport and which was extended to also transport the mass fraction of water vapor.

As turbulent fluctuations are to be investigated, it is not suitable to use Reynolds Averaged Navier Stokes (RANS) models. This would only provide mean values of turbulent properties. A fully resolved simulation (Direct Numerical Simulation, DNS) is far beyond available computational resources, but is planned as a possible future work. So the method of choice so far is a Large Eddy Simulation (LES), calculating the larger, energy containing eddies and modeling the smallest eddies, so it is not as computationally expensive as a DNS. We choose the dynamic k-equation LES model, as it has proven to be a good model for decaying turbulence and the transport of thermodynamic quantities (Chai and Mahesh, 2012).

The air inside LACIS-T is considered to be an ideal gas with a molar mass of 28.97 g/mol, a heat capacity of 1.007 kJ/(kg K), and a dynamic viscosity of \(18.23 \cdot 10^{-6}\) Pa s. Regarding the solid region, approximate properties of steel are used with a molar mass of 56 g/mol, a thermal conductivity of 40 W/(m K), a specific heat capacity of 500 J/(kg K), and a density of 8000 kg/m\(^3\). Gravitational acceleration is set to 9.81 m/s\(^2\) in the vertical direction (positive z-direction in Fig. 3).
Table 2. Boundary conditions for LES.

<table>
<thead>
<tr>
<th></th>
<th>$\bar{u}$ [m/s]</th>
<th>$q_v$</th>
<th>$T$</th>
<th>$p$ [Pa]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Inlet A</td>
<td>(0 0 0.35)</td>
<td>$q_v,A$</td>
<td>$T_A$</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Inlet B</td>
<td>(0 0 0.35)</td>
<td>$q_v,B$</td>
<td>$T_B$</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Outlet</td>
<td>zero gradient</td>
<td>zero gradient</td>
<td>zero gradient</td>
<td>101325</td>
</tr>
<tr>
<td>Walls cutting edge</td>
<td>no slip</td>
<td>zero gradient$^1$</td>
<td>coupled$^2$</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Walls turb. grid</td>
<td>no slip</td>
<td>zero gradient$^1$</td>
<td>zero gradient</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Walls above turb. grid A</td>
<td>no slip</td>
<td>zero gradient$^1$</td>
<td>fixed value$^3$</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Walls above turb. grid B</td>
<td>no slip</td>
<td>zero gradient$^1$</td>
<td>fixed value$^3$</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Front/back</td>
<td>cyclic</td>
<td>cyclic</td>
<td>cyclic</td>
<td>cyclic</td>
</tr>
<tr>
<td>Walls below turb. grid A</td>
<td>no slip</td>
<td>zero gradient$^1$</td>
<td>fixed value$^3$</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Walls below turb. grid B</td>
<td>no slip</td>
<td>zero gradient$^1$</td>
<td>fixed value$^3$</td>
<td>zero gradient</td>
</tr>
<tr>
<td>Inlet aerosol</td>
<td>(0 0 1.25)</td>
<td>$q_v,t$</td>
<td>fixed value$^3$</td>
<td>zero gradient</td>
</tr>
</tbody>
</table>

$^1$ If the value of the water vapor mixing ratio $q_v$ exceeds the value which corresponds to a relative humidity of 100%, it is set to a fixed value boundary condition, so that RH stays at a maximum of 100% at the walls. $^2$ The region between the left and right side of the cutting edge is simultaneously simulated as a heat conducting solid and the temperatures at the wall are the result of this simulation. $^3$ Values according to measurement.

The different boundary conditions are depicted in Fig. 3 and listed in detail in Table 2. At the inlets, fixed values of velocity, temperature, and humidity were set according to measurements (inlet A and inlet B) or set values, respectively. The pressure gradient is set to zero.

As usual, a no-slip condition for the velocity is assumed at all walls. Wall temperatures have been measured above and below the turbulence grid and the according walls are set to the appropriate values. The turbulence grid is assumed to have approximately the same temperature as the surrounding fluid and thus the temperature gradient is set to zero there. For the humidity, we use a mixed wall boundary condition. For saturated flow conditions, the relative humidity at the wall is set to 100%. The condensed water is lost and heat release due to condensation is neglected. If the relative humidity at a wall is below 100%, the gradient is assumed to be zero.

At the outlet, zero gradient conditions are used for velocity, temperature, and humidity. In other words, the respective partial derivate vanishes in normal direction to the outlet surface. To reduce the computational effort, only a 11.5 cm wide section of LACIS-T was modeled, as mentioned above. At the front and back of this section, periodic boundary conditions are used. Periodic boundary conditions in one or more space directions imply that any fluid field is periodically continued across the domain size in this direction, e.g., the temperature field is periodic in $x$ if $T(x + L, y, z, t) = T(x, y, z, t)$ with the box length $L$ in $x$.

The simulations are first run for 1 s of physical time, starting with a steady state solution, until a quasi steady state is reached. Afterwards, another 2.5 s of physical time are simulated for statistics. The time step is either fixed at 25 ms, ensuring a maximum Courant–Friedrich–Lewy (CFL) number of approximately 0.8, or it is adjusted automatically to ensure a CFL
number below 0.95. The CFL number is a parameter for the numerical solution of partial differential equations. The discrete time step width $\Delta t$ in numerical simulations has to be chosen depending on the local velocity magnitude $U$ in the mesh cells and their local widths $\Delta x$ in order to guarantee the stability of the numerical method. In detail, it should hold $\Delta t \leq \Delta x / U$. The CFL number is the corresponding dimensionless quantity, $C = \Delta t U / \Delta x$. In our case, $C$ should be smaller than 1.

3.3 Particle dynamics simulation

For the particle dynamics simulations, an Eulerian–Lagrangian approach has been chosen. This means that individual particles are tracked along their trajectories through the simulation domain described above. The trajectories are calculated according to the following equations:

$$\frac{dx_p}{dt} = U_p,$$  \hspace{1cm} (1)

$$m_p \frac{dU_p}{dt} = \sum_i F_i.$$  \hspace{1cm} (2)

Here, $x_p$, $U_p$, and $m_p$ are the location, velocity, and mass of a particle, $t$ is the time, and $F_i$ are the forces acting on the particle. The forces considered in the present work are the drag force

$$F_D = \frac{3}{4} \frac{\rho_f m_p}{\rho_p D_p} C_D (U_f - U_p) \left| (U_f - U_p) \right|,$$  \hspace{1cm} (3)

and the transverse lift force due to shear lift

$$F_{LS} = \frac{\pi}{8} \rho_f D_p^3 C_{LS} (\vec{U}_f - \vec{U}_p) \times \omega_f,$$  \hspace{1cm} (4)

with $U_f$, $\rho_f$, and $\omega_f$ being the velocity, density, and rotation of the surrounding fluid, and $\rho_p$ and $D_p$ being the particle’s density and diameter. The particle Reynolds numbers are assumed to be low, thus the coefficient $C_D$ is usually calculated according to Stokes (1851), and for larger Reynolds numbers according to Schiller and Naumann (1933): The coefficient $C_D$ depends on the particle Reynolds number $Re_p$ and is usually calculated according to Stokes (1851) for low $Re_p$, and for higher $Re_p$ according to Schiller and Naumann (1933):

$$C_D = \begin{cases} \frac{24}{Re_p} & \text{for } Re_p < 0.5 \\ \frac{24}{Re_p} \left( 1 + 0.15 Re_p^{0.687} \right) & \text{for } Re_p \geq 0.5. \end{cases}$$  \hspace{1cm} (5)

The particle Reynolds number is calculated as $Re_p$ is calculated with the current values of $D_p$ and the slip velocity $|U_f - U_p|$ at every Lagrangian time step:

$$Re_p = \frac{D_p |U_f - U_p|}{\nu_f},$$  \hspace{1cm} (6)
with \( \nu_f \) being the kinematic viscosity of the fluid. As the particles/droplets are rather small \((1 \times 10^{-7} \text{ m} < D_p < 1 \times 10^{-5} \text{ m})\), they are assumed to follow the advecting flow field nearly perfectly, i.e., the slip velocity is small compared to the fluid velocity. Thus, \( \text{Re}_p \) is assumed to be small.

\[ C_{LS} = \frac{4.1126}{\text{Re}_s^{0.5}} f(\text{Re}_p, \text{Re}_s), \]  

(7)

with

\[ f(\text{Re}_p, \text{Re}_s) = \begin{cases} 
(1 - 0.3314\beta^{0.5}) \exp\left(-\frac{\text{Re}_p}{10}\right) + 0.3314\beta^{0.5} & \text{for } \text{Re}_p < 40 \\
0.0524\beta \text{Re}_p & \text{for } \text{Re}_p \geq 40,
\end{cases} \]

(8)

and with \( \beta = 0.5 \frac{\text{Re}_p}{\text{Re}_s} \) and the Reynolds number of the shear flow

\[ \text{Re}_s = \frac{D_p^2 |\omega_f|}{\nu_f}. \]

(9)

To investigate the particle growth, the particles can gain and lose mass depending on thermophysical properties at their surface:

\[ \frac{dm}{dt} = 2\pi d_p \rho_{v, sat}(S - S^*) f_{mt}, \]

(10)

where \( \rho_{v, sat} \) is the saturation vapor mass density, \( S \) is the ambient water vapor saturation ratio, \( S^* \) is the water vapor saturation ratio at particle surface (using the Köhler equation, Wilck (1998)) and

\[ f_{mt} = \frac{1 + A \text{Kn}}{1 + \text{Kn}(B_1 + (B_2 + C \text{Kn})/\alpha)} \]

(11)

is the mass transfer transition function. \( \text{Kn} = 2\lambda_g/d_p \) is the Knudson number, with \( \lambda_g \) being the mean free path length of the gas molecules. The parameter \( \alpha \) is the mass accommodation coefficient and it is assumed to be 1. For the coefficients \( A, B_1, B_2, \) and \( C \) the following values are used: \( A = 1, B_1 = 0.377 \) and \( B_2 = C = 4/3 \) (Whitby et al., 2003). As the concentration of particles used for experiments is currently rather small, only one-way coupling is considered, i.e., the particles’ influence on the fluid phase and interactions between them are neglected.

For the particle simulations, the multi region solver as introduced above is used and extended to include particle tracking, and also the domain is the same as for the characterization simulations. After an initial 1 s of physical time, the particles are injected at the aerosol inlet for another 1 s with a concentration of according to the measurements. It is \( 1000 \text{ cm}^{-3} \) for the droplet activation and growth experiments described later. This leads to about 25,000 particles which are tracked during 3.5 s of real time.

To compare the particle size distributions with their measured counterparts, the size of particles in cylinder-shaped regions in different positions are analyzed for the saved time steps. These cylinders have radii of 7 mm as this is approximately the width of the air stream that enters the welas 2300 spectrometer. The sampled regions are 25 mm long, and their axes coincides with the z-axis.
Characterization of the flow and thermodynamic properties

The characterization efforts include measurements of the flow field and the thermodynamic parameters within the measurement section including high-resolution measurements of velocity and temperature (on the decimeter to millimeter (Kolmogorov) scale) as well as measurements of the mean relative humidity. The results will be compared to those of Large Eddy Simulations LES. Overall, the characterization efforts have been performed to ensure the functionality and to investigate the performance of the wind tunnel. Note that the parameter space which can be set within LACIS-T is extensive. Consequently, the characterization efforts presented here will focus on $T_0 > 0^\circ$C conditions as well as on the very first meter of the measurement section (with $z_0 = 0$ cm corresponding to the position of the aerosol inlet which is 20 cm downstream the turbulence grid).

Flow properties in the measurement section

The flow field and the turbulent flow properties have been investigated for isothermal ($T_A = T_B$) and non-isothermal ($T_A \neq T_B$) conditions with different dew point temperature settings inside the measurement section. Here, results will be presented in detail for a dry, isothermal case\(^1\), i.e. both air flows featured the same temperature $T = 20^\circ$C and dew-point temperature $T_d = -15^\circ$C. Measurements were performed at various locations underneath the aerosol inlet along the shortest distance of the measurement section by means of the hot-wire anemometer measuring the vertical velocity component at 6000 Hz for 5 minutes at each location. Measurements were performed for aerosol flow turned-on and turned-off conditions in order to observe the influence of the cutting edge on the flow field. For the simulations, aerosol flow turned-off conditions have been considered only.

On the left hand side of Fig. 4, the simulated time-averaged velocity is shown for two different vertical planes and nine horizontal planes. The two vertical planes show the flow field located underneath the mid of a grid bar of the turbulence grid (left plane) and the mid of the grid openings (right plane), respectively. The nine horizontal planes are located at different positions below the aerosol inlet which is at $z_0$. Note that the very first horizontal plane is 1 cm below $z_0$ while the others are located at $z_1$ to $z_8$ with $z_1 = 10$ cm and $\Delta z = 10$ cm. Different characteristics of the flow field can be recognized. For example, the expected influence of the “cutting edge” on the flow field can be seen downstream of the aerosol inlet leading to a decrease of the flow velocity. Further, an increase of the mean velocity is visible close to the side walls, probably caused by the constriction of the cross-section leading to an acceleration of the velocity field which is strongest at the side walls. In the following, these simulation results will be compared to measurement results.

The plots on the right hand side of Fig. 4 show – from top to bottom – the measured and simulated mean (vertical) velocity $\bar{w}$, its fluctuation in terms of the root-mean-square (rms) average $\sigma_w = \langle w'^2 \rangle^{1/2}$ (with $w' = w - \bar{w}$) and the energy dissipation rate $\varepsilon$ obtained at $z_1$. The determination of the energy dissipation rate is based on the relationship:

$$\varepsilon = \frac{1}{r} \left( \frac{S_w}{C} \right)^{3/2}$$

\[(12)\]

where $S_w = \langle (w'(z) - w'(z+r))^2 \rangle$ is the second-order structure function of the vertical velocity component (Wyngaard, 2010), $z$ is the vertical position, $r$ is the separation distance, $C = 2.1$ is the Kolmogorov constant and $\langle \cdot \rangle$ is the spatial average. We\(^1\) Note that we do not observe a significant difference between dry and moist conditions as well as for isothermal and non-isothermal conditions.
Figure 4. Left: Contour plot of the time-averaged velocity in two vertical and nine horizontal planes determined by the LES. The grid is also indicated. Note that the aerosol flow is turned off in the simulations. Right: Profiles of mean velocity $\bar{w}$, rms velocity $\sigma_w$ and energy dissipation rate $\varepsilon$ along the center region (black line in the left figure; position 0 mm corresponds to the center of the measurement section depth, being 100 mm away from each side wall) at $z_1 = 10$ cm. The results presented are based on hot-wire measurements (at 6000 Hz) performed in the central position of the measurement section underneath the mid of the grid openings. Measurements were taken with turned-on (crosses) and turned-off (open circles) aerosol flow. Corresponding simulation results for $\bar{w}$ and $\sigma_w$ are shown as blue dashed lines, for turned off aerosol flow only.

Taylor’s frozen flow hypothesis to transform from temporal space to physical space. The application of this hypothesis is reasonable as $\bar{w} \gg \sigma_w$. 

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The mean velocity profile is homogeneous, apart from the areas near the wall of the measurement section and in the center-region with the aerosol flow being turned off. The increase of the mean velocity close to the side walls is not visible in the measurements probably due to objects related to the turbulence grid’s clamping system (not considered in the simulations), which strongly reduce the acceleration at the walls. Increased turbulence intensities, represented in terms of $\sigma_w$, are observed in the near-wall area due to wall induced turbulence. Furthermore, shear stresses in the mixing region cause higher turbulence and thus higher fluctuations. By turning on the aerosol flow (isokinetic flow conditions), the inhomogeneity in the center-region of the measurement section can be eliminated for both the mean velocity and its fluctuations. Thus these shear effects are strongly decreased in the mixing zone of the two air-flows. The dissipation rate is in the range of $2.6 \times 10^{-2}$ m$^2$s$^{-3}$ in the homogeneous region, which leads to the Kolmogorov time and length scales of $\tau_\eta = (\nu_\tau / \varepsilon)^{1/2} = 0.02$ s and $\eta = (\nu_\tau^3 / \varepsilon)^{1/4} = 0.6$ mm, with $\nu_\tau = 1.5 \times 10^{-5}$ m/s$^2$. The integral length $l$ and the Taylor microscale $\lambda_t$ are $l \sim \sigma_w^3 / \varepsilon = 1.3$ cm and $\lambda_t = (15\nu \sigma_w^2 / \varepsilon)^{1/2} = 0.6$ cm. The latter leads to the Taylor Reynolds number $Re_\lambda = \sigma_w \lambda_t / \nu \approx 30$. $Re_\lambda$ is much smaller than the values typically encountered in atmospheric clouds, however, this is not a limitation for studies of small-scale interactions of cloud particles/droplets and turbulence as long as intermittency aspects can be neglected (Siebert et al., 2010; Chang et al., 2016).

Figs. 5a–5 c Figs. 5a–5c show the values for $\bar{w}$, $\sigma_w$ and $\varepsilon$ for five different distances to the aerosol inlet averaged over the range where the dissipation rate is homogeneous. Looking at the values determined through the measurements, it can be seen that the mean velocity remains almost constant (slight decrease with increasing distance to the aerosol inlet), while the fluctuations and thus also the energy dissipation rate decrease with increasing distance from the turbulence grid. This observed decrease of the turbulent kinetic energy, which is also presented in terms of $\sigma_w^2$ in Fig. 5b, follows a power law function $\sigma_w^2 \sim (z - z_{grid})^n$ where $z_{grid}$ represents the grid position. The exponent $n$ is $-1.4$ and is comparable with results reported in other wind tunnel investigations and depends on the initial conditions (Lavoie et al., 2007, and references therein). Additionally, the simulated values for $\bar{w}$, $\sigma_w$ and $\varepsilon$ are given. We observe a slight decrease of $\bar{w}$ until $z = 0.2$ m which is similar to experimental observations. However, it is followed by a slight increase which is in contrast to the measurements. This slight increase in the simulated $\bar{w}$ is caused by the high velocities obtained close to the walls (see Fig. 4), which spread slowly and also reach the inner region. The decrease of $\sigma_w$ and $\varepsilon$ is well reproduced by the simulations.

The turbulent spectrum for the velocity fluctuations is shown as an example in Fig. 5d. A red line with $-5/3$ slope, which is expected for the inertial subrange of the turbulent energy cascade, is shown as a reference. The inertial subrange is not fully evolved, which is to be expected for $Re_\lambda \approx 30$. However, this is not a limitation as turbulence on the small scales is already developed (Schumacher et al., 2007) and our focus will be on small-scale interactions of cloud particles and turbulence.

### 4.2 Thermodynamic properties in the measurement section

The momentum exchange in turbulent flows is comparable to an increased molecular viscosity. However, the turbulent mixing does not only include momentum but also further associated properties such as heat and mass. We performed several characterization experiments to study the turbulent transport of heat and mass in the measurement section. All related studies were performed without the insertion of aerosol particles. The measurements are again accompanied by LES where the inlet conditions corresponded to those of the respective experiments.
Figure 5. The measurements shown in Fig. 4 were carried out for five different heights below the aerosol inlet. The values for mean velocity, rms velocity and dissipation rate are averaged in the range from −70 mm to +70 mm (switched on aerosol flow) and are shown in (a), (b) and (c) given by the black circles. (b) further shows the drop in turbulent kinetic energy in terms of the squared rms velocity (black squares) which follows a power law function with an exponent of −1.4 (dotted black line). Additionally, the respective results from the simulations are shown (blue plus signs) being also averaged in the range from −70 mm to +70 mm. The experimentally determined turbulent spectrum for the velocity fluctuations is shown in (d). A red line with −5/3 slope is shown as a reference.

In the first step, the turbulent transport of heat was investigated. To do so, a temperature difference of $\Delta T = 10$ K was set between the two flow branches ($T_A = 23^\circ$C and $T_B = 13^\circ$C) and $T_d = -15^\circ$C in both air flows (i.e., $\Delta T_d = 0$ K).

Figure 6 shows the time-averaged temperature profiles at three different locations underneath the aerosol inlet. As expected, the turbulent mixing zone widens with increasing distance from the aerosol inlet. There is a slight increase in temperature starting at about −70 mm out of the center caused by heat transfer from the wall as it is in contact with ambient air on the outside which is at a temperature of $\sim 24^\circ$C. The wall on the opposite site consequently does not significantly influence the temperature measurements because here the temperature difference between wall and flow is only $\Delta T = 1$ K. However, this wall effect, which will be eliminated in the near future by suitable heat isolation of the measurement section, has a negligible effect on the mixing zone. In addition, the results of the simulations for the mean temperature are included in Fig. 6. The simulations reproduce the measurements in an accurate manner, albeit slightly underestimating the width of the turbulent mixing zone.

The RMS rms temperatures also show the increase of the width of the mixing zone with increasing $z$. Again, thermal wall effects lead to an increase of the RMS rms temperature towards the wall, however, having a negligible effect on the mixing zone.

After investigating the turbulent transport of heat in dry air ($T_d = -15^\circ$C), a case with moist air is considered now. The dew point temperature was set to $12^\circ$C in both flow branches (i.e., $T_d$ is constant and there is no additional source or sink of water...
vapor), the temperature settings corresponded to those of the previous test case ($\Delta T = 10$ K and $\Delta T_d = 0$ K) so that the relative humidities correspond to $\text{RH}_A = 50\%$ and $\text{RH}_B = 93\%$. The mean dew point in the measurement section was determined with the DPM. To do so, a movable quarter-inch tubing with vertical inlet was inserted into the measurement section and connected to the DPM. The relative humidity was calculated from the dew point temperature and the air flow temperature, based on the August–Roche-Magnus empirical formula. In the following, the time-averaged values for temperature, dew-point temperature and relative humidity are presented for the conditions at $z_3 = 30$ cm recorded along a horizontal profile (see Fig. 7). Additionally, the results of the simulations are depicted. Since the dew point temperature along the profile is constant, i.e., the partial water vapor pressure is constant, the relative humidity essentially depends only on the temperature. The simulations reproduce the measurements in an accurate manner.

In the previous investigations, we focused on the turbulent transport of heat in dry and moist air. Now, the turbulent transport of mass in addition to heat is studied. To do so, a temperature and a dew point temperature difference were set between the two particle-free air flows, $\Delta T = 10$ K and $\Delta T_d = 4$ K.

In flow branch A the dew point temperature was set to $T_{d,A} = 12$°C (water vapor mixing ratio $q_{v,A} = 8.68$ g/kg) and the air flow temperature was set to $T_A = 23$°C resulting in a mean relative humidity of approx. 50%. Flow branch B featured a dew point temperature of $T_{d,B} = 8$°C (water vapor mixing ratio $q_{v,B} = 6.64$ g/kg) and an air flow temperature of $T_B = 13$°C, leading to approx. 71% relative humidity. Fig. 8 shows the relative humidity profile for $z = 6$ cm, 17 cm and 30 cm. The turbulent mixing zone expands with increasing distance to the aerosol inlet. The simulations, using the same inlet conditions, reproduce the measurements in an accurate manner, again slightly underestimating the width of the turbulent mixing zone as observed in the previous cases.
Figure 7. Dew point temperature (black markers), temperature (red markers), and RH profiles (blue markers) including the simulation results, for $\Delta T = 10$ K and $\Delta T_d = 0$ K obtained at $z_3$.

Figure 8. RH profiles for $\Delta T = 10$ K and $\Delta T_d = 4$ K based on temperature and dew point temperature measurements for $z = 6$ cm, 17 cm, and 30 cm including numerical predictions.
Finally, on the left hand side of Fig. 9 we compare the temperature profile ($\Delta T = 10$ K) for the different conditions, i.e., dry with $\Delta T_d = 0$ K; moist with $\Delta T_d = 0$ K; and moist with $\Delta T_d = 4$ K, exemplarily for $z_3$. As expected, the temperature profiles shown in the left of Fig. 9 exhibit a very similar behavior, i.e., the influence of the increased amount of water vapor in the air flow as well as the water vapor profile itself (in terms of RH) on the temperature curve is very low. The reasons are that still less than 1% of the total mass is water vapor which does not significantly influence the fluid properties (e.g., heat capacity). Further, there is no condensation of water vapor which could influence the temperature profile due to latent heat release.

On the right hand side of Fig. 9 the temperature and water vapor mixing are shown for the moist case ($\Delta T_d = 4$ K). In order to compare both quantities, the normalized water vapor mixing ratio $\xi_n$ and the normalized temperature $\theta_n$ are depicted. The normalized water vapor mixing ratio is defined as $\xi_n = (q_{v,1} - q_{v,1})/(q_{v,2} - q_{v,1})$, where $q_{v,1}$ and $q_{v,2}$ are lowest and highest water vapor mixing ratio set in the respective flow branch, respectively. The normalized temperature is given through $\theta_n = (T - T_1)/(T_2 - T_1)$ with $T_1$ being the lowest and $T_2$ being the highest temperature set in the respective flow branch. Both curves fall together, i.e, $\xi_n$ and $\theta_n$ behave similarly as we would expect since turbulent transport processes dominate over laminar diffusion processes in the mixing zone.

In summary, the above described investigations and results clearly demonstrate the functionality of LACIS-T. The current setup creates sufficiently large regions of homogeneous velocities in the measurement section. Determined dissipation rates are similar to those in atmospheric clouds. The decrease of the turbulent kinetic energy with increasing distance from the turbulence grid is comparable with other wind tunnels. Further, the turbulent mixing behavior of heat in dry air and moist air, as well as the turbulent mixing behavior of water vapor indicate that the transport of heat and mass in the mixing zone

**Figure 9.** Left: Mean temperature profiles for three different cases at $z_3$. Right: Normalized mean temperature and mean mass fraction at $z_3$ for $\Delta T = 10$ K and $\Delta T_d = 4$ K.

In summary, the above described investigations and results clearly demonstrate the functionality of LACIS-T. The current setup creates sufficiently large regions of homogeneous velocities in the measurement section. Determined dissipation rates are similar to those in atmospheric clouds. The decrease of the turbulent kinetic energy with increasing distance from the turbulence grid is comparable with other wind tunnels. Further, the turbulent mixing behavior of heat in dry air and moist air, as well as the turbulent mixing behavior of water vapor indicate that the transport of heat and mass in the mixing zone.
are governed by turbulent processes whereas laminar processes become negligible. Altogether, we observe a well-defined and
controllable turbulent mixing process that can be simulated accurately.

5 First experimental results on particle deliquescence/hygroscopic growth and droplet activation/growth

The first experiments conducted at LACIS-T deal with the deliquescence, hygroscopic growth and activation of size-selected,
monodisperse aerosol particles under turbulent conditions. Sodium chloride particles (NaCl) were used for both experiments.

Two different settings have been applied for the studies which will be described accordingly.

5.1 Deliquescence and Hygroscopic growth

In the first experiment, the deliquescence and hygroscopic growth behavior of NaCl particles with a dry diameter \(D_{p,\text{dry}}\) of
320 nm was investigated. Both particle-free air flows featured the same conditions in terms of flow rate, temperature and dew-
point temperature. The temperature and dew-point temperature of the aerosol flow were independently adjusted compared to
the two particle-free air flows. The aerosol flow rate was set to enter the measurement section in isokinetic fashion (the inlet
concentration was 1000 particles/cm\(^3\)). The welas 2300 sensor for particle detection was positioned inside the measurement
section at \(z_3 = 30\) cm right below the aerosol inlet. The temperature of both particle-free air flows was set to 20°C. The dew
point temperature was varied between 14.4°C and 19.8°C resulting in relative humidities (RH) in the measurement section
between 68% and 98%. The particles were introduced into the wind tunnel either dry (\(T_d = -15°C\) and \(T = 20°C\)) or already
pre-moistened (\(T_d = 19°C\) and \(T = 20°C\)), i.e., we investigated the hygroscopic growth of non-deliquesced and deliquesced
NaCl particles, respectively.

Figure 10 shows the measured particle diameter versus the relative humidity (obtained through measurements of dew-point
and air temperature). The blue solid line represents the corresponding Köhler curve (Pruppacher and Klett, 1997). We observed
deliquescence of the NaCl particles at approx. 75% RH, which compares well to literature data (e.g., 75.7% measured at 25°C
by Tang et al. (1977)). Furthermore, deliquescence is observed over a range of RH, which is indicative for an influence of the
prevailing turbulent RH fluctuations. Note that the investigations were performed at a total flow rate of 10,000 l/min, which
makes the accuracy of the results even more impressive.

5.2 Droplet activation and growth

In the second experiment, droplet formation on size-selected, monodisperse NaCl particles with \(D_{p,\text{dry}}\) of 100 nm, 200 nm,
300 nm, and 400 nm and the subsequent droplet growth were investigated. To do so, a temperature difference of \(\Delta T = 16\) K
was set between the two particle-free air flows. The temperature and dew-point temperature of the air streams were set to 20°C
in branch A and 4°C in branch B, respectively, so that RH = 100% in each air flow. Due to the mixing of both saturated air
flows in the measurement section, supersaturation conditions are reached. Based on the simulations (not shown), the mean RH
was at approximately 101.5%.
For each injected $D_{p,\text{dry}}$, the particle concentration was set to 1000 cm$^{-3}$. The welas 2300 sensor was positioned at center position inside the measurement section at $z_4 = 40$ cm or $z_8 = 80$ cm, in order to determine the prevailing droplet size distributions. The determined size distributions at the two positions are shown in Fig. 11. In both figures, the normalized droplet number vs. the particle diameter is displayed. The following observations can be made: a) For each $D_{p,\text{dry}}$ the formed droplets grow with increasing distance to the aerosol inlet; b) all the size distributions nearly fall together at $z_8$ (see Fig. 11b); c) the size distributions are negatively skewed and d) we also observe a significant number of particles close to $D_p = 300$ nm, which is approximately the welas 2300 detection limit.

To start with the interpretation of these observations, we included the critical diameters $D_{p,\text{crit}}$ for particle activation which are 1.2 $\mu$m, 3.4 $\mu$m, 6.3 $\mu$m, and 9.7 $\mu$m (dotted lines in Fig. 11) for $D_{p,\text{dry}} = 100$ nm, 200 nm, 300 nm, 400 nm, respectively. For all dry particle sizes investigated, the supersaturation reached inside the measurement section is high enough to activate these particles to cloud droplets. However, only the grown droplets which originate from the $D_{p,\text{dry}} = 100$ nm and $D_{p,\text{dry}} = 200$ nm particles are almost all or mostly activated at $z_8$ while the ones formed on the $D_{p,\text{dry}} = 300$ nm and $D_{p,\text{dry}} = 400$ nm particles are mostly not. The reason for this observation is the kinetic limitation of droplet growth. The time the particles are exposed to a certain level of supersaturation must be long enough to reach the respective critical diameter (Chuang et al., 1997; Nenes et al., 2001). For the $D_{p,\text{dry}} = 300$ nm and 400 nm particles and the prevailing supersaturation, it is on the order of several ten’s of seconds. However, the time to reach $z_8$ is about 0.5 s which is too short for these particles to reach their respective $D_{p,\text{crit}}$. 

\begin{figure}[h]
\centering
\includegraphics[width=0.7\textwidth]{figure10.png}
\caption{Hygroscopic growth of deliquesced (asterisk) and undeliquesced (open circles) NaCl particles with $D_{p,\text{dry}} = 320$ nm at $T = 20^\circ$C with welas 2300. As reference the theoretical Köhler curve for deliquesced particles (solid line) as well as the deliquescence point (dashed line, deliquescence at 75.7% measured at 25$^\circ$C by Tang et al. (1977)) are shown. We observe deliquescence of NaCl particles at about 75%.}
\end{figure}
Figure 11. Droplet formation and growth of differently size-selected, monodisperse NaCl particles ($D_{p,\text{dry}} = 100 \text{ nm - 400nm}$) for $\Delta T = 16 \text{ K}$ measured at two different positions below the aerosol inlet (left figure: $z_4 = 40 \text{ cm}$, right figure: $z_8 = 80 \text{ cm}$). The dotted lines represent the critical diameters $D_{p,\text{crit}}$ for particle activation which are $1.2 \mu\text{m}, 3.4 \mu\text{m}, 6.3 \mu\text{m},$ and $9.7 \mu\text{m}$ for $D_{p,\text{dry}} = 100 \text{ nm}, 200 \text{ nm}, 300 \text{ nm}, 400 \text{ nm},$ respectively.

Naturally, it also limits the further growth of the droplets which formed on the $D_{p,\text{dry}} = 100 \text{ nm}$ and $D_{p,\text{dry}} = 200 \text{ nm}$ particles as for the diffusional growth it is irrelevant whether the droplets are activated or not as long as the supersaturation is above the critical value which depends on the dry particle size. In conclusion, under the prevailing conditions and the sole observation of the grown droplet distributions, it is not possible to distinguish between the activated and non-activated droplet distributions or to determine which distribution represents the activated and which the not-activated state. In other words, droplet growth is kinetically limited regardless if the droplets are in the hygroscopic or dynamic growth regime. Further, the dry particle size is of minor importance for the observed droplet distributions, especially with increasing residence time.

In order to interpret the negative skewness of the distributions as well as the significant number of particles close to $D_p = 300 \text{ nm}$, we consider the LES results which are shown in Fig. 12. In the left figure, a snapshot of the instantaneous saturation field in the symmetry plane as well as the respective particle diameters grown on $D_{p,\text{dry}} = 100 \text{ nm}$ NaCl particles along the vertical axis are shown. For $z_4$ and $z_8$, droplet size distributions are extracted from the simulations and displayed together with the measured size distributions in the right plots of Fig. 12. From the simulations, the magnitude of the RH fluctuations in terms of a standard deviation can be determined to be $\sigma_{\text{RH}} = \sim 4\%$.

First of all, the simulations reproduce the measurements in an accurate manner. At $z_4$, the simulated droplet distribution is of bimodal shape where the left shoulder of the first mode was not detected by the welas 2300 due to its detection limit. Further the negative skewness can be observed in both sub-figures. From the simulation of individual particle tracks (not shown) it can be concluded that the small particles ($D_p < D_{p,\text{crit}}$) are hygroscopically grown particles that did not experience supersaturated...
Figure 12. Snapshot of particle simulation with fluctuating relative humidity field in the background and particles colored and sized (not to scale) according to their diameter. Right: Droplet formation and growth of monodisperse NaCl particles ($D_{p,dry} = 100$ nm) for $\Delta T = 16$ K measured at two different positions below the aerosol inlet (upper right figure: $z_4$, lower right figure: $z_8$) for measurements (black line) and simulations (red line).

conditions but also droplets that deactivated because they experienced sub-saturated conditions in the fluctuating saturation field. In general, these turbulent fluctuations in RH broaden the droplet size distribution towards smaller diameters due to evaporating droplets or less-grown droplets in left tail of the droplet size distribution. In other words, the negative skewness of the obtained droplet size distributions is indicative for turbulence-influenced droplet formation and growth / evaporation. The particle size plays a minor role here.

Finally, as kind of a benchmark, we want to evaluate how the droplet size distribution would look like without turbulence affecting droplet formation and growth. Therefore, utilizing the above described numerical model, two
additional cases have been investigated, a) a case without grid induced turbulence (i.e., the grid was removed from the numerical simulation) and b) an idealized case based on time-averaged flow fields without turbulent fluctuations. In these simulations the formation and growth of NaCl particles, with $D_{p,\text{dry}} = 100$ nm for the temperature difference of $\Delta T = 16$ K, was considered. The simulation results are shown in Fig. 13 for $z_8 = 80$ cm together with measurement results, for which the turbulence grid remains included as shown in Fig. 12.

![Figure 13. Comparison between different model calculations for the particle formation and growth on NaCl particles with $D_{p,\text{dry}} = 100$ nm at $z_8$ for $\Delta T = 16$ K. Left figure: LES with turbulence grid (as shown in lower right plot of Fig. 12). Middle figure: LES but without turbulence grid. Right figure: simulation with averaged fields used as frozen flow fields, and transient particle calculation. In all plots, the measurement results, for which the turbulence grid is included (as shown in lower right plot of Fig. 12), are shown for reference.]

It turns out that the removal of the turbulence grid does not lead to laminar conditions. We still observe inherent turbulent conditions due to wall effects and the high Reynolds number (order of $10^4$) for the set velocity. But the turbulence intensity and therefore the strength of turbulent fluctuations are decreased. The power spectra obtained for the configuration without grid further suggest that the turbulence is anisotropic in this case (not shown). As a consequence, we still obtain a broad droplet size distribution (see middle plot in Fig. 13) which is however narrower compared to the measurement/simulation with turbulence grid. We also observe a significant number of particles close to $D_p = 300$ nm.

Laminar conditions, which would lead to a very narrow droplet size distribution (see right plot in Fig. 13), can only be simulated if averaged fields are used as frozen flow fields in the simulations, which is not realizable in the real measurement. In other words, measurements without turbulence are not executable inside LACIS-T and the flow regime is best controlled in presence of the turbulence grid. Furthermore, these simulations clearly indicate the distinct influences of turbulence on the droplet size distributions, and consequently, on the formation and growth of droplets inside LACIS-T.
6 Summary and outlook

We have developed the turbulent moist-air wind tunnel LACIS-T, specifically aiming at a better understanding of aerosol–cloud–turbulence interactions. The advantage of LACIS-T in particular and laboratory experiments in general is that specific, atmospherically relevant processes can be studied under well controlled and repeatable initial and boundary conditions, whereas in field experiments, there often is significant uncertainty in the measurements themselves, in the prevailing boundary conditions, and in the statistical stationarity of conditions (Chang et al., 2016). Furthermore, laboratory experiments can provide scenarios for which physical theory and models can be directly compared to an experiment, with known initial and boundary conditions (Stratmann et al., 2009). Therefore, laboratory experiments, in which the turbulence and thermodynamic conditions are reliably reproducible, and long-term averaging of measurements under statistically stationary conditions can be achieved, are invaluable for increasing our quantitative understanding concerning atmospheric cloud processes.

The investigations described here show that LACIS-T is suitable for studying the influence of turbulent temperature and water vapor fluctuations on cloud microphysical processes. We observed deliquescence to take place over a range of mean RH, which is indicative of a prevailing influence of turbulent RH fluctuations, also noting the precision at high volume flow rates. We further obtained indications of the influence of turbulent supersaturation fluctuations on the droplet activation. Concerning the latter, our results also suggest that kinetical effects and/or limitations may be important in inhibiting droplet activation in a turbulent environment. On the other hand, turbulence can also lead to the occurrence of locally high supersaturations, which together with the highly non-linear Köhler- and condensational growth equations, might increase the number of activated droplets. Altogether, turbulent fluctuations affect the droplet size distribution. Our first results are very promising in terms of the ability to capture the observed processes with the LES, as well as the ability to see clear indications of the effect of turbulence on droplet activation and growth. These results will be verified and quantified in more detail in the near future. In that sense we will also focus on the relative roles of turbulence vs. aerosol particle physical and chemical properties (particle size, number and composition).

We further aim at gaining fundamental and quantitative understanding of the influences of entrainment and detrainment processes on the microphysical properties of clouds as well as the influence of turbulence on heterogeneous ice nucleation in the near future. LACIS-T is also part of the EU-funded (HORIZON 2020) infrastructure project EUROCHAMP-2020 which is planned to be embedded into ACTRIS (Aerosol, Cloud and Trace Gases Research Infrastructure). In the scope of the infrastructure projects, LACIS-T is being made available to other scientists from atmospheric science community to address interdisciplinary problems as well as to use the wind tunnel for scientific instrument testing and calibration.

In summary, results from LACIS-T investigations will have the potential to help interpreting and corroborating the results from related in-situ measurements in clouds (e.g., Ditas et al., 2012), and therefore enhance our understanding of the interactions between cloud microphysics and turbulence, and consequently cloud processes in general.
Data availability. The experimental data is available via the EUROCHAMP-2020 data center as well as upon request to the contact author. For numerical data please contact S. Schmalfuß (schmalfuss@tropos.de) or D. Niedermeier.

Author contributions. D. Niedermeier and S. Schmalfuß (section 3) wrote the manuscript with contributions from all co-authors. LACIS-T measurements and data evaluation were performed by D. Niedermeier, D. Busch, J. Voigtländer, and S. Schmalfuß. Numerical simulations were performed by S. Schmalfuß with contributions from D. Niedermeier, J. Voigtländer, and F. Stratmann. All authors discussed the experimental and numerical results. F. Stratmann initiated and conducted the conceptualization, planning and built-up of LACIS-T with significant contributions from J. Voigtländer, J. Schumacher, and R. A. Shaw.

Competing interests. The authors declare that they have no conflict of interests.

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